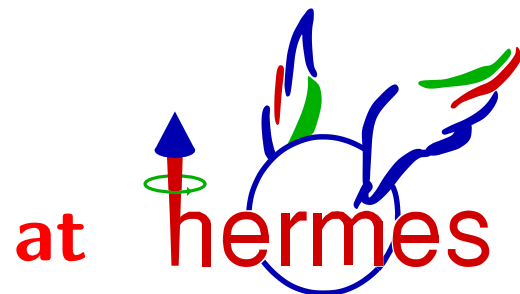


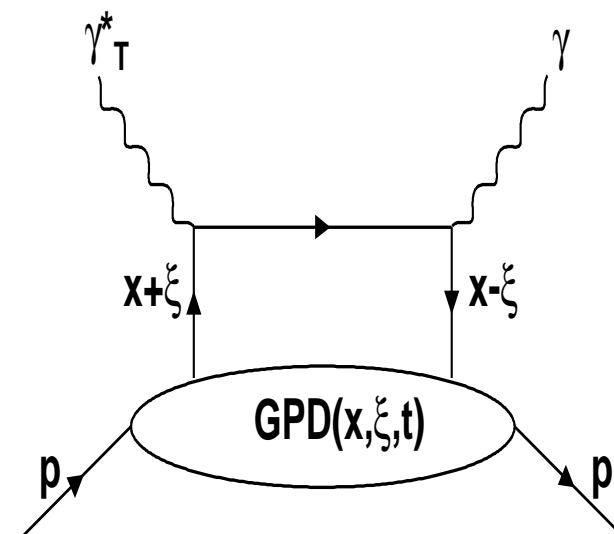
DSPIN-09 XIII Workshop on High Energy Spin Physics

September 1 ÷ 5, 2009, Dubna, Russia

Latest Results on Deeply Virtual Compton Scattering

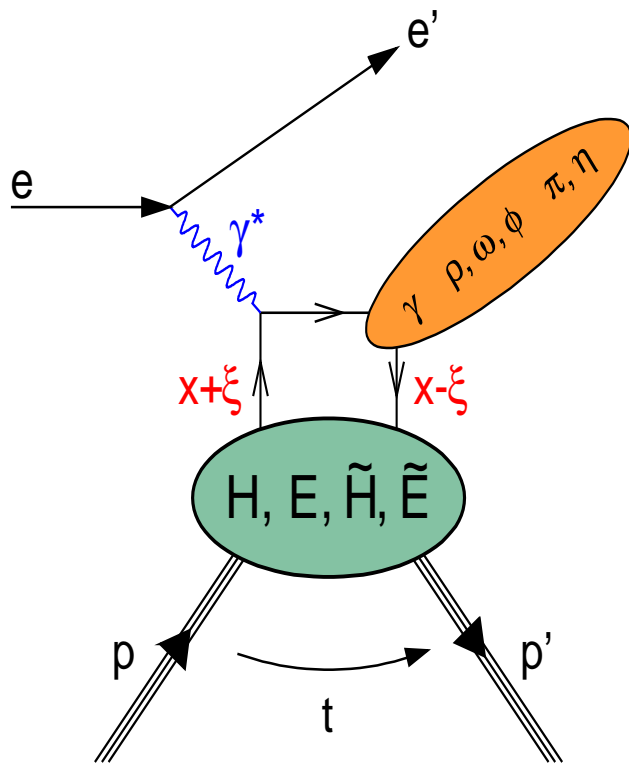


- Motivation: Generalized Parton Distributions from DVCS
- DVCS production
- Azimuthal asymmetries:
 - beam charge
 - beam spin
 - transverse target spin
 - nuclear-mass dependence of beam charge and beam spin
- Summary and outlook



Alexander Borissov, DESY, on behalf of the HERMES Collaboration

Motivation: Generalized Parton Distributions from the exclusive reactions



- GPDs: interference of two wave functions:
parton with $x + \xi$ emitted from nucleon
and parton with $x - \xi$ falls back.

x : mean value of the longitudinal momentum fraction, inaccessible
 ξ : exchanged long. momentum fraction. At Bjorken limit $\xi = \frac{x_B}{2-x_B}$
 $t = (p_{fin} - p_{ini})$ invariant momentum transfer on the target

- Natural-parity plus Unnatural-parity exchanges:

$$F_{im;jn} \equiv F_{\lambda_X \lambda_{P'}; \lambda_{\gamma^*} \lambda_P} = T + U$$

$$- \text{NPE: } T_{im;jn} = \frac{1}{2} [F_{im;jn} + (-1)^{i-j} \cdot F_{-im;-jn}]$$

\implies GPDs: no target spin-flip H , spin-flip E

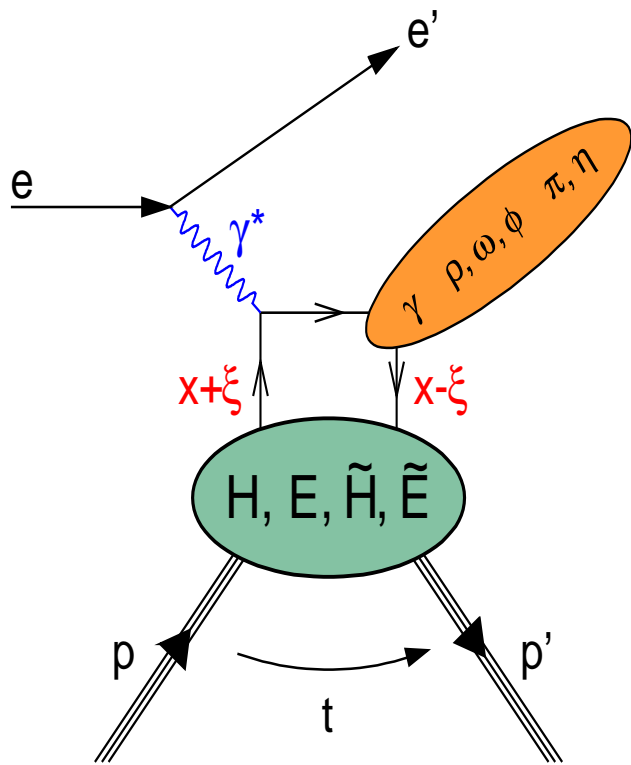
$$- \text{UPE: } U_{im;jn} = \frac{1}{2} [F_{im;jn} - (-1)^{i-j} \cdot F_{-im;-jn}]$$

\implies GPDs: no target spin-flip \tilde{H} , spin-flip \tilde{E}

- Total quark angular momentum (Ji relation):

$$J_q = \lim_{t \rightarrow 0} \int_0^1 dx x [H_q(x, \xi, t) + E_q(x, \xi, t)]$$

Access to GPDs at HERMES: $ep \rightarrow e' X p'$



- $F_{im;jn} \equiv F^{\lambda_X \lambda_{p'}; \lambda_{\gamma^*} \lambda_P}$
 Initial: 3 spin states of γ^* : ($\lambda_\gamma \equiv j = 1, 0, -1$)
 Initial 2 nucleon helicities ($\lambda_P \equiv n = \frac{1}{2}, -\frac{1}{2}$)
 Final 2 nucleon helicities ($\lambda'_p \equiv m = \frac{1}{2}, -\frac{1}{2}$)
 Final photon or meson : ($\lambda_X \equiv i$)
 - DVCS ($i = 1, -1$) \implies access to $H, E, \tilde{H}, \tilde{E}$
 - Vector Mesons: $\rho^0, \phi, \omega, \rho^+$ ($i = 1, 0, -1$) $\implies H, E, \tilde{H}$
 - Pseudoscalar mesons: π^+, π^0, η ($i = 0$) $\implies \tilde{H}, \tilde{E}$

- Similar kinematics for DVCS and all exclusive reactions:

- $1 < Q^2 < 10 \text{ GeV}^2, \langle Q^2 \rangle \approx 2.5 \text{ GeV}^2$
- $3 < W < 6.5 \text{ GeV}, \langle W \rangle \approx 5 \text{ GeV}$
- $0.03 < x_B < 0.35, \langle x_B \rangle \approx 0.07$
- $0.01 < -t < 0.7 \text{ GeV}^2, \langle -t \rangle \approx 0.2 \text{ GeV}^2$

- Comparable GPDs for DVCS and ρ^0 , i.e.:

$$H_{DVCS}^p(x, \xi, t) \propto \frac{4}{9}H^u + \frac{1}{9}H^d + \dots$$

$$H_{\rho^0}^p(x, \xi, t) \propto \frac{2}{3}H^u + \frac{1}{3}H^d + \dots$$

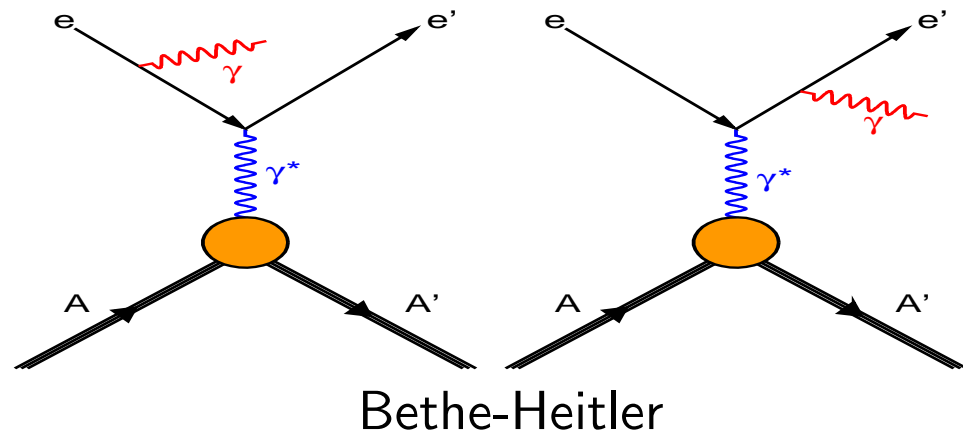
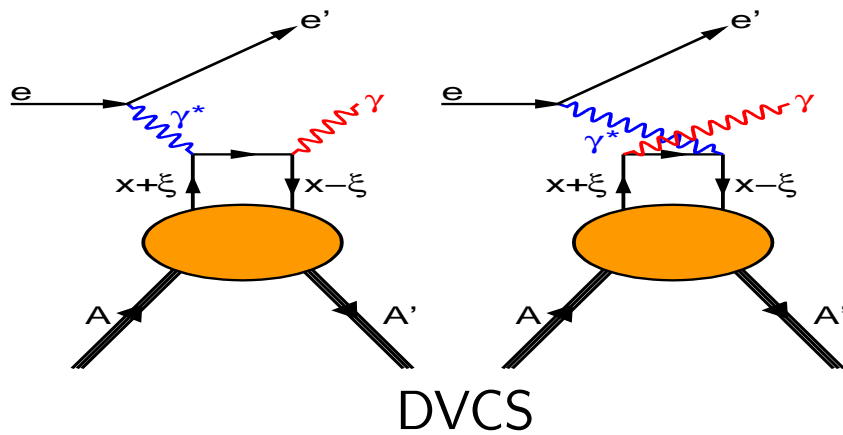
(M.Vanderhaeghen, P.A.M.Guichon, M.Guidal (VGG model), Phys.Rev.Lett. **80** (1998) 5064)

\implies Sensitivity to all GPD functions at moderate x_B , where valence quarks are involved.

\implies Comparison to the results on exclusive electroproduction of different particles.

DVCS, Bethe-Heitler and their Interference

Leading order DVCS processes (left) and BH (right) are indistinguishable at event-by-event selection



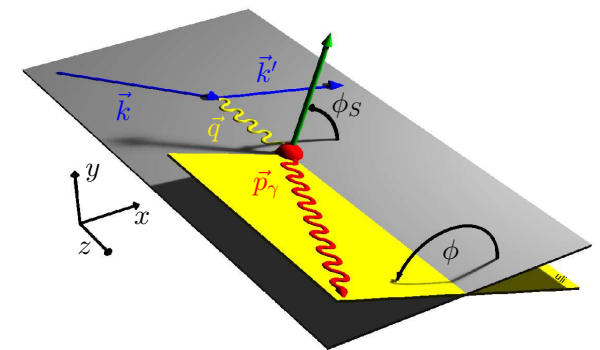
$$\frac{d\sigma}{dQ^2 dx_B dt d\phi} = \frac{x_B e^6}{32(2\pi)^4 Q^4 \sqrt{1+\epsilon^2}} \left[|\tau_{DVCS}|^2 + |\tau_{BH}|^2 + I \{ = \tau_{DVCS}^* \tau_{BH} + \tau_{BH}^* \tau_{DVCS} \} \right],$$

where $\epsilon = 2x_B M/Q$, M - proton mass

τ_{BH} is calculable in QED, τ_{DVCS} contains convolutions of GPDs

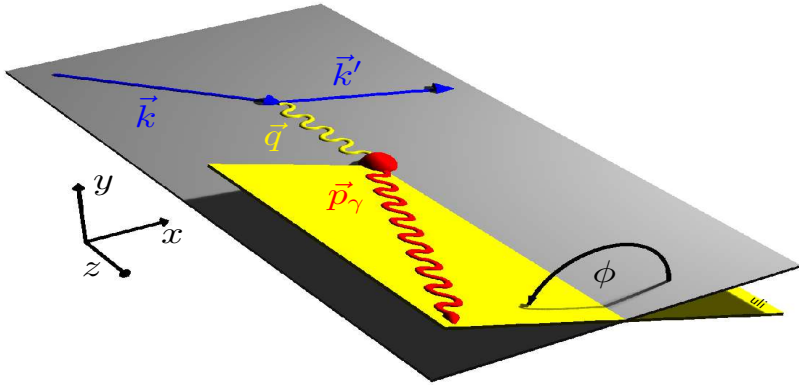
At HERMES $|\tau_{BH}|^2 \gg |\tau_{DVCS}|^2$

⇒ No cross section analysis for DVCS



⇒ Study Fourier harmonics of ϕ angular distributions for Beam Spin ($\mathcal{A}_{LU;I,DVCS}$), Beam Charge (\mathcal{A}_C) asymmetries on p , d and heavy gases, and single spin asymmetry on transversely polarized hydrogen target ($\mathcal{A}_{UT}^{\sin(n\phi - m\phi_s)}$).

Azimuthal Dependences for DVCS and BH Processes on Unpolarized Target



- beam charge C_B
- beam polarization P_B
- kinematic factors K_{BH} , K_{DVCS} , K_I , lepton propagators $P_1(\phi)$, $P_2(\phi)$ in BH process, c_n and s_n are the Fourier coefficients.

$$|\tau_{BH}|^2 = \frac{K_{BH}}{P_1(\phi)P_2(\phi)} \times \sum_{n=0}^2 c_n^{BH} \cos(n\phi)$$

$$|\tau_{DVCS}|^2 = K_{DVCS} \times \left\{ c_0^{DVCS} + \sum_{n=1}^2 c_n^{DVCS} \cos(n\phi) + P_B s_1^{DVCS} \sin(\phi) \right\}$$

$$\begin{aligned} I &= \tau_{DVCS}^* \tau_{BH} + \tau_{BH}^* \tau_{DVCS} \\ &= \frac{C_B K_I}{P_1(\phi)P_2(\phi)} \times \left\{ c_0^I + \sum_{n=1}^3 c_n^I \cos(n\phi) + P_B \sum_{n=1}^2 s_n^I \sin(n\phi) \right\} \end{aligned}$$

$\Rightarrow c_0^{DVCS}$, c_0^I , c_1^I and s_1^I are related to the combinations of quark GPDs at leading twist (twist-2).

From Azimuthal Asymmetries to GPDs

For the leading contributions, the Fourier coefficients (i.e. asymmetry moments) are connected with the following GPDs:

- **Beam Charge \mathcal{A}_C :** $c_1^I \propto \frac{\sqrt{-t}}{Q} \text{Re} \left\{ F_1 \mathcal{H} + \xi(F_1 + F_2) \tilde{\mathcal{H}} - \frac{t}{4M^2} F_2 \mathcal{E} \right\} \sim \text{Re} \left\{ F_1 \mathcal{H} \right\}$

- **Beam Charge \mathcal{A}_C constant term:** $c_0^I \propto -\frac{\sqrt{-t}}{Q} c_1^I$

- **Beam Spin $\mathcal{A}_{LU,I}$:** $s_1^I \propto \frac{\sqrt{-t}}{Q} \text{Im} \left\{ F_1 \mathcal{H} + \xi(F_1 + F_2) \tilde{\mathcal{H}} - \frac{t}{4M^2} F_2 \mathcal{E} \right\} \sim \text{Im} \left\{ F_1 \mathcal{H} \right\}$

- **Beam Spin $\mathcal{A}_{LU,DVCS}$:** $s_1^{DVCS} \propto \left[\mathcal{H} \mathcal{H}^* + \tilde{\mathcal{H}} \tilde{\mathcal{H}}^* \right]$ (small at HERMES energy)

where $\mathcal{H}, \tilde{\mathcal{H}}, \mathcal{E}$ are Compton form factors, i.e. convolutions of hard scattering amplitudes and twist-2 GPDs H, \tilde{H}, E , and F_1 and F_2 are Dirac and Pauli form factors of the nucleon.

⇒ Data with different beam charges and helicities are combined and fit simultaneously.

Extraction of Azimuthal Asymmetries for $ep \rightarrow e'\gamma p'$

- Parameterization of the experimental yield:

$$\mathcal{N}(\phi, P_B, C_B) =$$

$$\mathcal{L}(P_B, C_B) \eta(P_B, C_B) \sigma_{UU}(\phi) \times \left[1 + P_B \mathcal{A}_{LU}^{DVCS}(\phi) + C_B P_B \mathcal{A}_{LU}^I(\phi) + C_B \mathcal{A}_C(\phi) \right],$$

where \mathcal{L} is the integrated luminosity, η the detector efficiency, σ_{UU} the cross section for an unpolarized target averaged over beam charge and helicity.

\implies Extraction of all amplitudes in simultaneous Maximum Likelihood fit

- Beam Charge Asymmetry:

$$\mathcal{A}_C(\phi) = -\frac{1}{D(\phi)} \cdot \frac{x_B}{y} \left[c_0^I + c_1^I \cos(\phi) + c_2^I \cos(2\phi) + c_3^I \cos(3\phi) \right]$$

- Beam Spin Asymmetries:

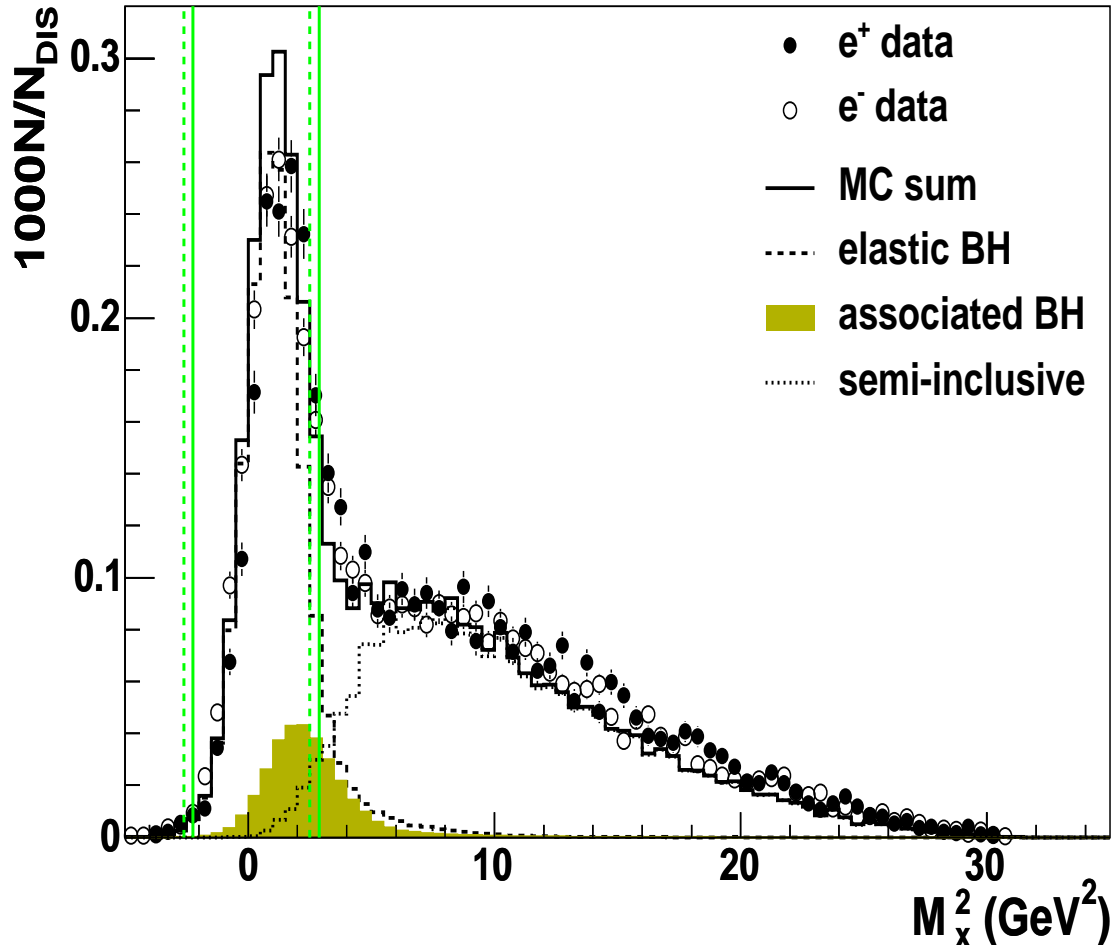
$$\mathcal{A}_{LU}^{DVCS}(\phi) = \frac{1}{D(\phi)} \cdot \frac{x_B^2 t P_1(\phi) P_2(\phi)}{Q^2} s_1^{DVCS} \sin(\phi)$$

$$\mathcal{A}_{LU}^I(\phi) = \frac{1}{D(\phi)} \cdot \frac{x_B}{Q^2} \left[s_1^I \sin(\phi) + s_2^I \sin(2\phi) \right],$$

where dilution factors through lepton propagators $P_1(\phi), P_2(\phi)$:

$$D(\phi) = \frac{\sum_{n=0}^2 c_n^{BH} \cos(n\phi)}{(1+\epsilon^2)^2} + \frac{x_B^2 t P_1(\phi) P_2(\phi)}{Q^2} \sum_{n=0}^2 c_n^{DVCS} \cos(n\phi)$$

Exclusive $e + p \rightarrow e' + \gamma + p'$ event sample at HERMES



“Associated” (resonance) production $ep \rightarrow e\Delta^+\gamma$ is part of the signal, $\sim 12\%$. Its asymmetry is unknown.

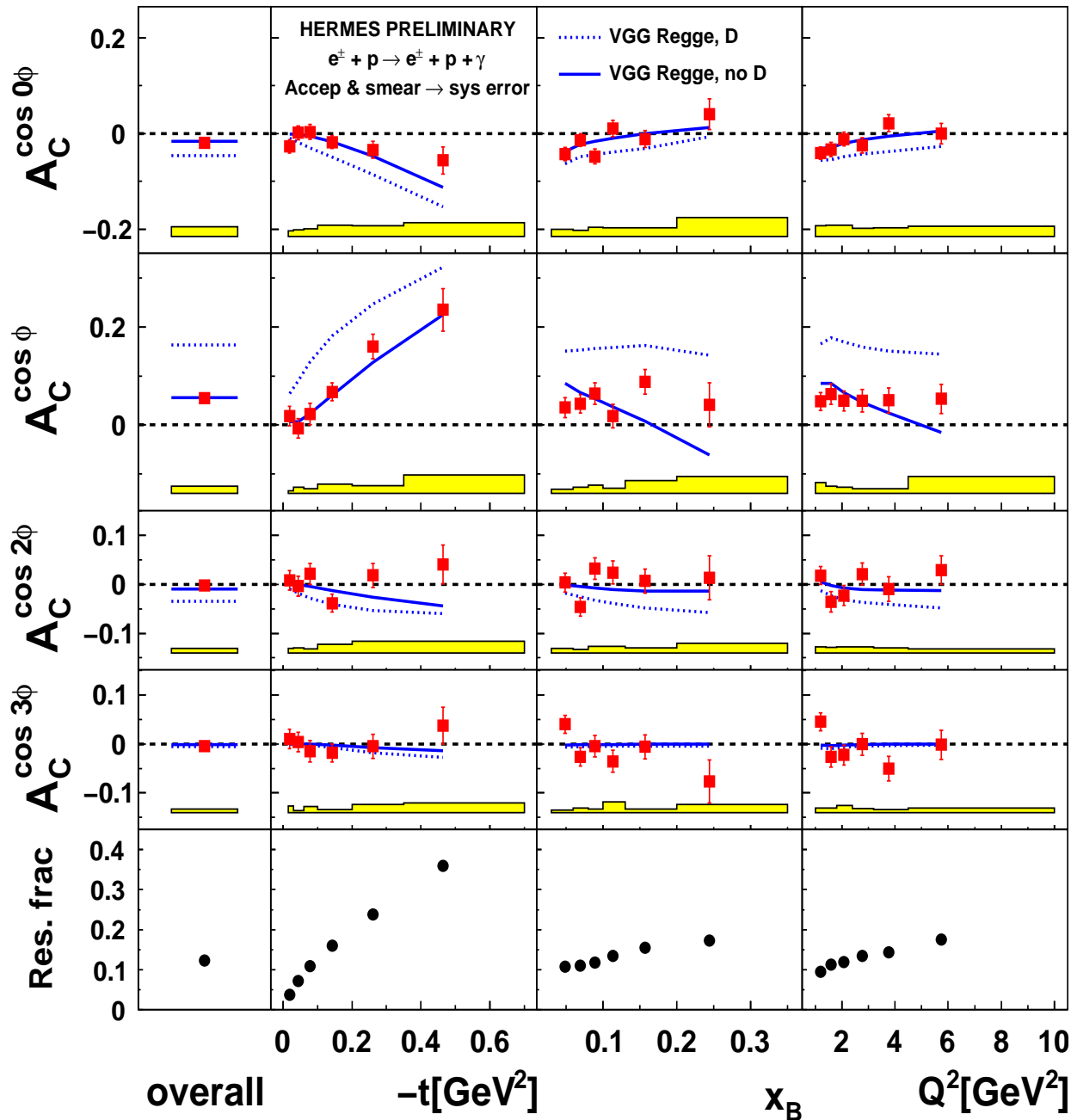
- $1 < Q^2 < 10 \text{ GeV}^2$
 $\nu < 22 \text{ GeV}$
 $0.03 < x_B < 0.35$
 $W > 3 \text{ GeV}$
- No recoil proton detection (1996 ÷ 2005) \rightarrow constraint on missing mass
 $M_X^2 = (P_e + P_p - P_{e'} - P_\gamma)^2$:
DVCS&BH: $-1.5 < M_X^2 < 1.7 \text{ GeV}^2$
- t is calculated without the measured energy of real photon:

$$t = \frac{-Q^2 - 2\nu(\nu - \sqrt{\nu^2 + Q^2} \cos \Theta_{\gamma\gamma^*})}{1 + \frac{1}{M}(\nu - \sqrt{\nu^2 + Q^2} \cos \Theta_{\gamma\gamma^*})}$$

 $5 < \Theta_{\gamma\gamma^*} < 45 \text{ mrad}$
 $-t < 0.7 \text{ GeV}^2$
- SIDIS (mainly π^0) background contribution, $f_{bg} \sim 3\%$ was estimated from MC, A_{bg} measured at large M_X^2 and corrected for:

$$A_{corr} = \frac{A_{raw} - f_{bg} * A_{bg}}{1 - f_{bg}}$$

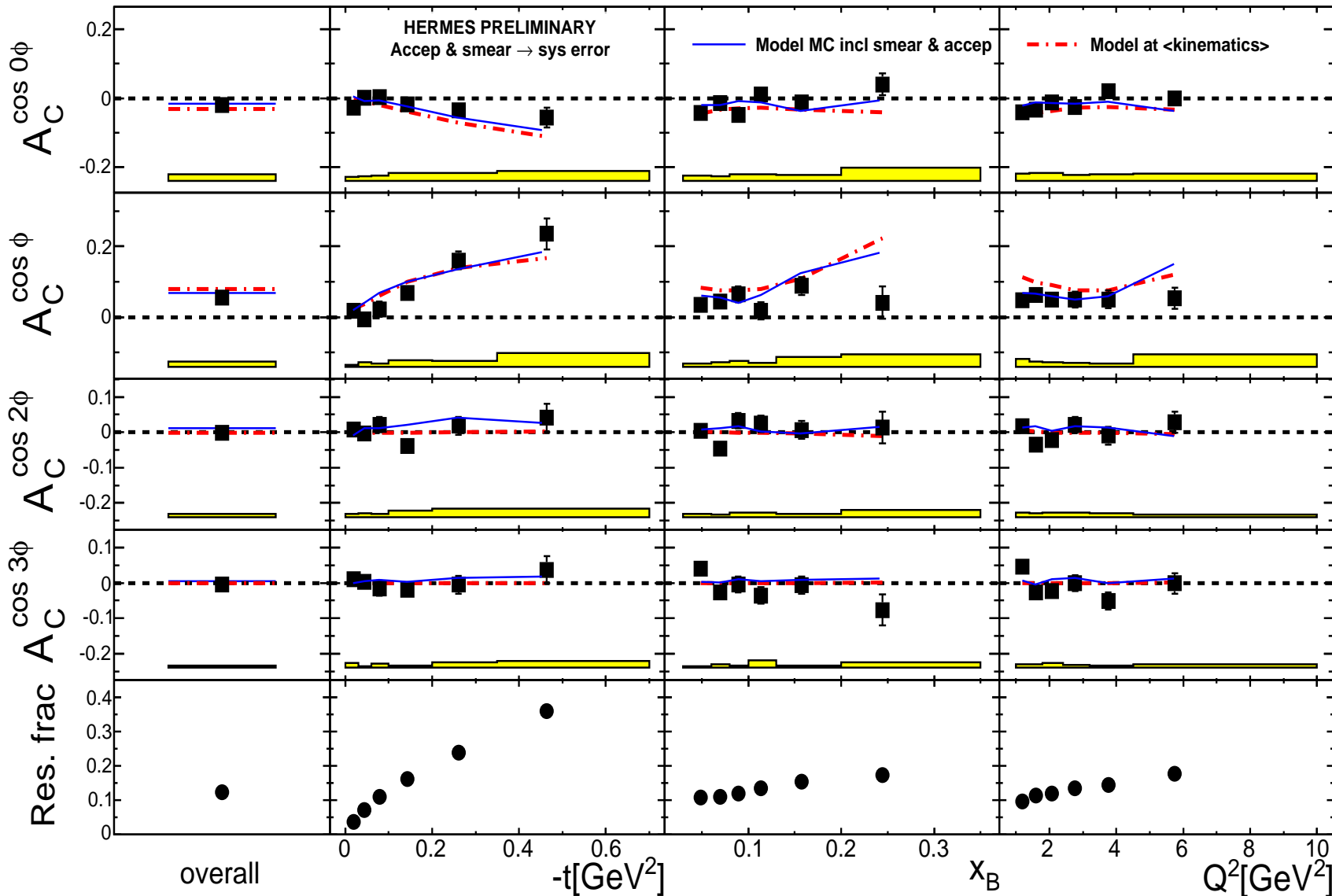
BCA (\mathcal{A}_C) of DVCS on a Hydrogen Target



- constant term $\propto -A_C^{\cos(\phi)}$
- $\propto F_1 \text{Re}\{\mathcal{H}\}$
- higher twist
- gluon leading twist
- Resonant fraction: $ep \rightarrow e\Delta^+\gamma$

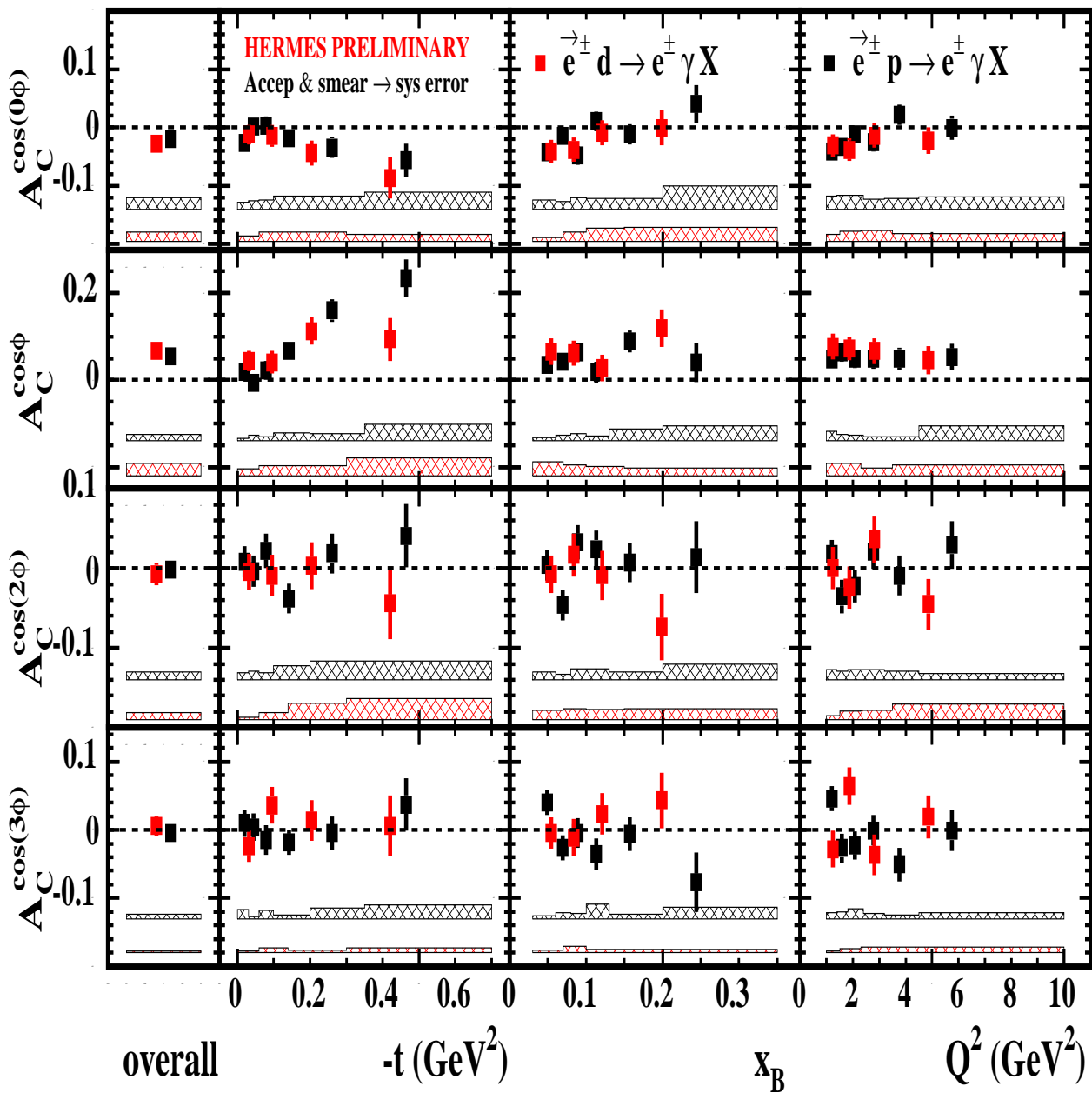
VGG model calculations without D-term are more preferable for the data

Simulation of the Acceptance, Bin-width, Smearing and Misalignment



The difference between simulated asymmetries in 4π and reconstructed in the HERMES acceptance, with the simulation of smearing and misalignment and accounting bin-width, is taken as a systematic uncertainty.

HERMES DVCS A_C on a Hydrogen and Deuterium Targets



- constant term $\propto -A_C^{\cos(\phi)}$

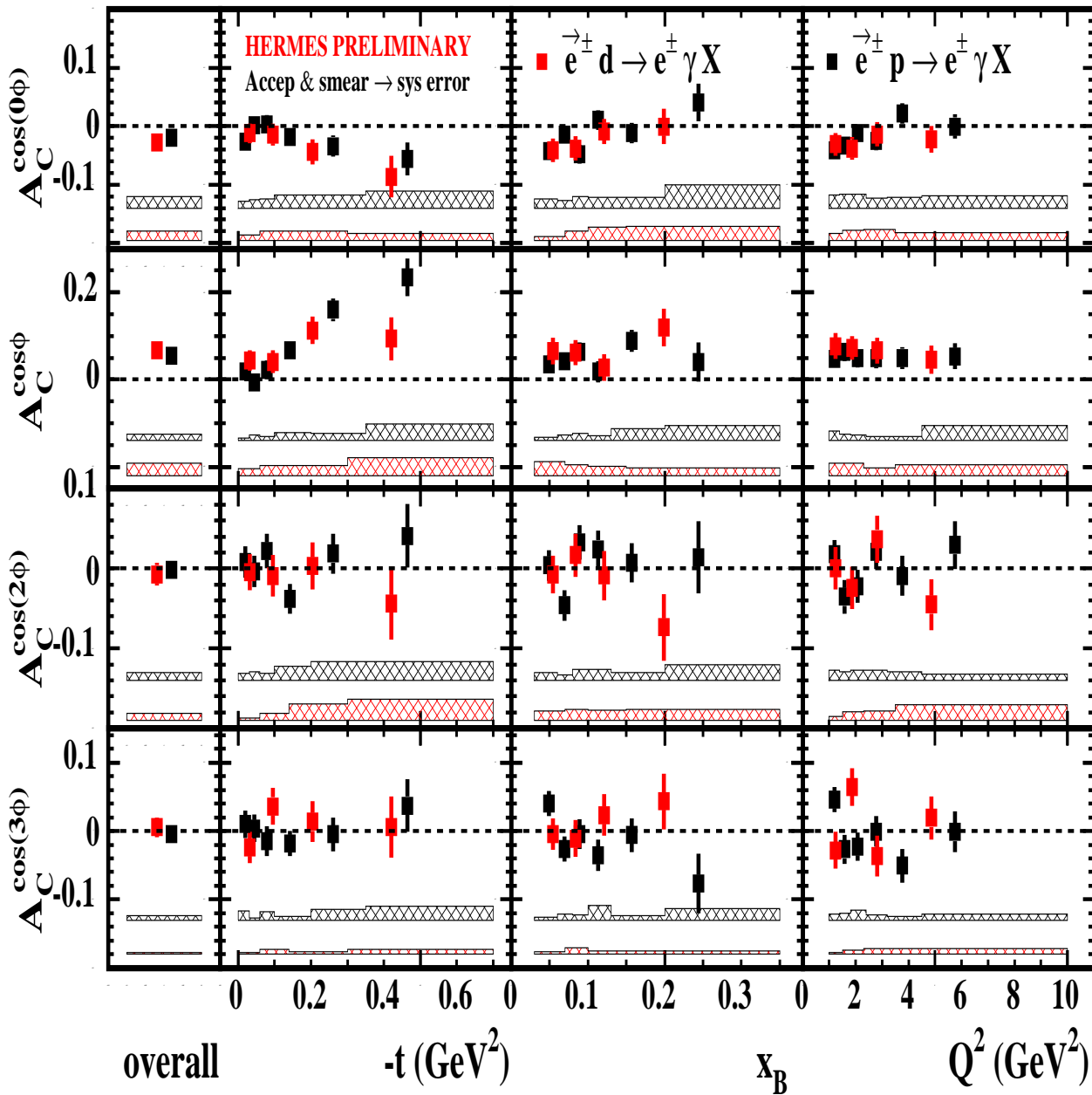
- $\propto F_1 \text{Re}\{\mathcal{H}\}$

- higher twist

- gluon leading twist

\Rightarrow No difference between p and d .

HERMES DVCS \mathcal{A}_C on a Hydrogen and Deuterium Targets



- constant term $\propto -A_C^{\cos(\phi)}$

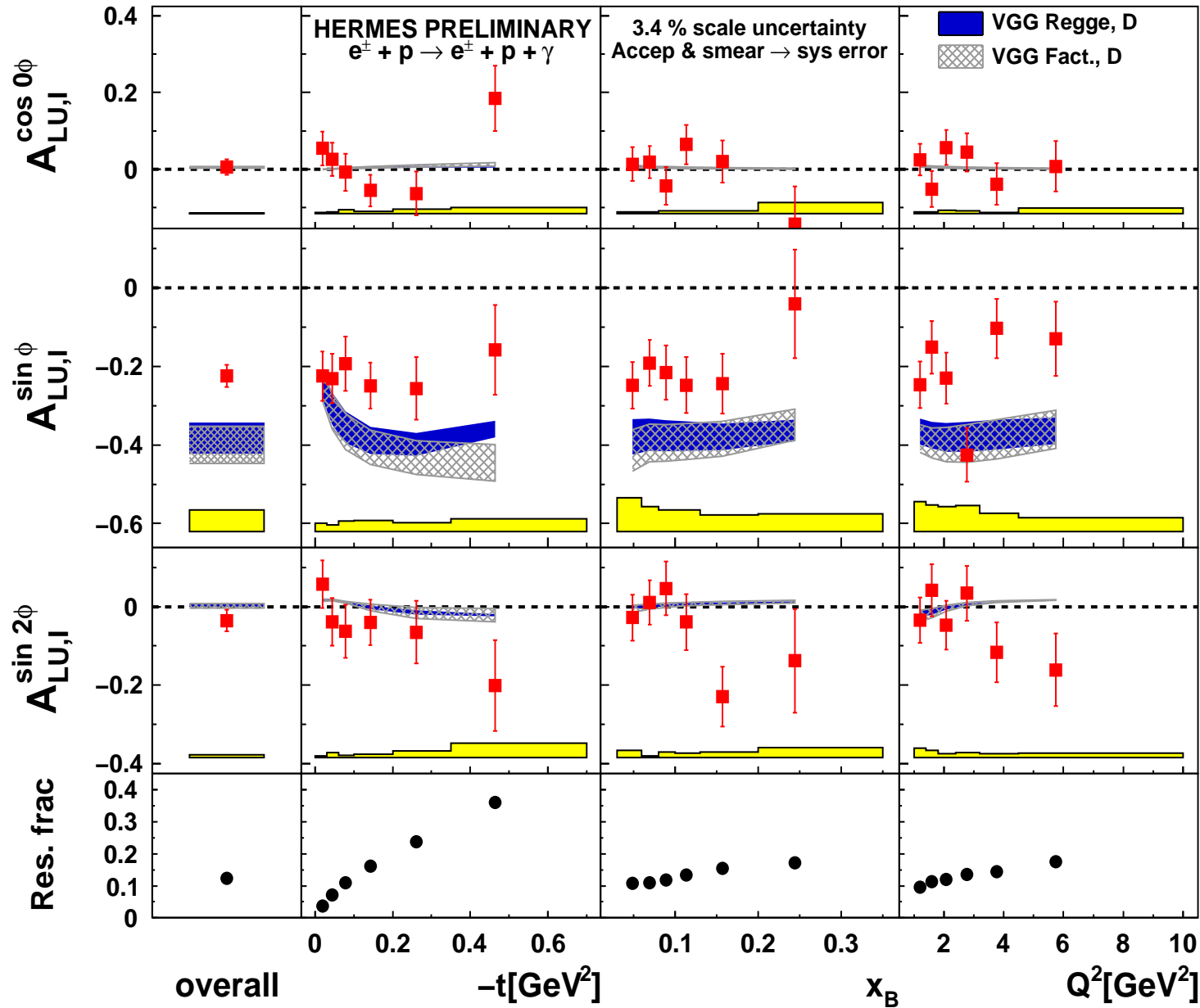
- $\propto F_1 \text{Re}\{\mathcal{H}\}$

- higher twist

- gluon leading twist

⇒ No difference between p and d , as well as for exclusive ρ^0 SDMEs (HERMES collab., EPJ C 62, 4 (2009) 659) and helicity amplitudes, see talk of S.Manayenkov.

HERMES DVCS \mathcal{A}_{LU}^I on a Hydrogen Target



• constant term = 0

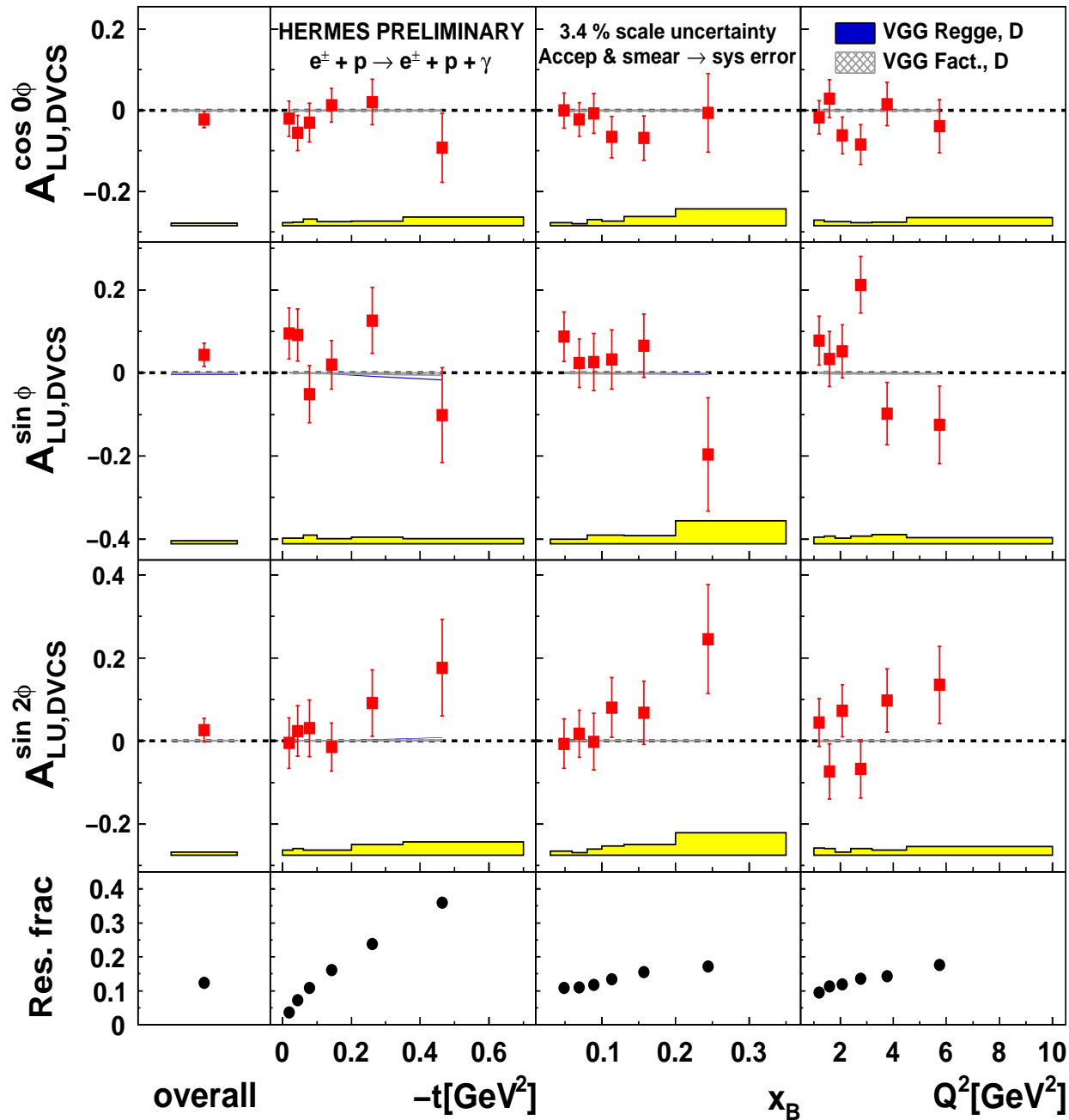
• $\propto F_1 \text{Im}\{\mathcal{H}\}$

• higher twist

• Resonant fraction of $ep \rightarrow e\Delta^+\gamma$

\Rightarrow Disagreement with VGG calculations for $F_1 \text{Im}\{\mathcal{H}\}$. Note similar observation for ρ^0 electroproduction, see talk of S.Manayenkov.

HERMES DVCS A_{LU}^{DVCS} on a Hydrogen Target



- $\propto (\mathcal{H}\mathcal{H}^* + \tilde{\mathcal{H}}\tilde{\mathcal{H}}^*)$, small

- higher twist

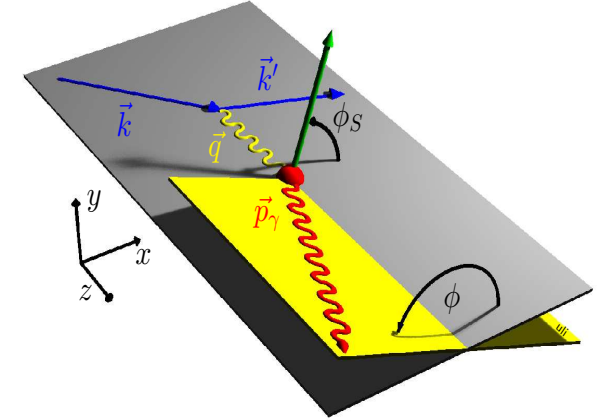
- higher twist

- Resonant fraction of $ep \rightarrow e\Delta^+\gamma$

$$|\tau_{DVCS,UT}|^2 = \dots + K_{DVCS} S_{\perp} \left[c_{0,UT}^{DVCS} \sin(\phi - \phi_s) + \dots \right]$$

$$I_{UT} = \dots + \frac{C_B^{KI}}{P_1(\phi)P_2(\phi)} \times S_{\perp} \left[c_{1,UT}^I \sin(\phi - \phi_s) \cos \phi + s_{1,UT}^I \cos(\phi - \phi_s) \sin \phi + \dots \right]$$

Greatest interest due to GPD function \mathcal{E} contributing in terms with ϕ_s angle

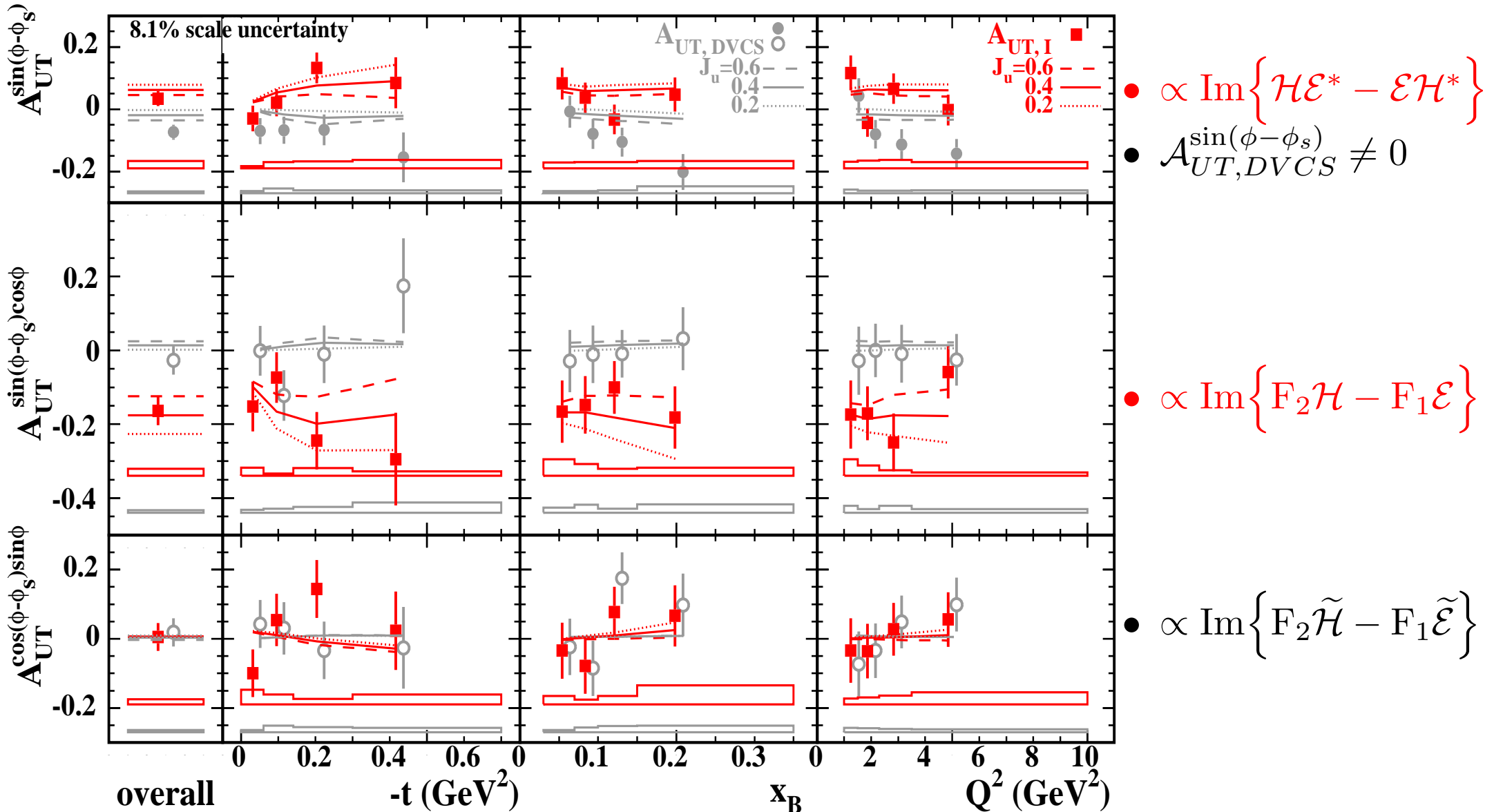


$$c_{0,UT}^{DVCS} \propto -\frac{\sqrt{-t}}{M} \text{Im} \left\{ \mathcal{H} \mathcal{E}^* - \mathcal{E} \mathcal{H}^* + \xi \tilde{\mathcal{E}} \tilde{\mathcal{H}}^* - \tilde{\mathcal{H}} \xi \tilde{\mathcal{E}}^* \right\}$$

$$c_{1,UT}^I \propto -\frac{M}{Q} \text{Im} \left\{ \frac{t}{4M^2} \left[(2 - x_B) F_1 \mathcal{E} - 4 \frac{1-x_B}{2-x_B} F_2 \mathcal{H} \right] + x_B \xi \left[F_1 (\mathcal{H} + \mathcal{E}) - (F_1 + F_2) \left(\tilde{\mathcal{H}} + \frac{t}{4M^2} \tilde{\mathcal{E}} \right) \right] \right\}$$

$$s_{1,UT}^I \propto -\frac{M}{Q} \text{Im} \left\{ \frac{t}{4M^2} \left[4 \frac{1-x_B}{2-x_B} F_2 \tilde{\mathcal{H}} - (F_1 + \xi F_2) x_B \tilde{\mathcal{E}} \right] + x_B \left[(F_1 + F_2) \left(\xi \mathcal{H} + \frac{t}{4M^2} \mathcal{E} \right) - \xi F_1 \left(\tilde{\mathcal{H}} + \frac{x_B}{2} \tilde{\mathcal{E}} \right) \right] \right\},$$

where S_{\perp} is the magnitude of transverse target polarization and $\xi \approx x_B / (2 - x_B)$.



$\mathcal{A}_{UT}^{\sin(\phi - \phi_s) \cos \phi}$ is the most sensitive to parameter J_u at $J_d = 0$.

\Rightarrow With better accuracy a statistically significant constraint on J_u can be obtained

Why Nuclear DVCS?

- Any modifications of GPDs in nuclear environment?
- Any difference between *coherent* scattering off the whole nucleus and *incoherent* on the nucleon?
- Any new insights into the origin of EMC effect, e.g. connected with the transverse motion of quarks in nuclear targets?

DVCS data are available \implies

Coherent-enriched sample with

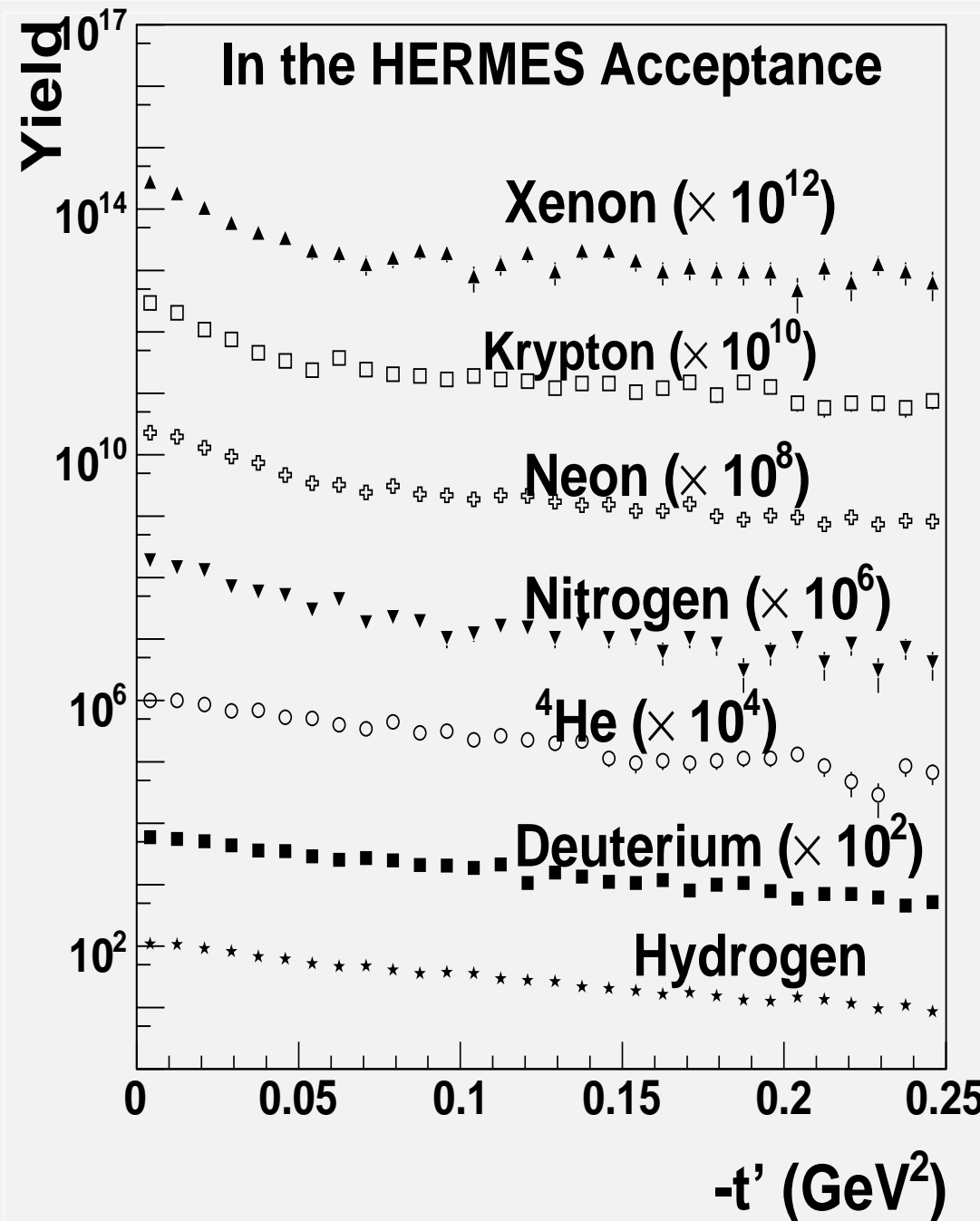
purity $\sim 68\%$, assoc. DVCS $\sim 4\%$:

$\langle -t \rangle \approx 0.018 \text{ GeV}^2$, $\langle x_B \rangle \approx 0.07$, $\langle Q^2 \rangle \approx 1.7 \text{ GeV}^2$

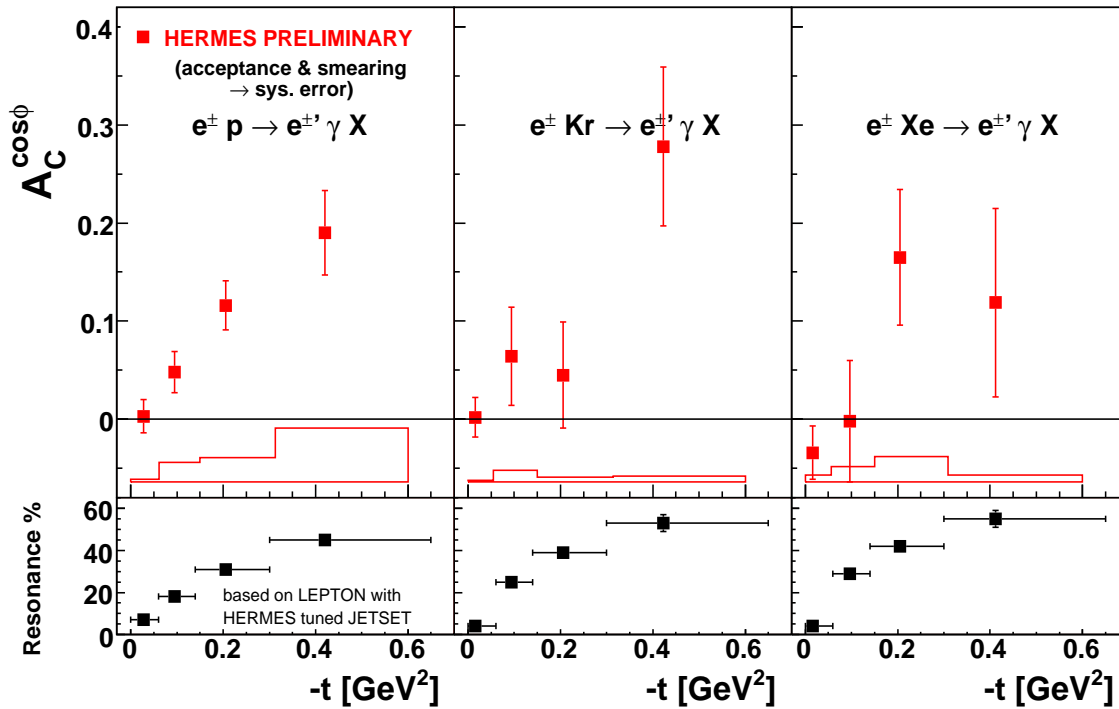
Incoherent-enriched sample with

purity $\sim 62\%$ and assoc. DVCS $\sim 29\%$:

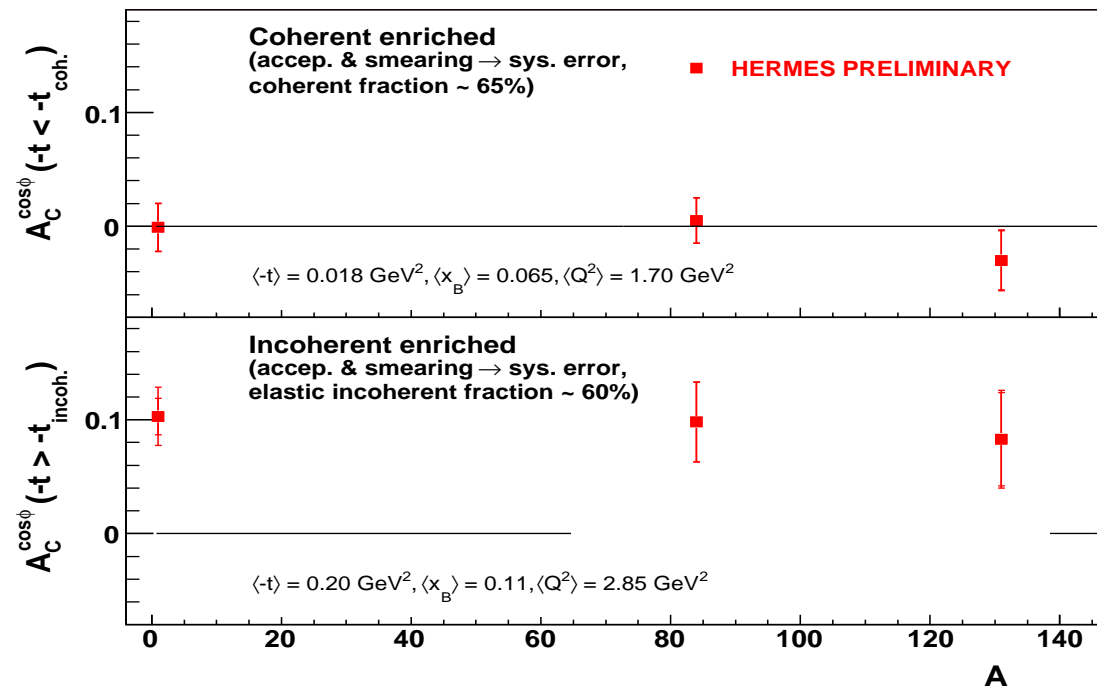
$\langle -t \rangle \approx 0.2 \text{ GeV}^2$, $\langle x_B \rangle \approx 0.11$, $\langle Q^2 \rangle \approx 2.8 \text{ GeV}^2$



Nuclear DVCS: Beam-charge Asymmetry

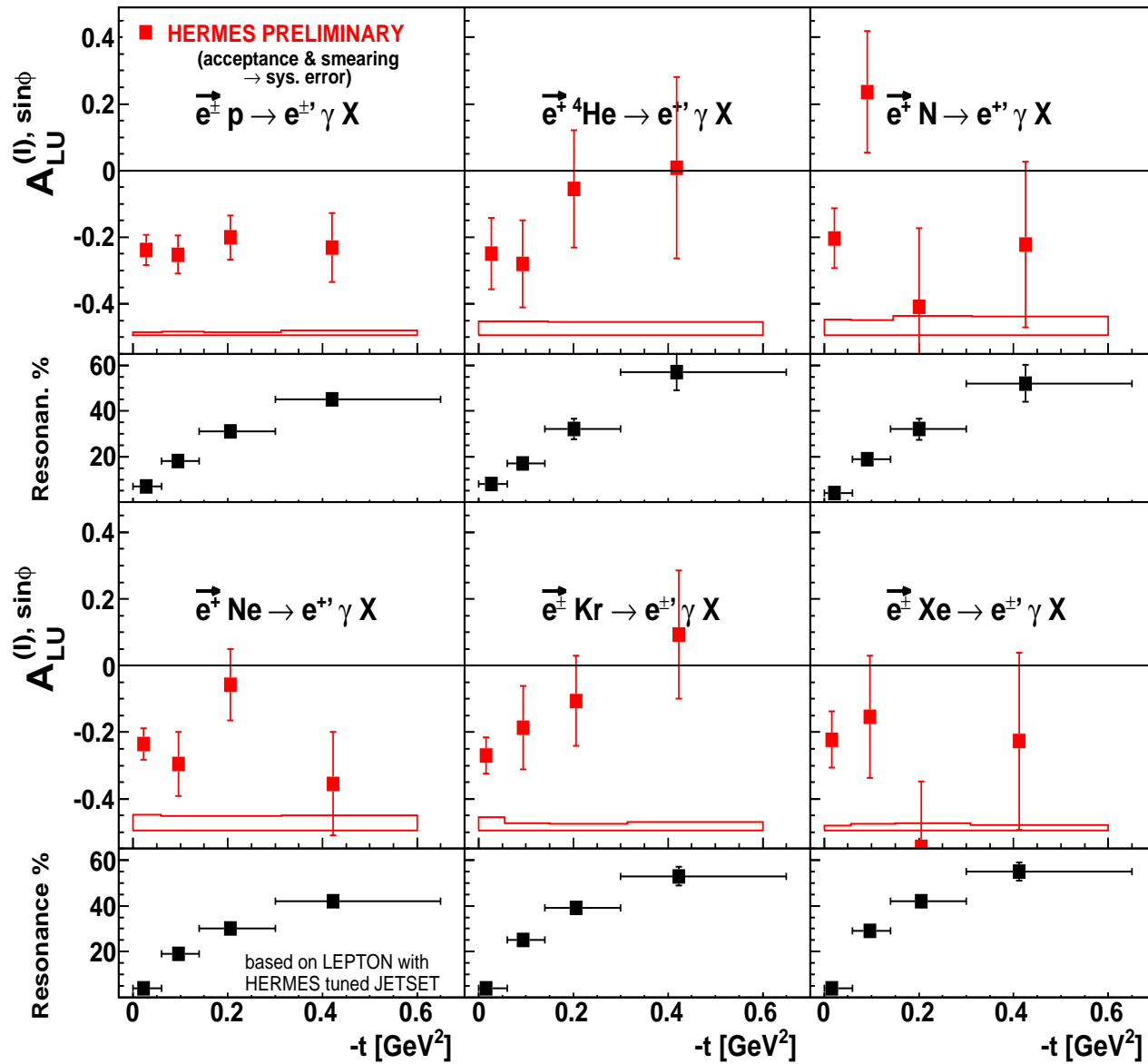


- t dependence:
Kr and Xe are consistent with H.



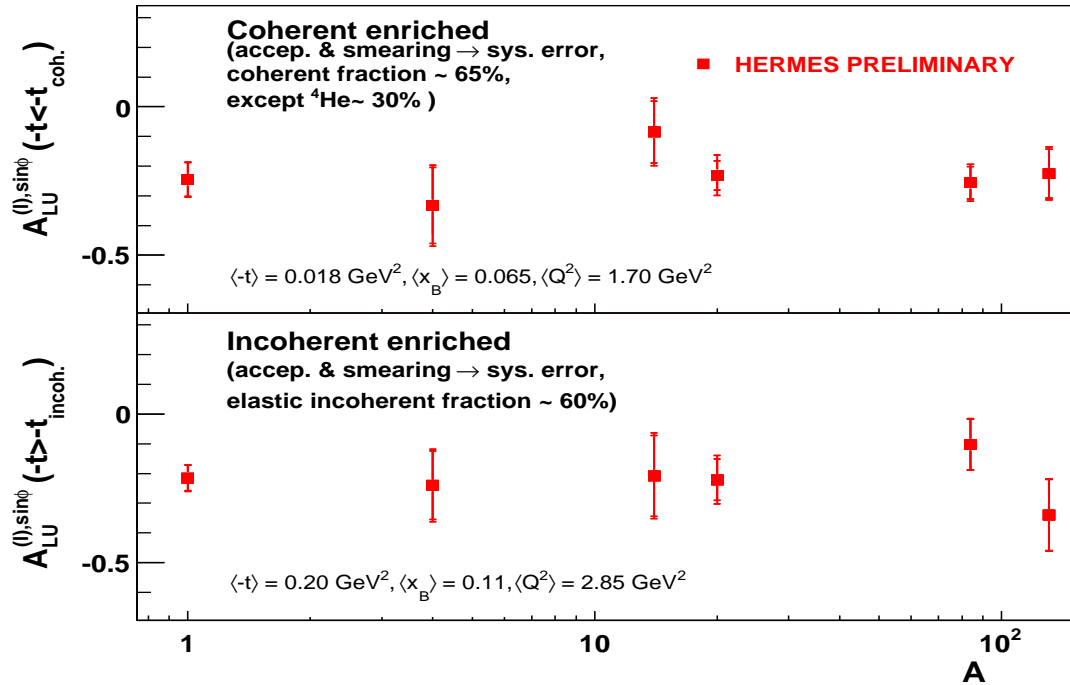
- Separated coherent and incoherent production:
Kr and Xe are consistent with H.

Nuclear DVCS: Beam-spin Asymmetry vs. t



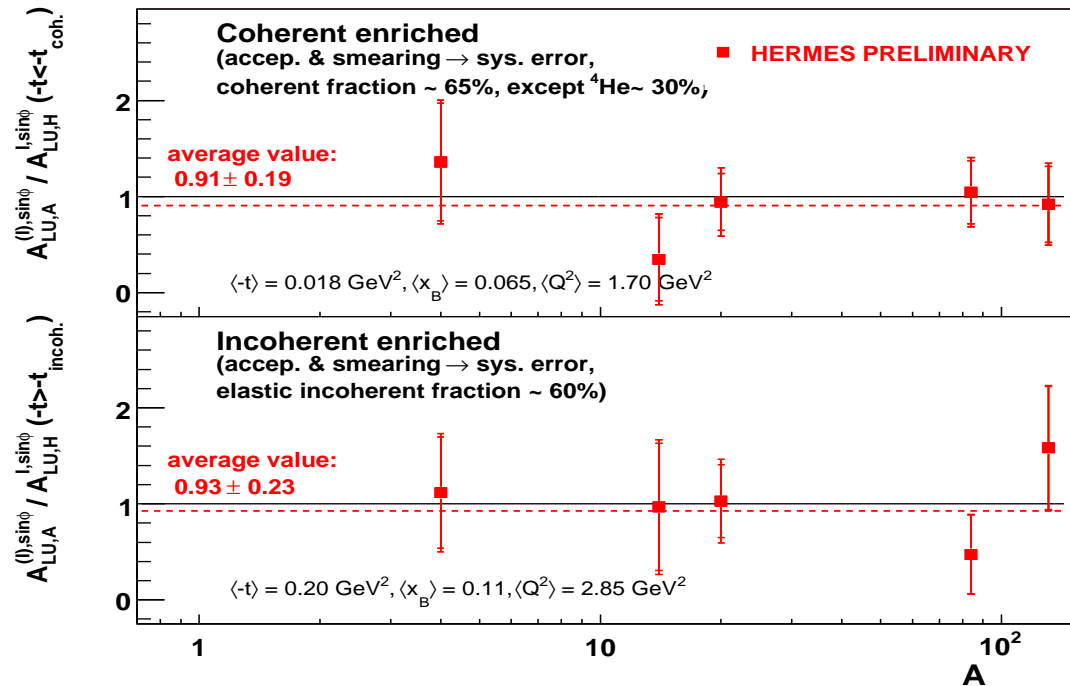
No statistically significant nuclear-mass dependence is observed

Nuclear DVCS: Beam-spin Asymmetry for Coherent and Incoherent DVCS

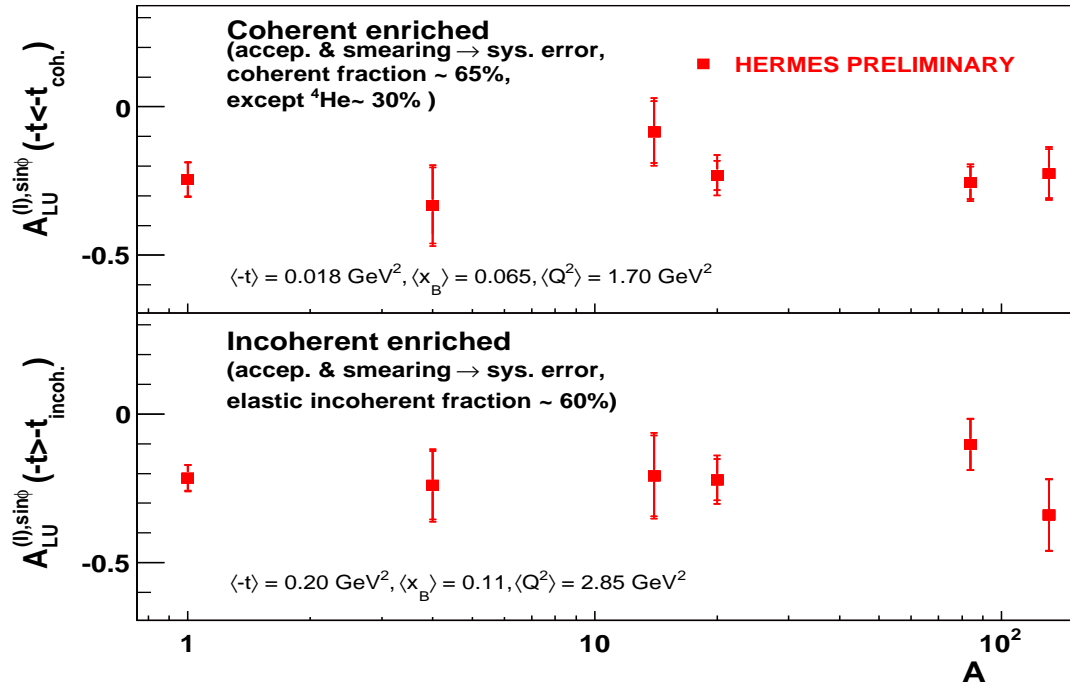


No statistically significant nuclear-mass dependence is observed for coherent and incoherent DVCS.

\Rightarrow **No nuclear-mass dependence is found for DVCS production amplitudes on D, He, N, Ne, Kr and Xe targets.**

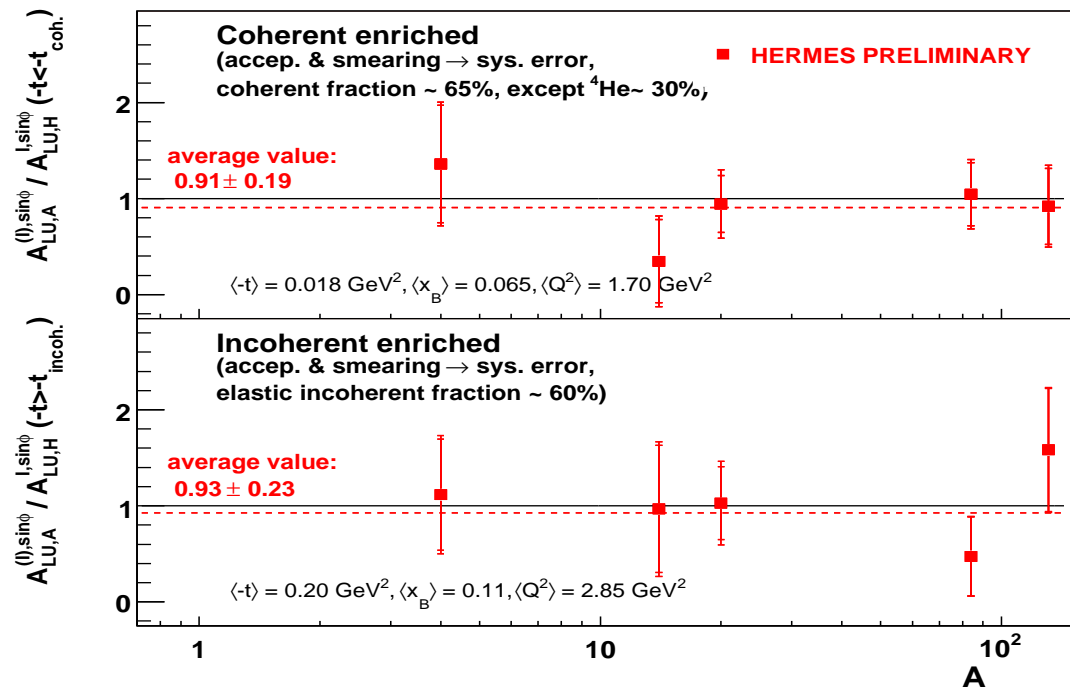


Nuclear DVCS: Beam-spin Asymmetry for Coherent and Incoherent DVCS



No statistically significant nuclear-mass dependence is observed for coherent and incoherent DVCS.

\Rightarrow **No nuclear-mass dependence is found for DVCS production amplitudes on D, He, N, Ne, Kr and Xe targets.**



An indication that for exclusive meson production nuclear effects are caused by the propagation of meson through nuclear matter, but not by the modifications of GPDs in the nuclear environment.

Summary

- DVCS azimuthal asymmetries on proton
 - allow to constrain GPD models:
 - * A_C and A_{LU} provide access to GPD \mathcal{H}
 - * A_{UT} to GPD \mathcal{E}
 - allow to provide a constraint on total angular momentum of valence quarks.
- From the comparison with GPD based calculations of VGG model:
 - $A_{UT}^{\sin(\phi-\phi_s)\cos\phi}$ is the most sensitive to parameter J_u
 - calculations without D-term are more favourable for the data
 - disagreement of A_{LU} data with the calculations for $\text{Im}\{\mathcal{H}\}$
- The results on hydrogen and deuterium targets agree very well for all leading twist amplitudes.
- The results on He, N, Ne, Kr and Xe targets show no nuclear-mass dependence.

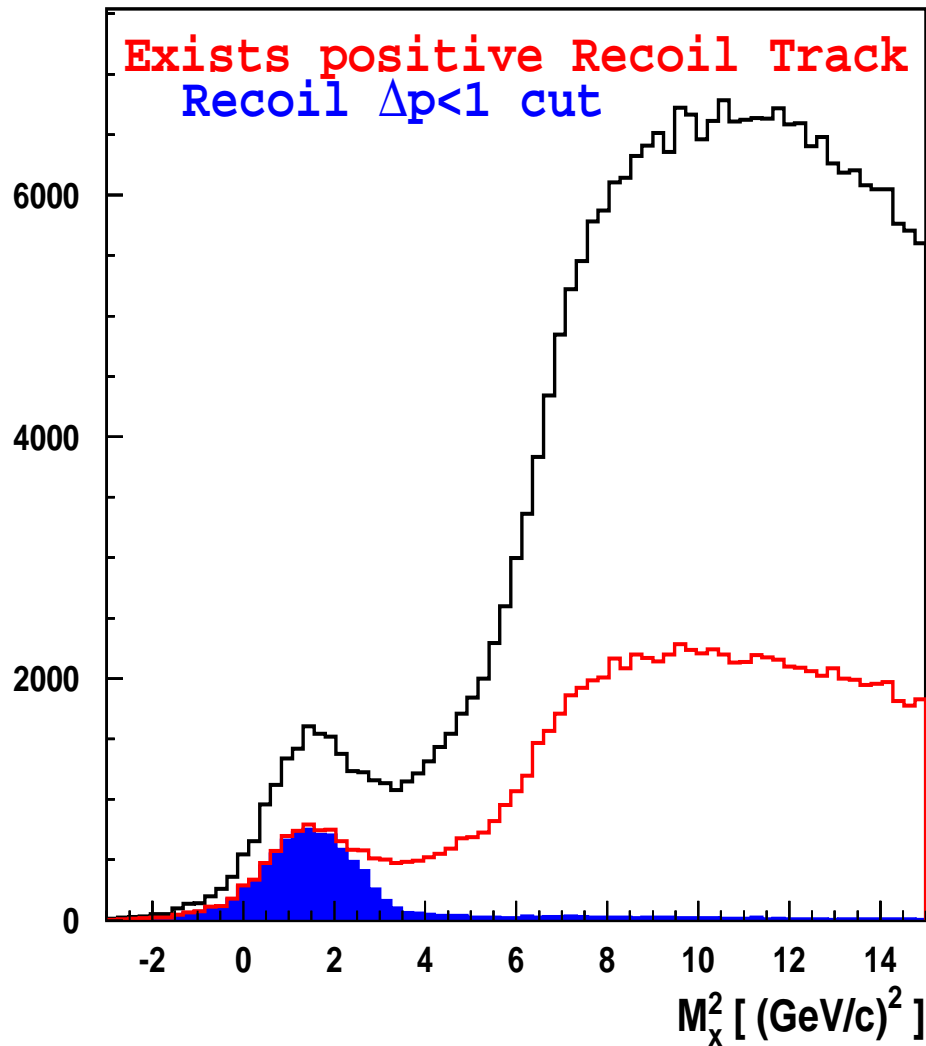
⇒ **Several HERMES DVCS papers will be published soon.**

Outlook: New Data with HERMES Recoil Detector

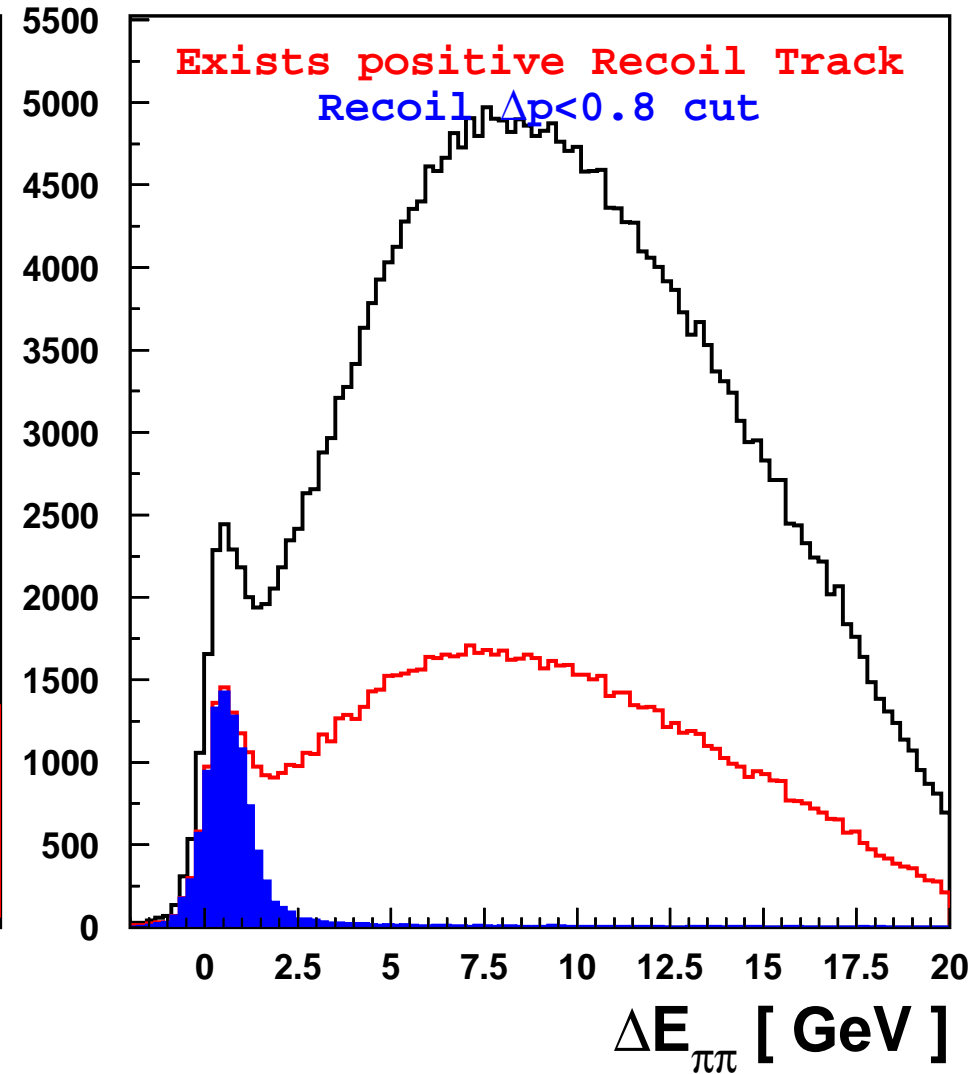
In 2006–2007 about two times more proton data than in 1996–2005.

SIDIS background can be neglected for exclusive reactions with recoil proton detected:

DVCS event candidates



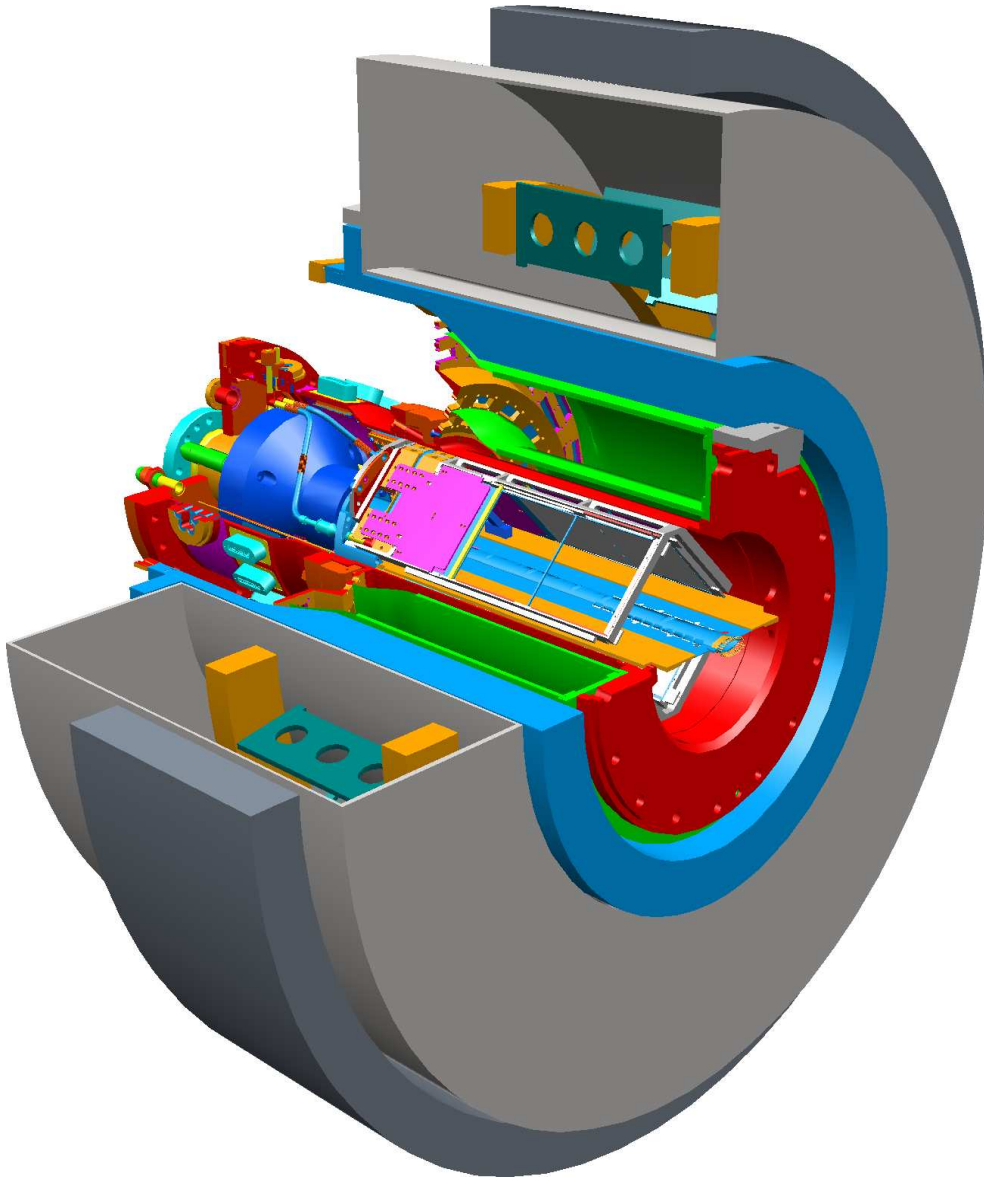
Rho event candidates



Black histogram - event candidates without Recoil Detector

$\Delta P = P_{meas}(p') - P_{calc} \implies$ small ΔP corresponds to the exclusive reactions

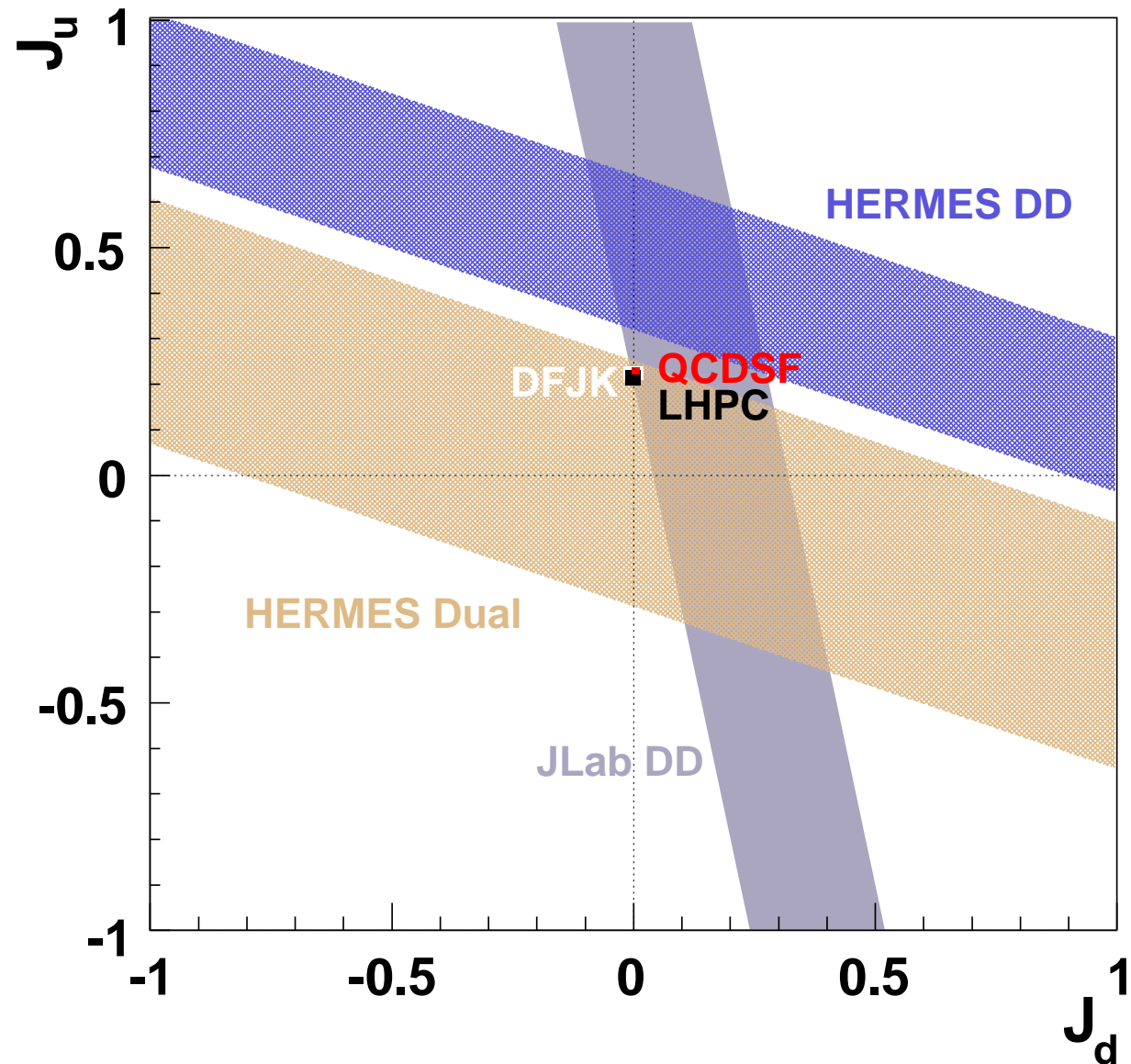
Outlook. The HERMES Recoil Detector



- SC Solenoid with 1 Tesla field
- Photon Detector with 3 layers of Tungsten/Scintillator
- Scintillating Fiber Tracker: 2 barrels with 2 parallel & 2 stereo-layers each
- Silicon Strip Detector: 2 layers of double-sided sensors (10 cm × 10 cm) inside the beam pipe
- For Silicon & Fiber Tracker
 $135 < P_{p'} < 1200 \text{ MeV}$
 p'/π PID for $P < 650 \text{ MeV}/c$
- For Photon Detector
 p'/π PID for $P > 650 \text{ MeV}/c$
 π^0 background suppression
- Target cell with unpol. ^2H or ^2D

⇒ In 2006-2007 about two times more proton data than in 1996-2005

Backup. Estimate of J_d and J_u from DVCS data and GPDs



(HERMES collab., A. Airapetian et al, JHEP 06 (2008) 066, arXiv:0802.2499, DESY-07-2 25)

Bands: $1-\sigma$ model-dependent constraint on J_u and J_d taken as free parameters in DD - double-distribution and Dual - dual parameterization GPD models. QCDSF and LHPC - lattice calculations; DFJK - fit of nucleon form factor data.