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# Analysis of Semi-Inclusive Deep-Inelastic Scattering data from HERMES experiment

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Work directed by Gunar Schnell and Charlotte Van Hulse

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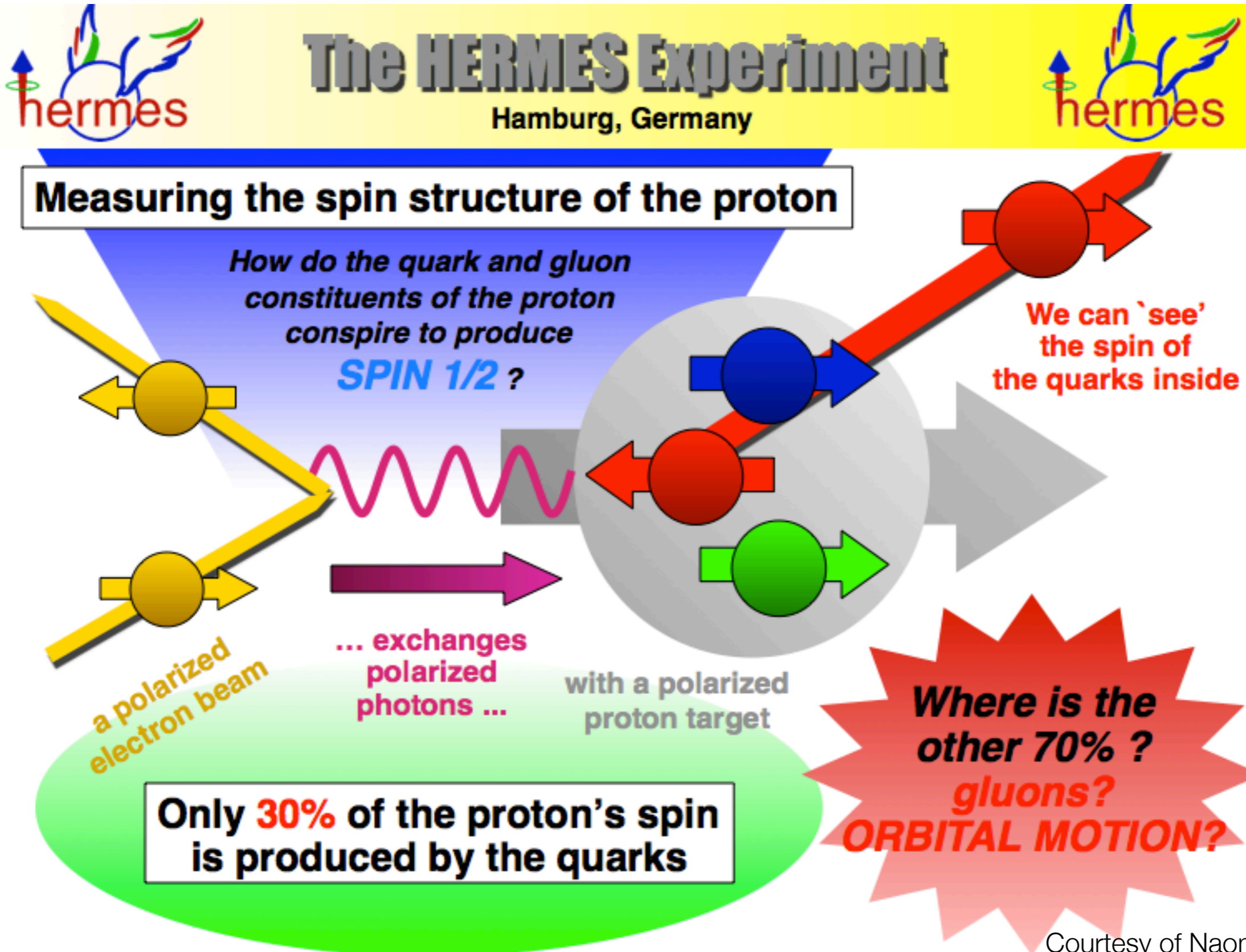
- **The HERMES experiment:** target, beam, spectrometer, experiments...
- **Semi-Inclusive DIS:** small review of basic concepts
- Experimental Data Selection:
  - Data Quality
  - Burst Selection
  - Fiducial-Volume Cuts
  - Kinematic Cuts
  - Event Selection
  - Charged Hadron Identification
- **My Master Thesis Project:** Main ideas and some results

# The HERMES Experiment

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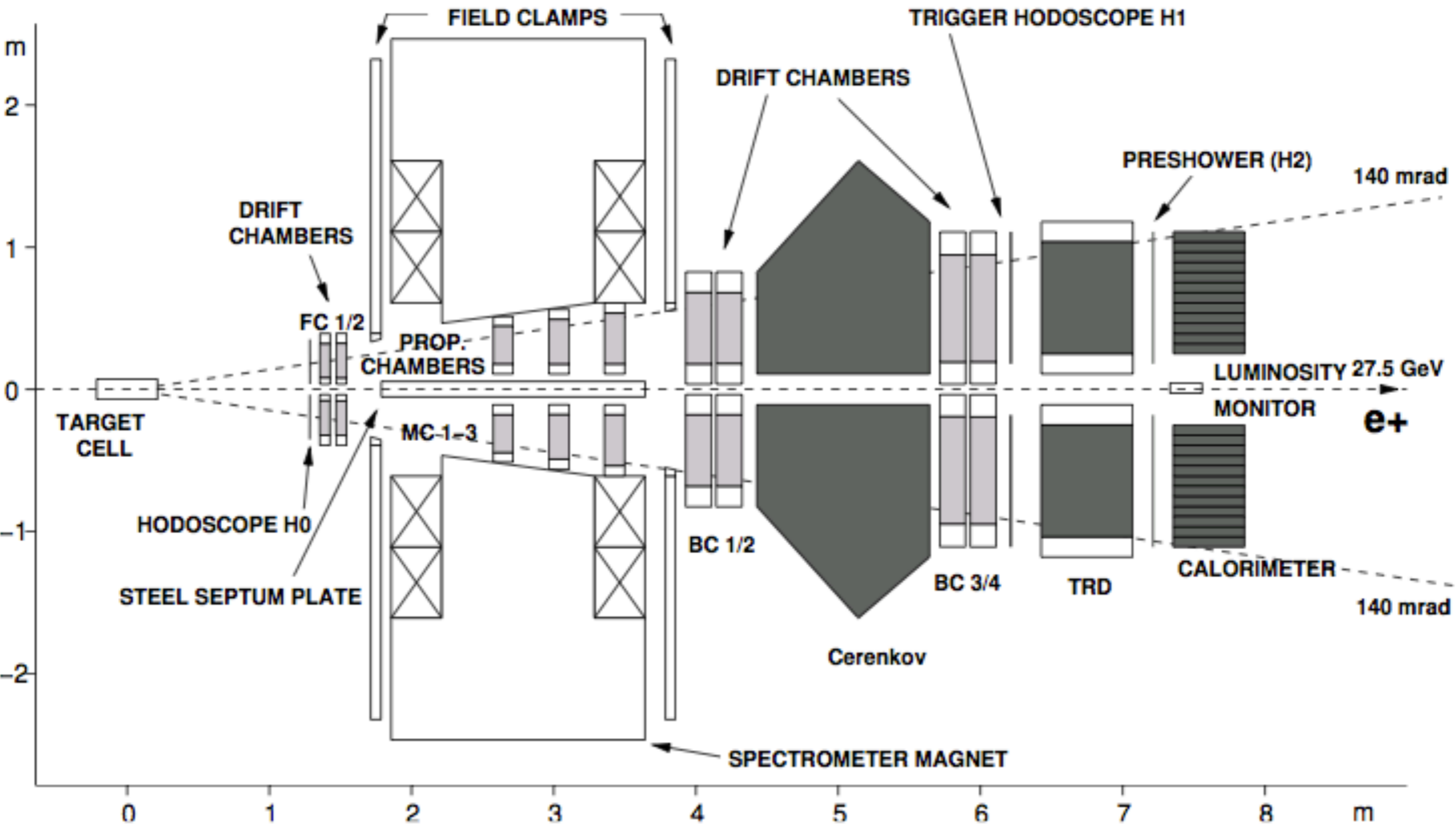
- HERMES is a fixed target experiment.
- It can be operated with polarized gas targets as well as with high-density unpolarized gas targets.
- Uses the 27.5 GeV electron or positron beam of HERA.
- Initially unpolarized positron beam becomes transversely polarized due to the Sokolov-Ternov effect.
- Beam polarization direction is changed from transverse to longitudinal and back again. This is accomplished by two spin rotators.

- HERa MEasurement of Spin (HERMES) proposed in 1990 to study the spin structure of nucleons: proton spin puzzle.



Courtesy of Naomi Makins 4

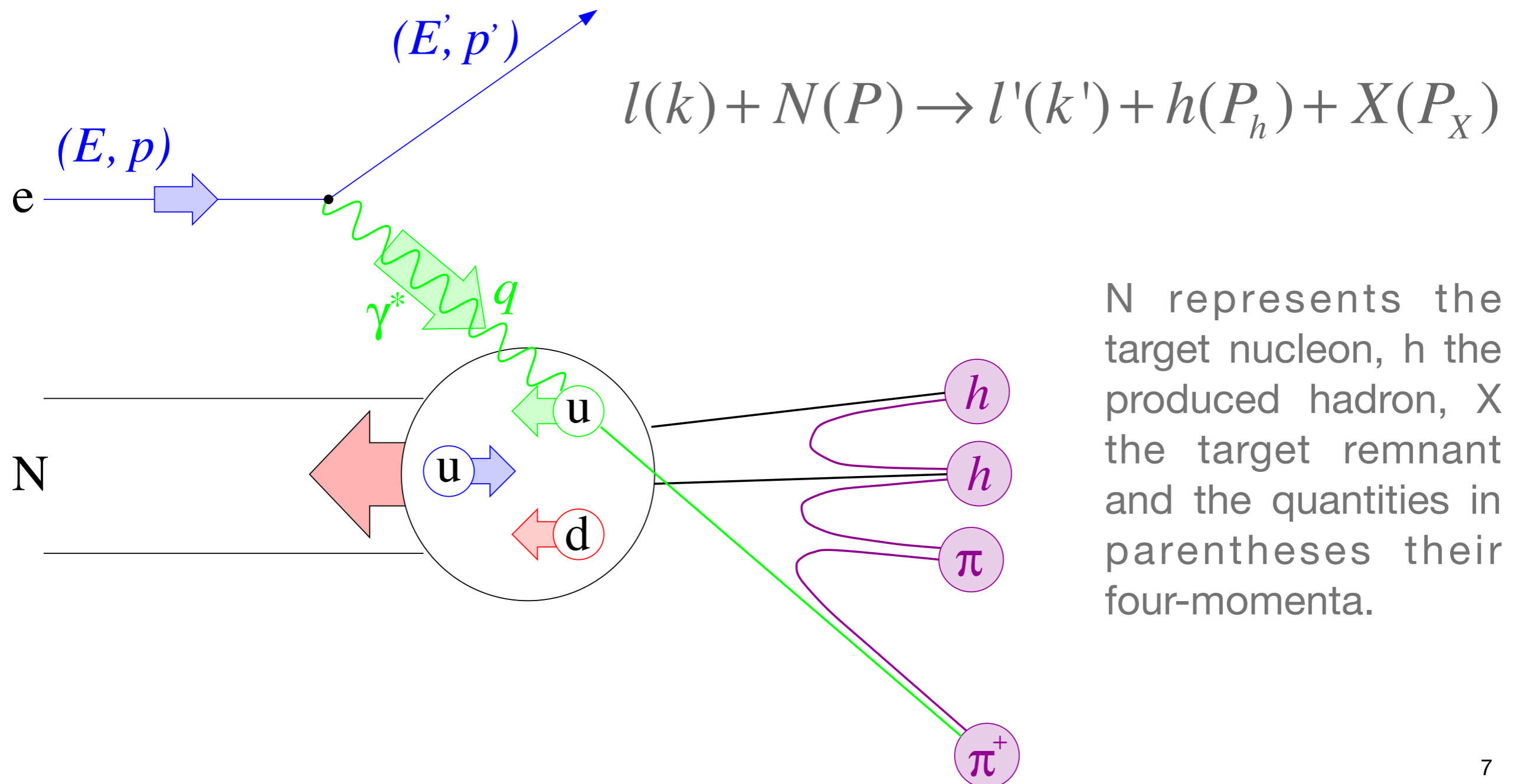
- Side view of the HERMES spectrometer.



- Not only the nucleon structure functions, but also distribution functions of quarks of a specific flavor and gluons inside the nucleons:
  - Obtain precise information on the helicity distribution of  $u$ ,  $u^-$ ,  $d$ ,  $d^-$  and  $s$  quarks in the nucleon.
  - Measurement of a double-spin asymmetry related to the gluon helicity distribution.
  - Single-spin asymmetries related to transversity.
  - Use unpolarized gas targets: investigation of hadron formation and the search for exotic baryons like the pentaquark.

# Semi-Inclusive Deep Inelastic Scattering: SIDIS

- A deep-inelastic scattering process is called semi-inclusive if besides the scattered lepton, at least one final hadron ( $h$ ) is also detected.



$N$  represents the target nucleon,  $h$  the produced hadron,  $X$  the target remnant and the quantities in parentheses their four-momenta.

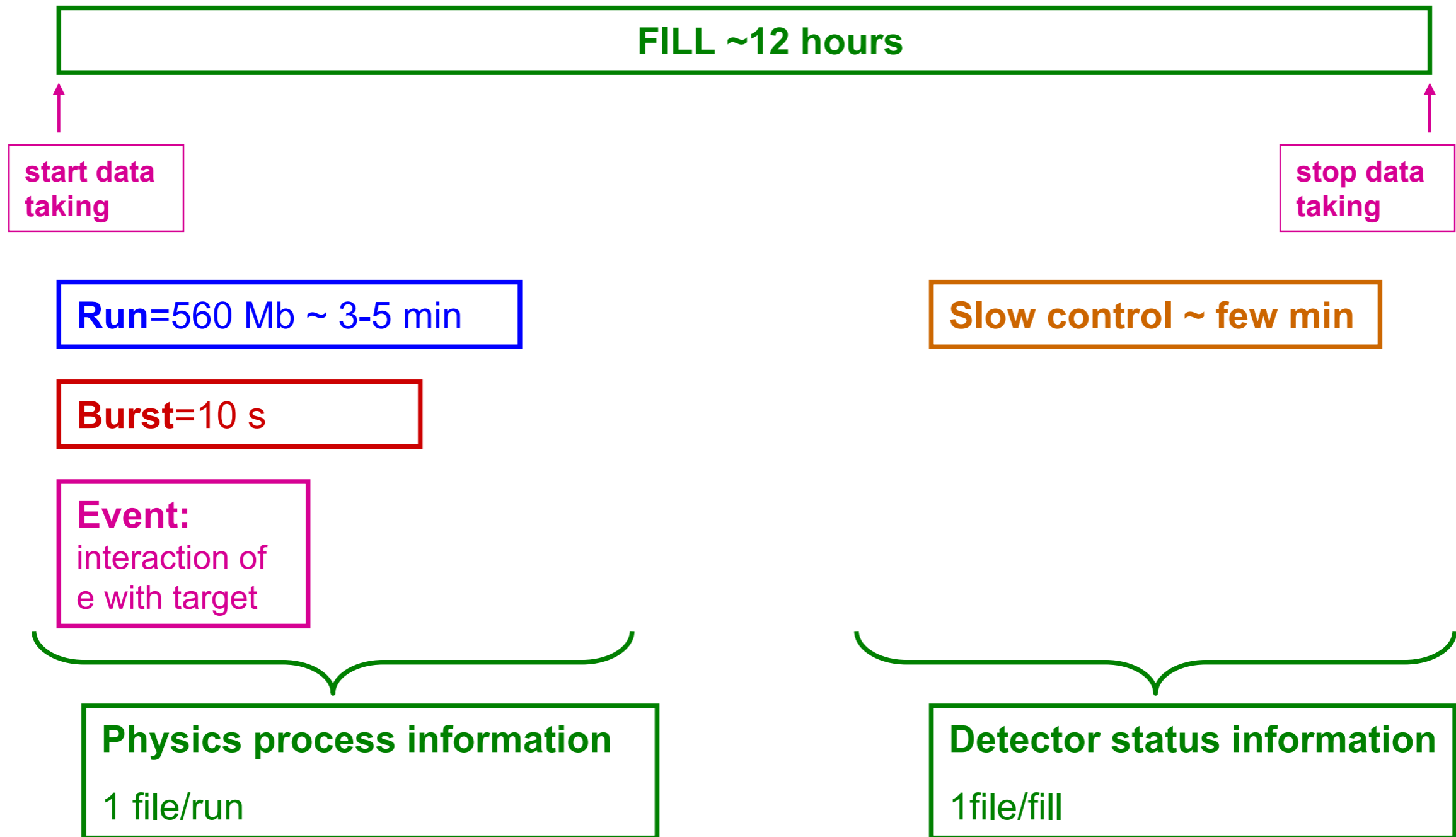
# Experimental data selection

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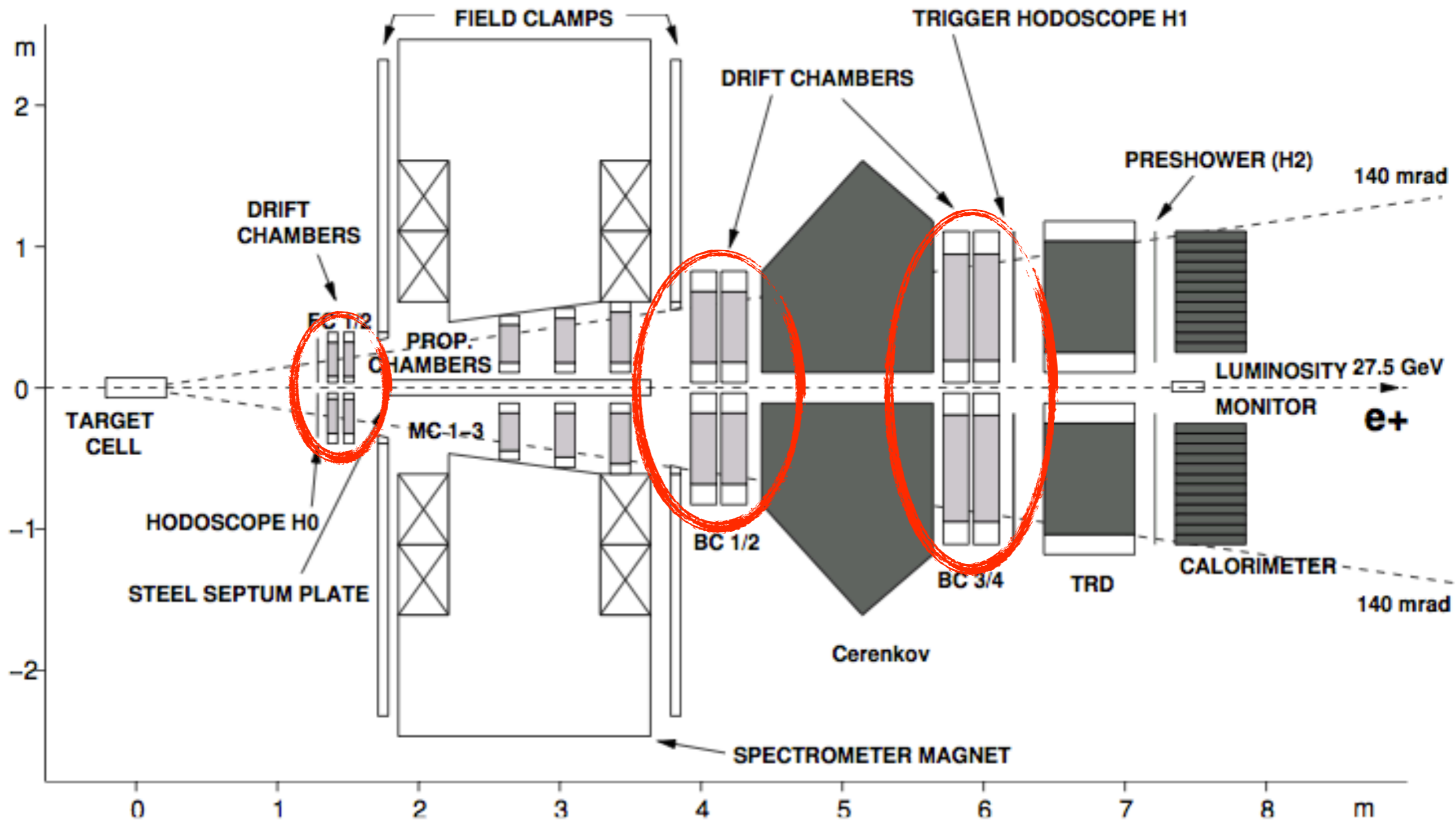
- **DATA QUALITY:** To ensure a high data quality in each recorded burst, several measured quantities are checked for consistency:
  - The rate of the luminosity monitor
  - The beam current (and the beam polarisation)
  - The status of the target and of the data acquisition system
  - Malfunctioning PID detectors
  - High voltage trips in the wire chambers



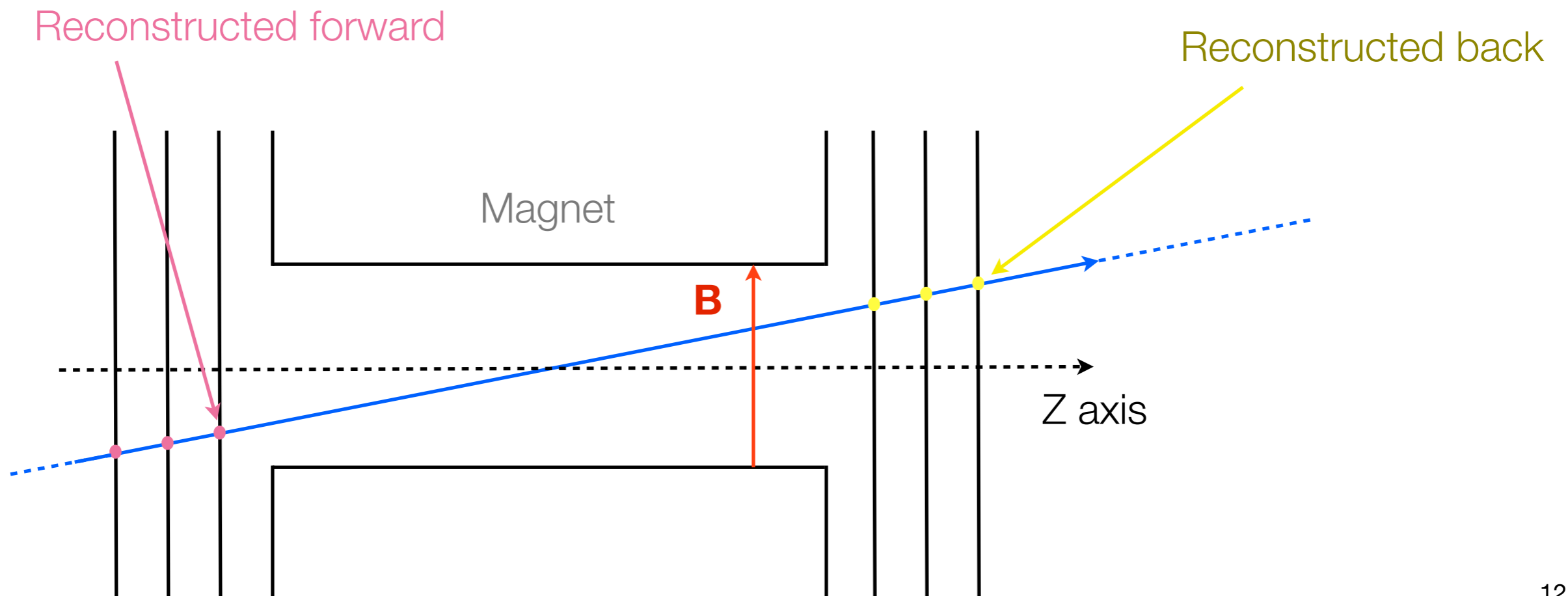
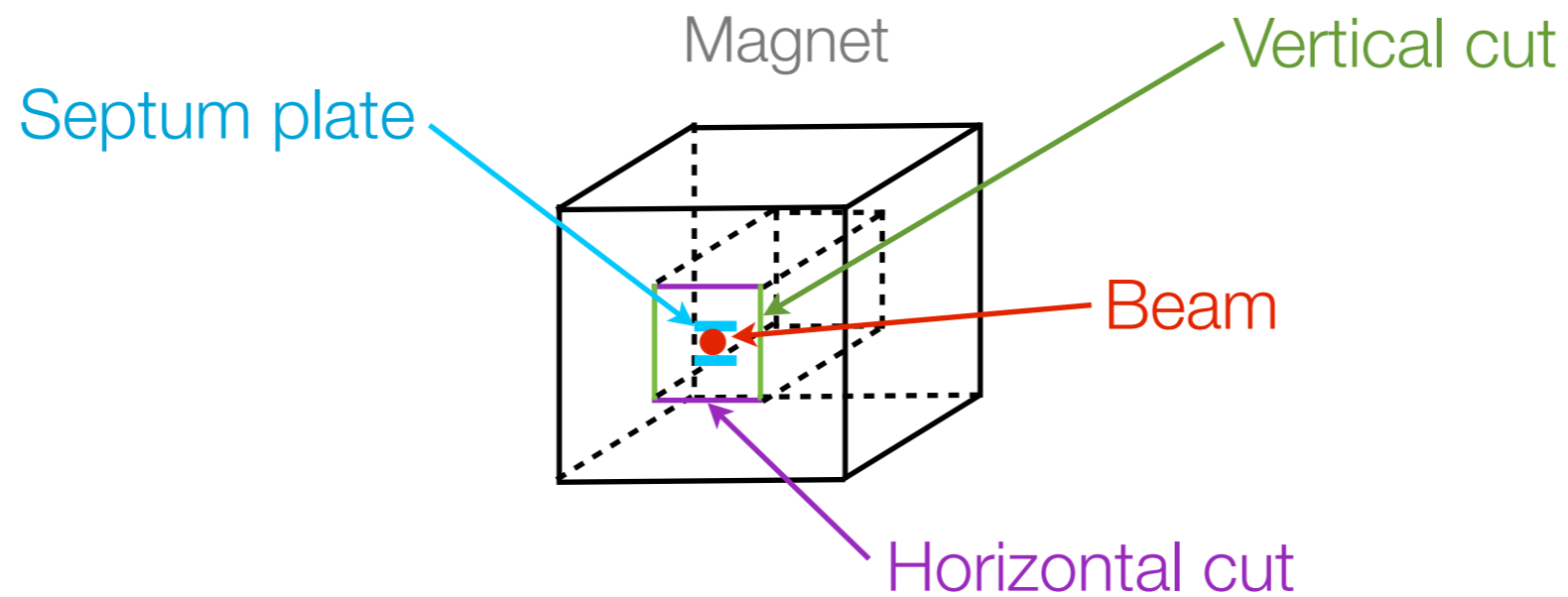
- Before we go on, let's see a bit of typical experimental slang:

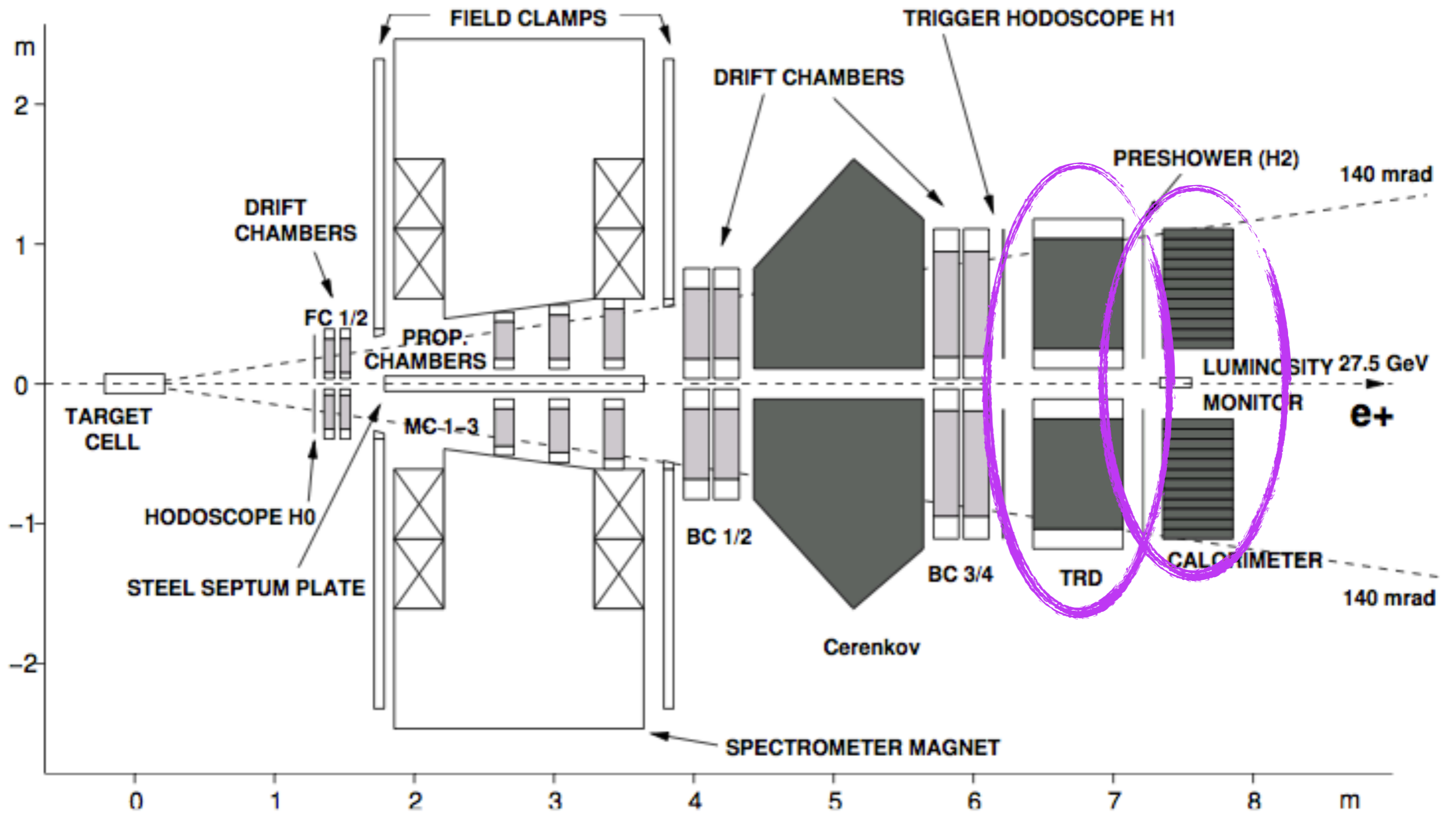


- **BURST SELECTION**: Badbits. The burst list contains the condensed data quality information in two bit patterns for the top and bottom detector halves. We have for example, the following examples:
  - **bit 8**: there is no particle identification (PID) available due to initialization problems or an unknown calorimeter threshold
  - **bit 11**: the target is unpolarized
  - **bit 17**: there are dead blocks in the calorimeter
  - **bit 20**: bursts, during which one or more planes of the FC or BC tripped, are discarded.
  - **bit 25**: the RICH is in a bad state

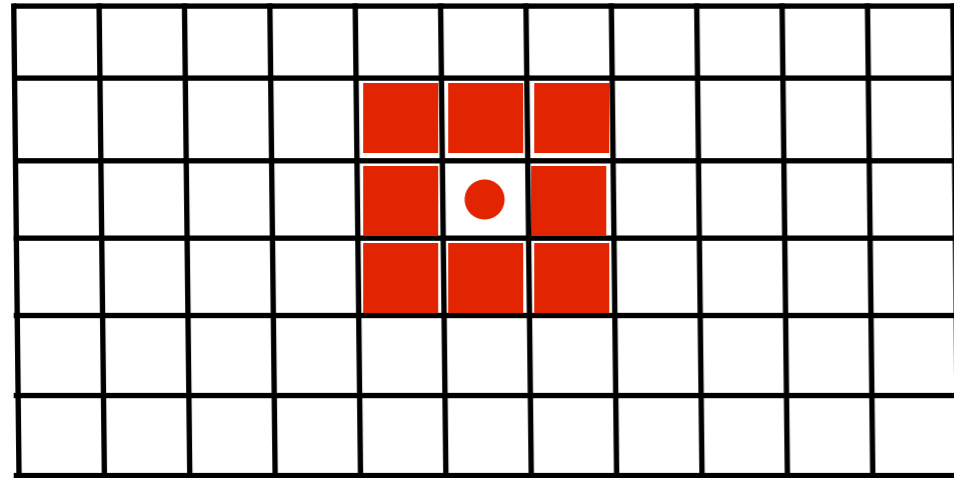


- **FIDUCIAL-VOLUME CUTS**: we have to make sure that our track does not hit any detector. As well, border effects must also be taken in account.





- To determine more precisely the point of impact, we take into account the energy deposition on the calorimeter:



$$x = \frac{\sum_{i=1}^9 x_i E_i}{\sum_{i=1}^9 E_i} \rightarrow x = \frac{\sum_{i=1}^9 x_i \ln(E_i)}{\sum_{i=1}^9 E_i}$$

- On the calorimeter we also reconstruct the photons. They leave no signal in any other detector (except for the preshower).
- Hadrons also leave some signal on the calorimeter, but it is usually quite weak.
- Leptons leave a big shower and they deposit all their energy in the calorimeter. Only muons and hadrons can cross the whole calorimeter.

- Summarizing, the steps we have to take to validate a measure are the following:
  - Position of the front track at  $z=0$
  - Position of the back track at  $z$ ='middle of the magnet'
  - Energy divided on the different cells on the calorimeter

- **KINEMATIC CUTS**: we also have to choose SIDIS events. This is achieved imposing the following conditions in our kinematics:

	semi-inclusive DIS
four momentum transfer	$Q^2 > 1 \text{ GeV}^2$
squared mass of the final state	$W^2 > 10 \text{ GeV}^2$ ( $W^2 > 4 \text{ GeV}^2$ )
fractional energy transfer	$y < 0.85$
Bjorken scaling variable	$0.023 < x < 0.4$
virtual photon – hadron angle	$\theta_{\gamma^*h} > 0.02 \text{ rad}$
hadron momentum	$2 \text{ GeV} < P_h < 15 \text{ GeV}$
energy fraction (extended range)	$0.2 < z < 0.7$ ( $0.7 < z < 1.2$ )

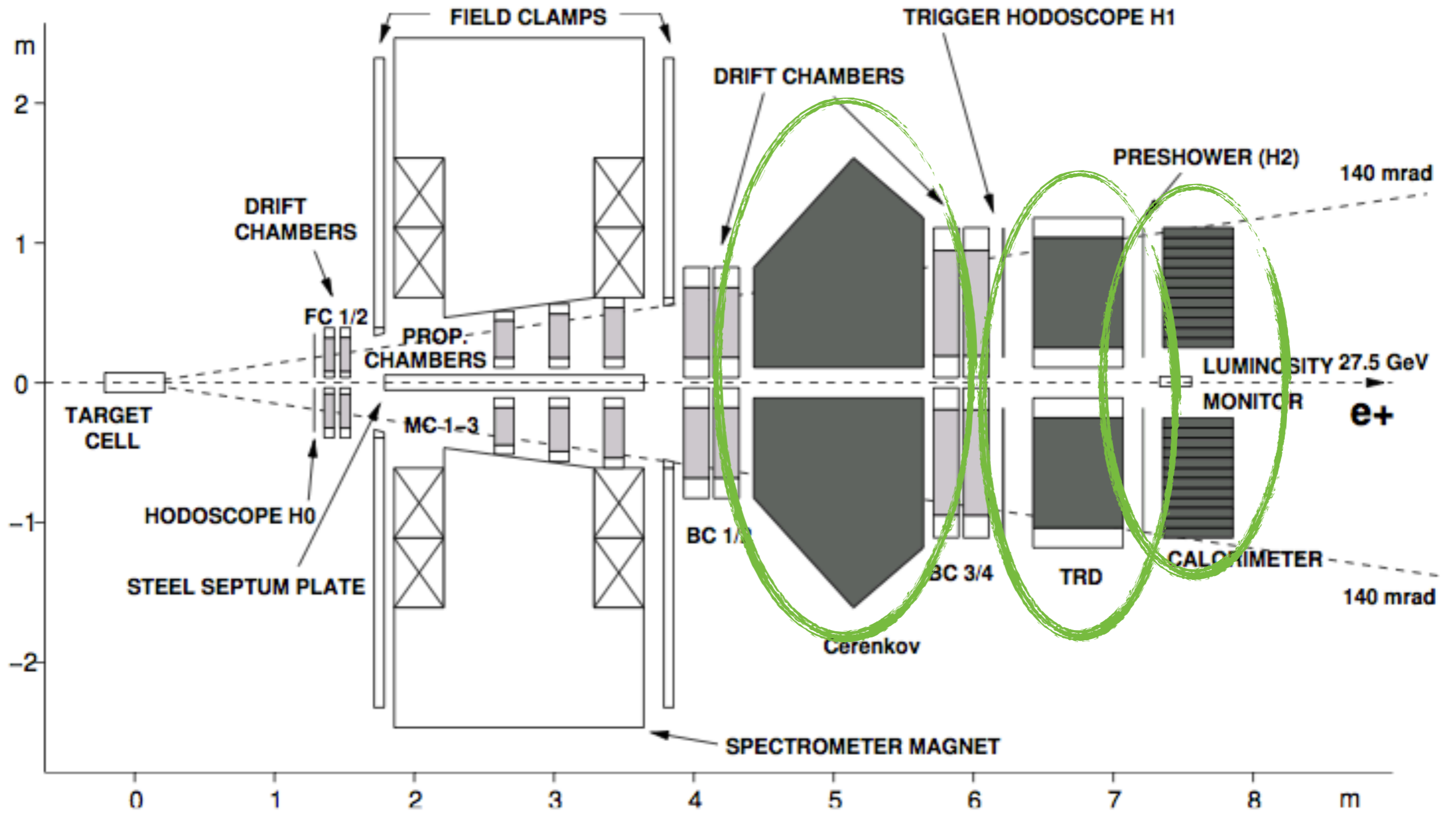
- A four-momentum transfer of more than  $1 \text{ GeV}^2$ , i.e., larger than the squared proton mass, is required for scattering processes in the deep-inelastic region
- The upper limit on the fractional energy transfer  $y$  eliminates DIS events from a region with a large contribution of higher order QED effects (ex. Bremsstrahlung)



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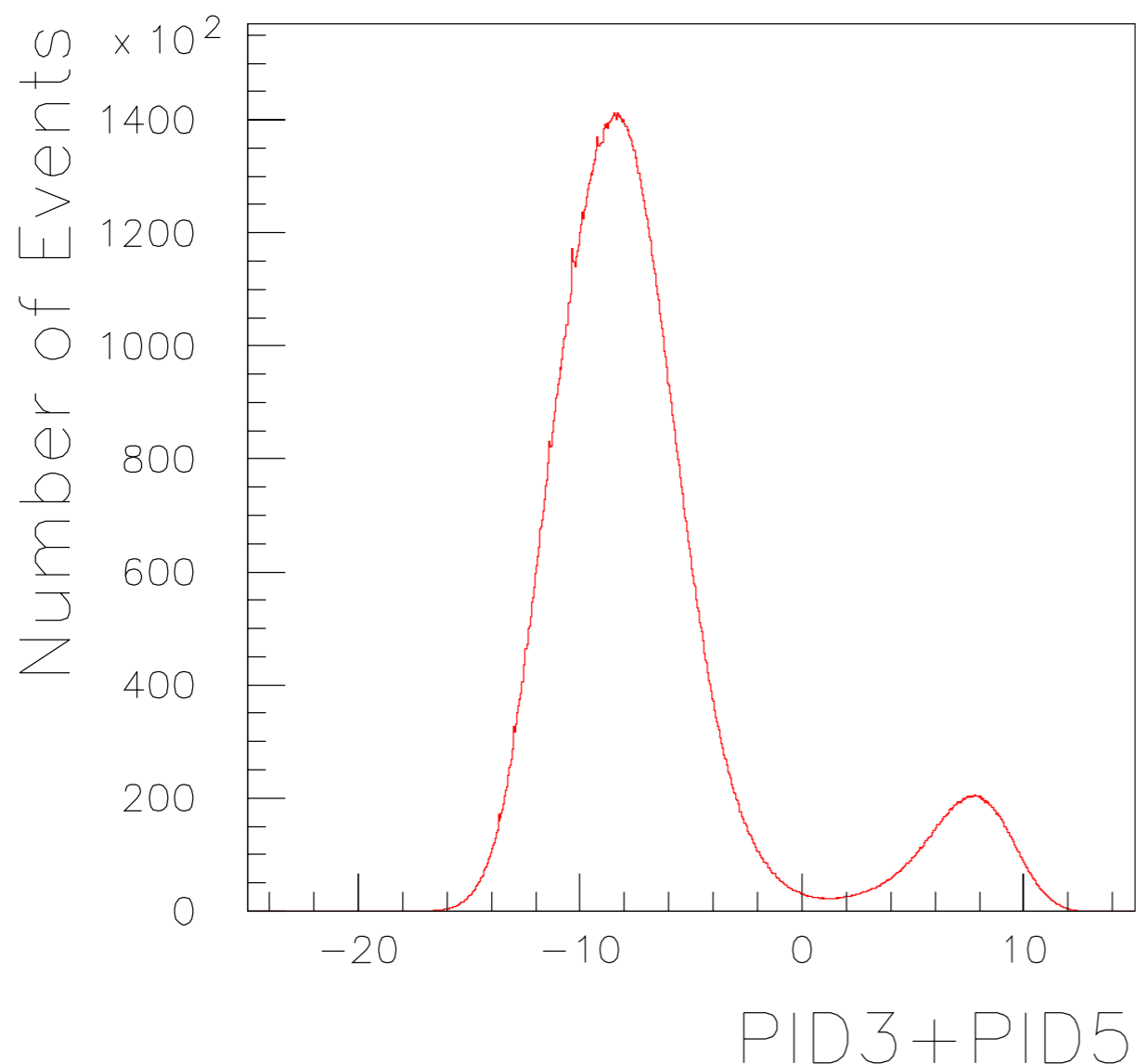
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- Due to the restrictions on  $W^2$  and  $Q^2$ , the lowest possible value of the fractional energy transfer in semi-inclusive events is around 0.18
- The upper limit of the energy fraction  $z < 0.7$  rejects scattering events in a region which is dominated by exclusively produced vector mesons.



- **EVENT SELECTION:**

- Leading leptons are identified using the PID values:  $PID3 + PID5 < k$
- Hadrons are identified using the PID values:  $PID3 + PID5 > k$



- PID3: RICH, Preshower and Calorimeter.
- PID5: TRD ratio
- How accurate is this measure? How can we be sure about the choice we make to separate leptons and hadrons? Let's try to answer these questions.

- In order to be more accurate, the following correction is usually done:

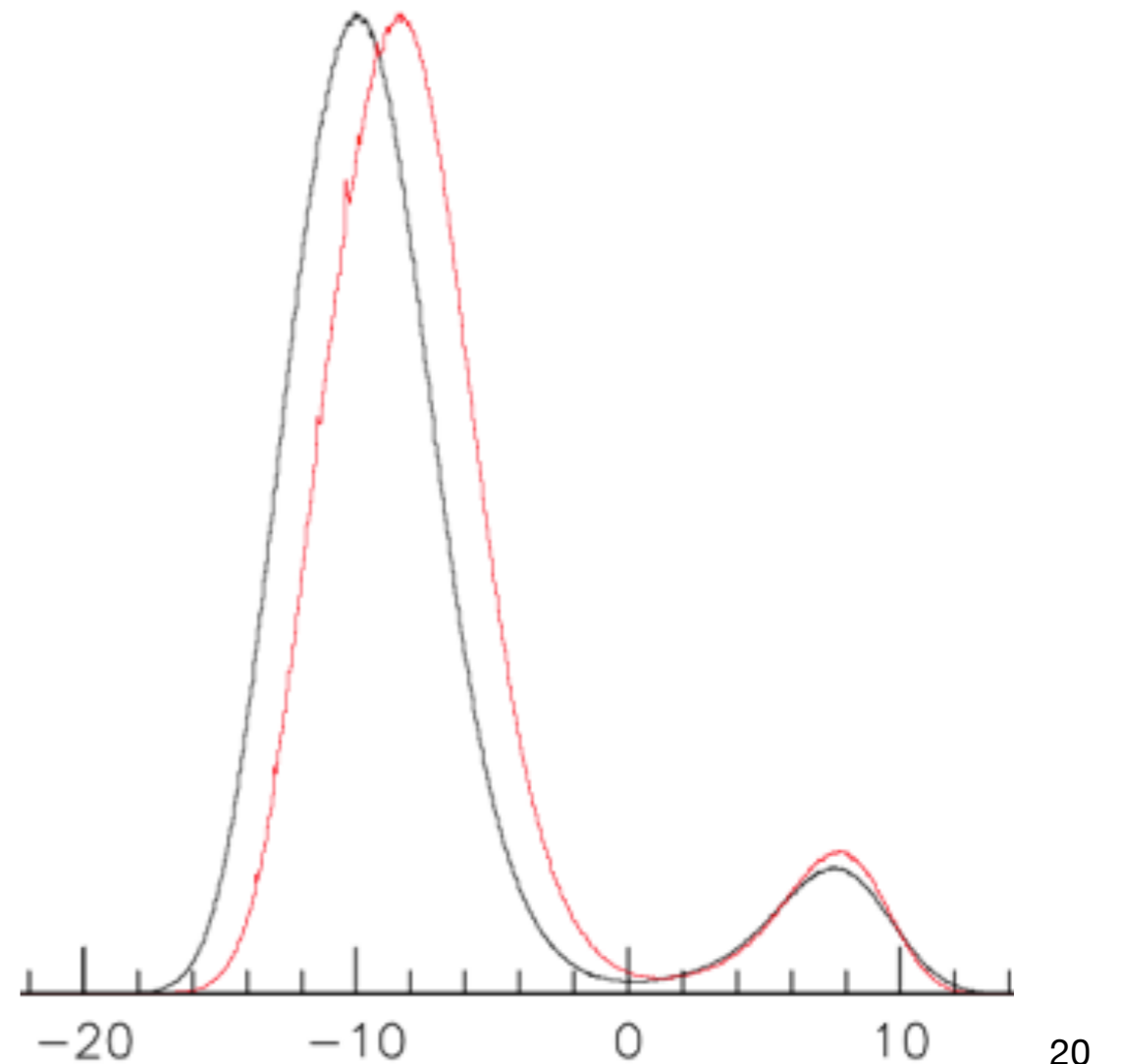
$$PID_3 + PID_5 - \log_{10} \frac{\Phi^h}{\Phi^l} = \log_{10} \frac{P^l}{P^h}$$

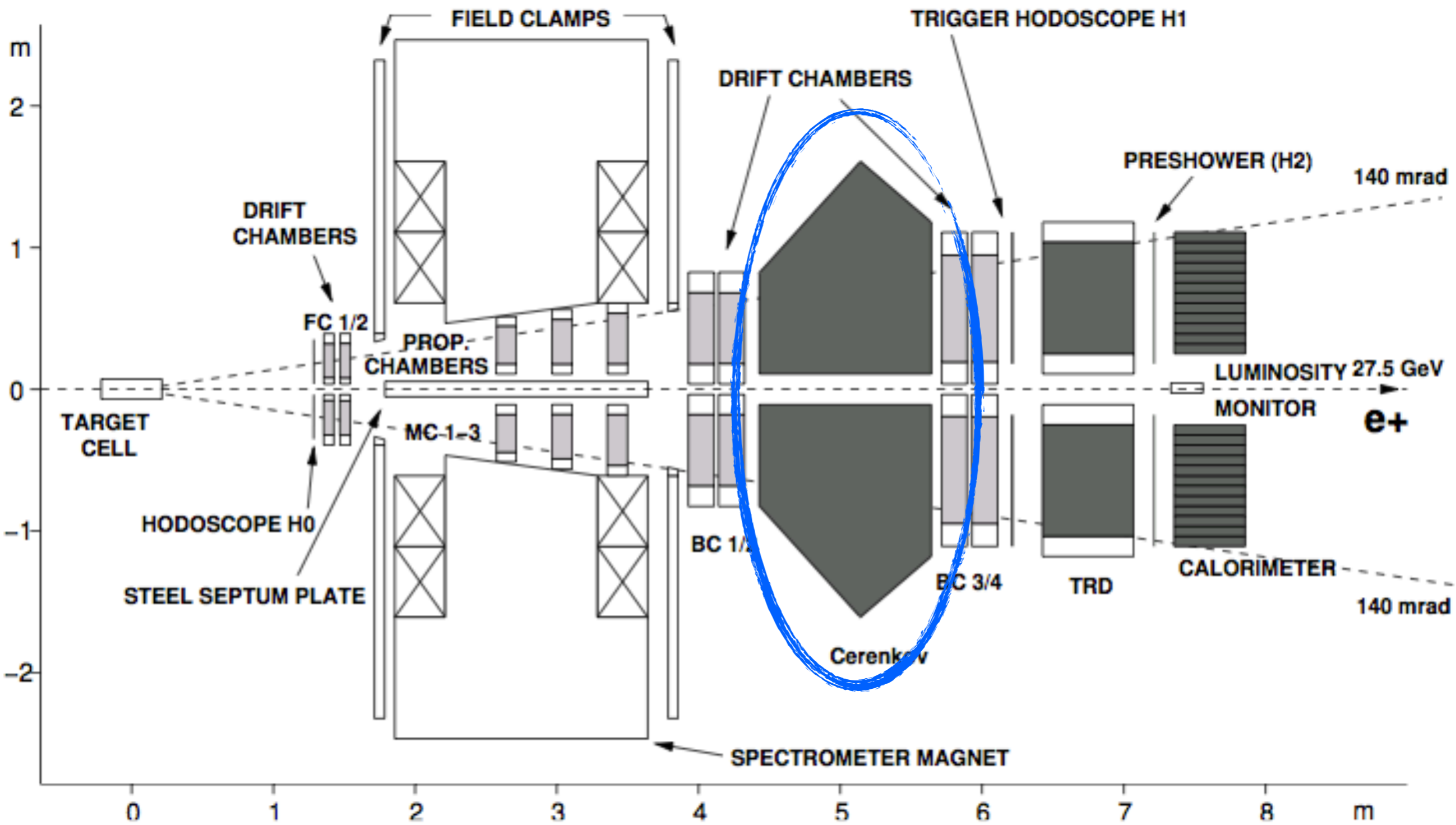
- This correction simply tries to calibrate the displacement of the minimum of the function due to different amounts of leptons and hadrons we have. Let's see the effect:

- In this case, a clean cut would be choosing :

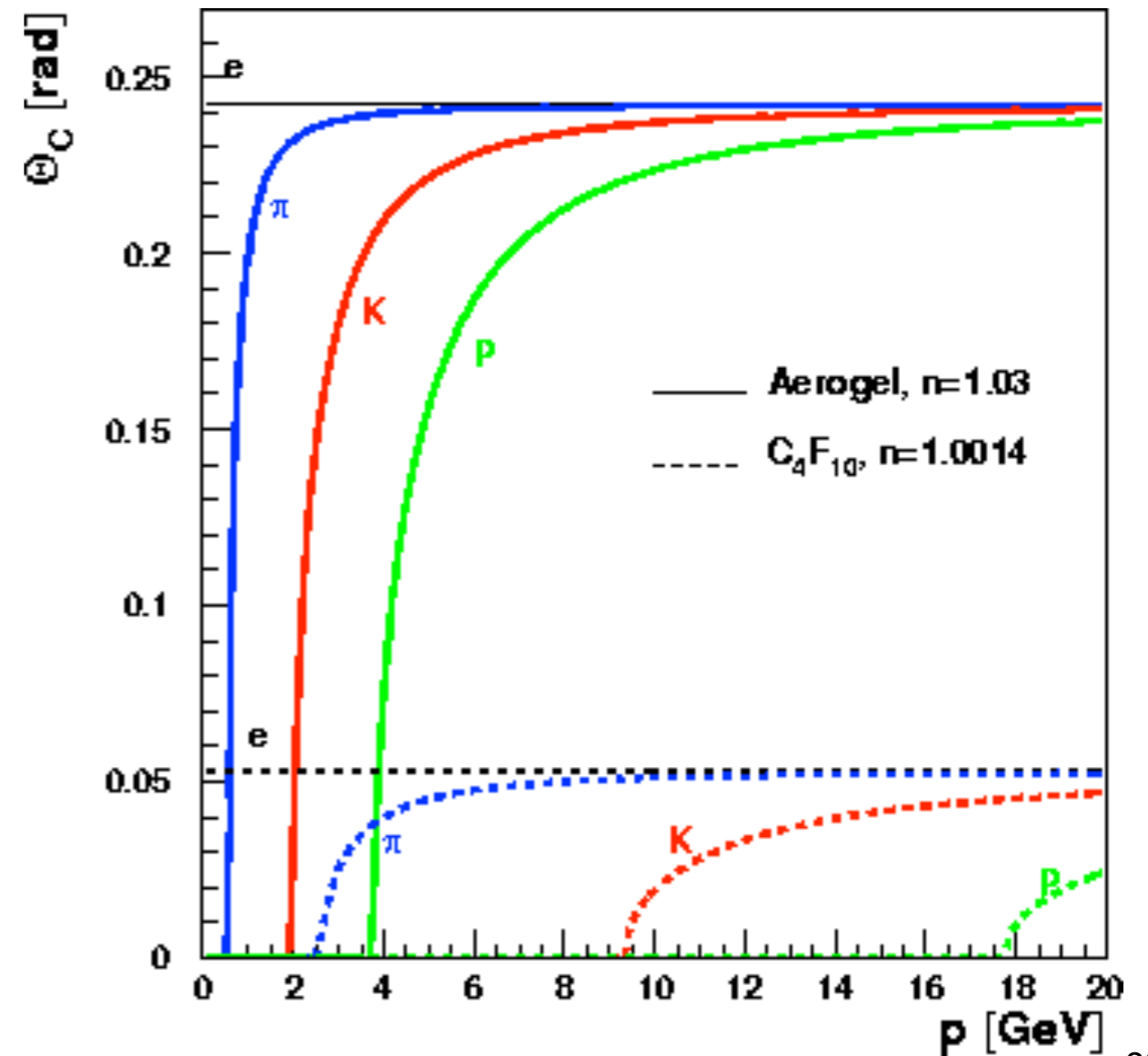
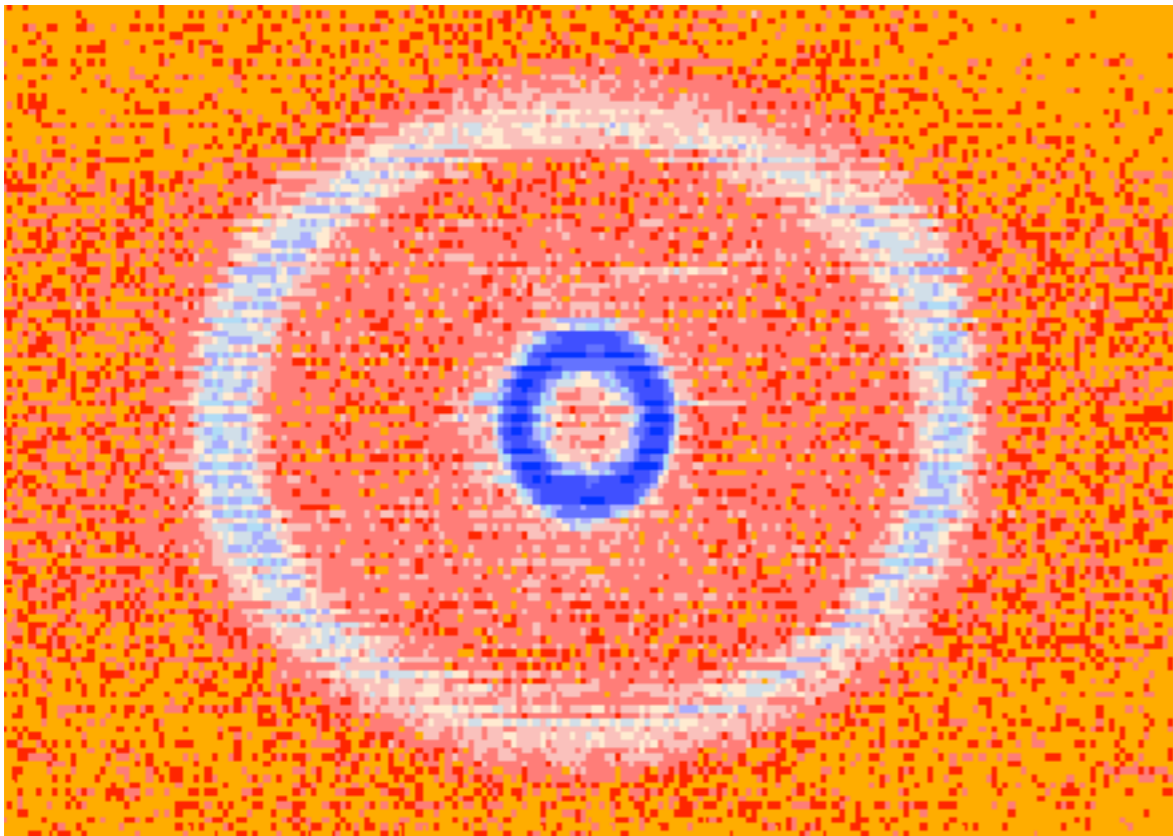
- Leptons:  $PID_3 + PID_5 < -2$

- Hadrons:  $PID_3 + PID_5 > 1$





- **CHARGED HADRON IDENTIFICATION:** The next step is trying to distinguish the different hadrons we have: protons, pions and kaons.
- For that, we use the information provided by the RICH (Ring Imaging CHerenkov) detector. Here, ring imaging is used in order to obtain information about the mass of the particle.



- The success of the identification is assured by requiring a positive value of the quality parameter  $Q_p$  which is defined as the logarithm of the likelihood ratio of the most and the second most likely hadron types,  $h_1$  and  $h_2$

$$Q_p = \log_{10} \frac{\zeta_{h_1}^{tot}}{\zeta_{h_2}^{tot}} > 0$$

- Through a Monte Carlo simulation for the RICH, we can estimate the contamination and efficiency of the hadron identification:

$$P = \begin{pmatrix} P(\pi_{id} | \pi_{true}) & P(\pi_{id} | K_{true}) & P(\pi_{id} | p_{true}) \\ P(K_{id} | \pi_{true}) & P(K_{id} | K_{true}) & P(K_{id} | p_{true}) \\ P(p_{id} | \pi_{true}) & P(p_{id} | K_{true}) & P(p_{id} | p_{true}) \end{pmatrix}$$

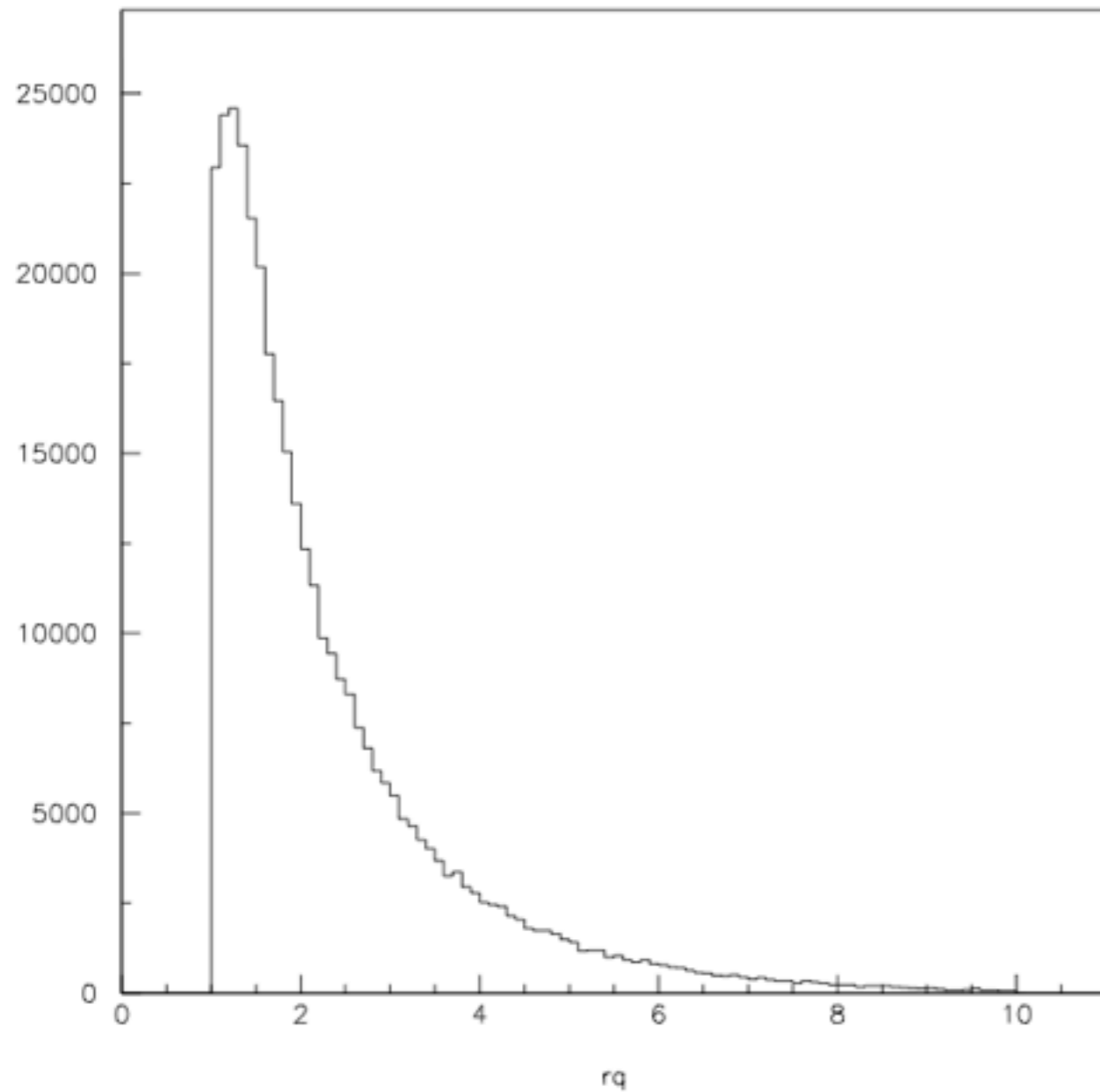
# My Master Thesis Project

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- Unpolarized data from year 2000 + Monte Carlo simulations.
- The main aim of the project is trying to learn more about the intrinsic transverse momentum of the quarks inside the nucleon.
- Once the whole analysis of the real data is done, we will compare it to Monte Carlo data and we will try to see which assumptions fit better to reality.



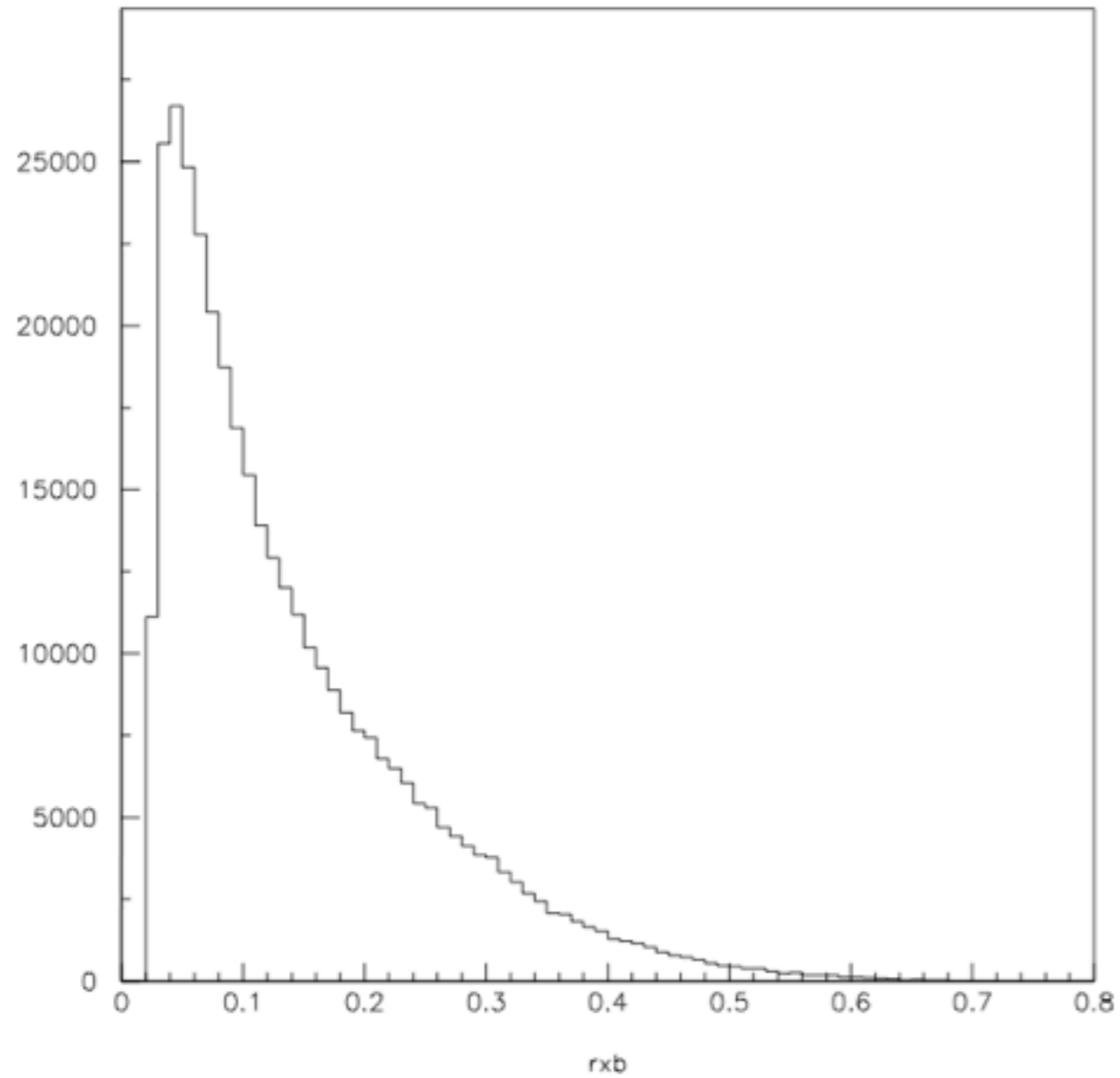
# Q<sup>2</sup>



Real data, HERMES 2000

$$Q^2 = -q^2 \stackrel{Lab.}{\approx} 4E_B E' \sin^2(\theta / 2)$$

# $X_B$



Real data, HERMES 2000

$$x_B = \frac{Q^2}{2P_q} = \frac{Q^2}{2Mv}$$

# Summary

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- First, some *quality requirements* must be imposed, not only *for the detectors*, but also *for the data*.
- Then, *fiducial-volume cut* is required, in order to avoid border effects and discard leptons that may be ambiguous. Besides, *kinematic cuts* are also applied to select the SIDIS events.
- Finally, an *exhaustive analysis of the particles* is necessary, in order to know what we are detecting. For that, we use the data collected by the *forward and back drift chambers* (select the *leading lepton*), by the *PID* (separate leptons and hadrons), by the *RICH* (distinguish the different hadrons) and the *calorimeter* (detect *photons*, and have more information about *leptons and hadrons*).

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Thank you very much for you  
attention!