

Target single- and double-spin asymmetries in DVCS off a longitudinal polarised hydrogen target at HERMES

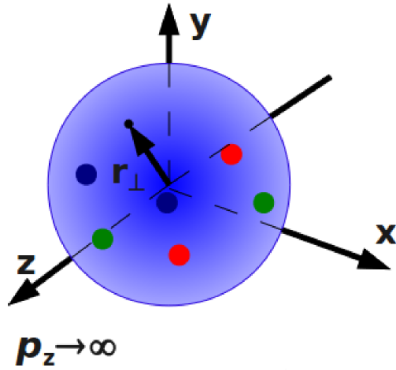
David Mahon

On behalf of the HERMES Collaboration

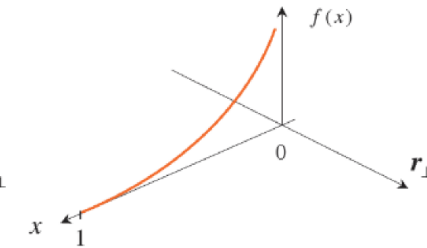
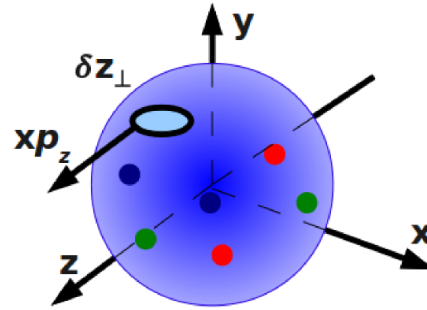
DIS 2010 - Florence, Italy



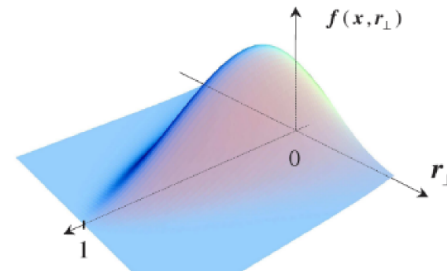
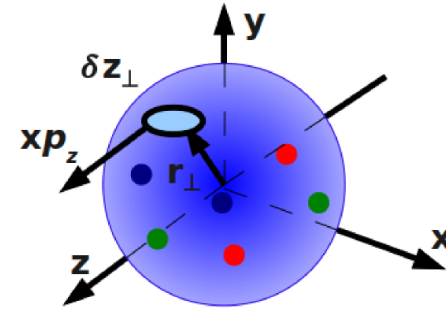
- Generalised Parton Distributions
- Deeply Virtual Compton Scattering
- Longitudinally-Polarised Target Asymmetries
- The HERMES Experiment @ DESY
- Data Selection and Extraction of Asymmetries
- Systematic Uncertainties
- Final Results and Theory Comparison



$p_z \rightarrow \infty$



Parton Distribution Functions



Generalised Parton Distributions

Form Factors

$$\int_{-1}^1 H(x, \xi, t) dx = F_1(t)$$

$$\int_{-1}^1 E(x, \xi, t) dx = F_2(t)$$

$$\int_{-1}^1 \tilde{H}(x, \xi, t) dx = G_A(t)$$

$$\int_{-1}^1 \tilde{E}(x, \xi, t) dx = G_P(t)$$

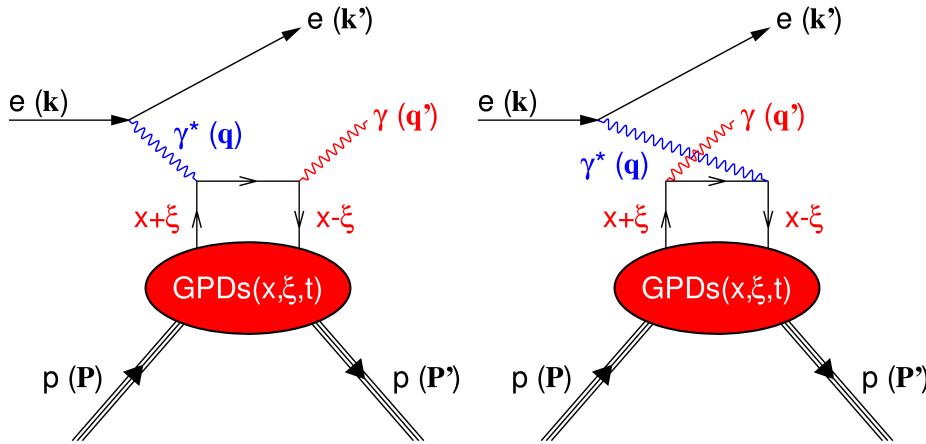
$$H^q(x, 0, 0) = q(x)$$

$$\tilde{H}^q(x, 0, 0) = \Delta q(x)$$

At leading twist and for a proton target there are 4 quark GPDs:

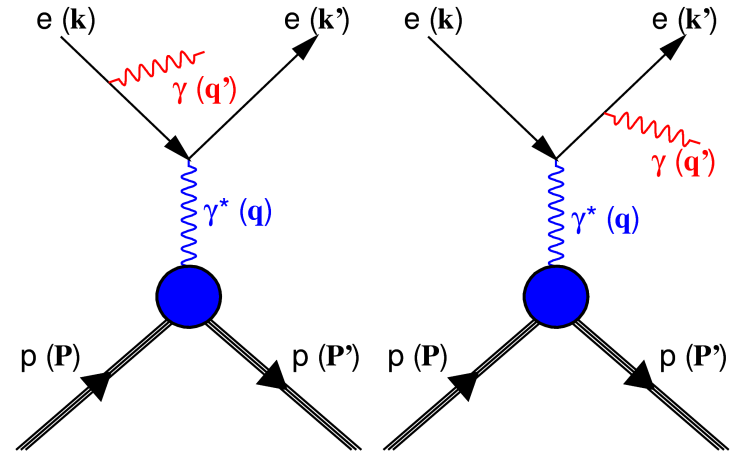
$$H, E, \tilde{H}, \tilde{E}$$

The $e\vec{p} \rightarrow e\gamma$ Interaction



Deeply Virtual Compton Scattering (DVCS)

$$e(\mathbf{k}) p(\mathbf{p}) \xrightarrow{\gamma^*(\mathbf{q})} e(\mathbf{k}') p(\mathbf{p}') \gamma(\mathbf{q}')$$



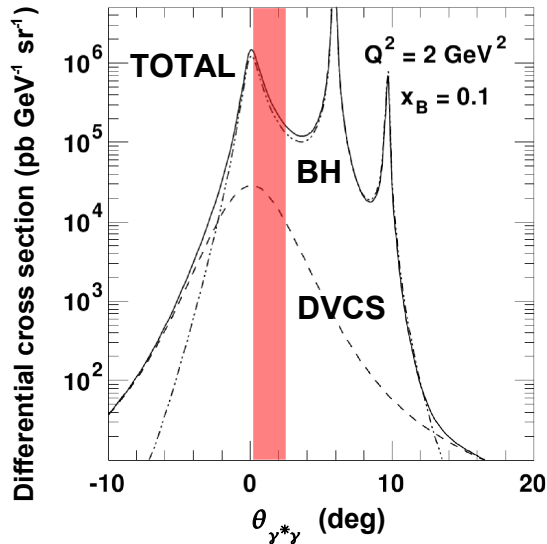
Bethe-Heitler (BH)

The four-fold differential cross-section (neglecting transverse components) can be expressed as

$$\frac{d\sigma}{dx_B dQ^2 d|t| d\phi} = \frac{x_B e_l^6 |\tau|^2}{32(2\pi)^4 Q^4 \sqrt{1 + \epsilon^2}} \quad \text{where } \epsilon = 2x_B \frac{M_p}{Q}$$

As the DVCS and BH processes have the same initial and final states, their scattering amplitudes interfere, *i.e.*

$$|\tau|^2 = |\tau_{\text{BH}}|^2 + |\tau_{\text{DVCS}}|^2 + \overbrace{\tau_{\text{BH}} \tau_{\text{DVCS}}^* + \tau_{\text{BH}}^* \tau_{\text{DVCS}}}^{\mathcal{I}}$$



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The DVCS interaction is **suppressed** with respect to BH at HERMES kinematics and in the **analysed θ_{y^*y} range**.

Important GPD-related information can be accessed via the Interference and squared-DVCS terms which are Fourier expanded in ϕ to twist-3 level as

$$\mathcal{I} = \frac{-e_\ell K_{\mathcal{I}}}{\mathcal{P}(\phi)} \left(P_\ell P_L \sum_{n=0}^2 c_{n,LP}^{\mathcal{I}} \cos(n\phi) + P_L \sum_{n=1}^3 s_{n,LP}^{\mathcal{I}} \sin(n\phi) \right)$$

Beam
Polarisation

Target
Polarisation

+ terms associated with an unpolarised target

$$|\tau_{\text{DVCS}}|^2 = K_{\text{DVCS}} \left(P_\ell P_L \sum_{n=0}^1 c_{n,LP}^{\text{DVCS}} \cos(n\phi) + P_L \sum_{n=1}^2 s_{n,LP}^{\text{DVCS}} \sin(n\phi) \right)$$

The Fourier coefficients relate to combinations of **Compton Form Factors (CFFs)** which are convolutions of the corresponding GPD with a hard-scattering kernel.

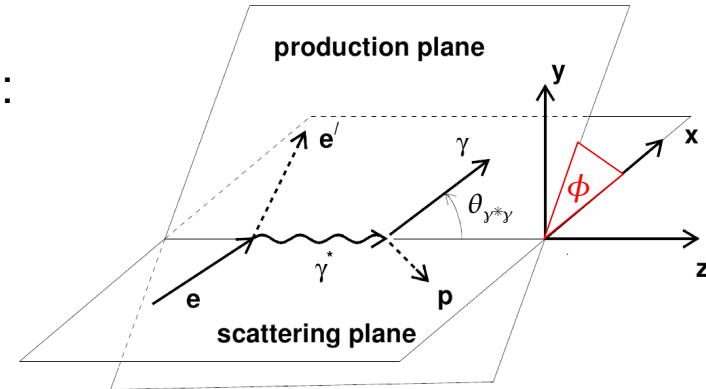
The squared-BH terms are exactly calculable in terms of the Dirac and Pauli FFs and known kinematic conditions.

Two asymmetries in the distribution of real photons with respect to the azimuthal angle ϕ are extracted:

$$A_{UL}(\phi) \equiv \frac{[\sigma^{\leftarrow\rightarrow}(\phi) + \sigma^{\rightarrow\rightarrow}(\phi)] - [\sigma^{\leftarrow\leftarrow}(\phi) + \sigma^{\rightarrow\leftarrow}(\phi)]}{[\sigma^{\leftarrow\rightarrow}(\phi) + \sigma^{\rightarrow\rightarrow}(\phi)] + [\sigma^{\leftarrow\leftarrow}(\phi) + \sigma^{\rightarrow\leftarrow}(\phi)]}$$

$$= \frac{K_{DVCS}}{\mathcal{D}_{\text{unp}}(\phi)} \sum_{n=1}^2 s_{n,LP}^{\text{DVCS}} \sin(n\phi) - \frac{e_\ell K_{\mathcal{I}}}{\mathcal{D}_{\text{unp}}(\phi) \mathcal{P}(\phi)} \sum_{n=1}^3 s_{n,LP}^{\mathcal{I}} \sin(n\phi)$$

Beam → Target



The single-spin target asymmetry is sensitive to the imaginary part of CFF $\tilde{\mathcal{H}}$

$$A_{LL}(\phi) \equiv \frac{[\sigma^{\rightarrow\rightarrow}(\phi) + \sigma^{\leftarrow\leftarrow}(\phi)] - [\sigma^{\leftarrow\rightarrow}(\phi) + \sigma^{\rightarrow\leftarrow}(\phi)]}{[\sigma^{\rightarrow\rightarrow}(\phi) + \sigma^{\leftarrow\leftarrow}(\phi)] + [\sigma^{\leftarrow\rightarrow}(\phi) + \sigma^{\rightarrow\leftarrow}(\phi)]}$$

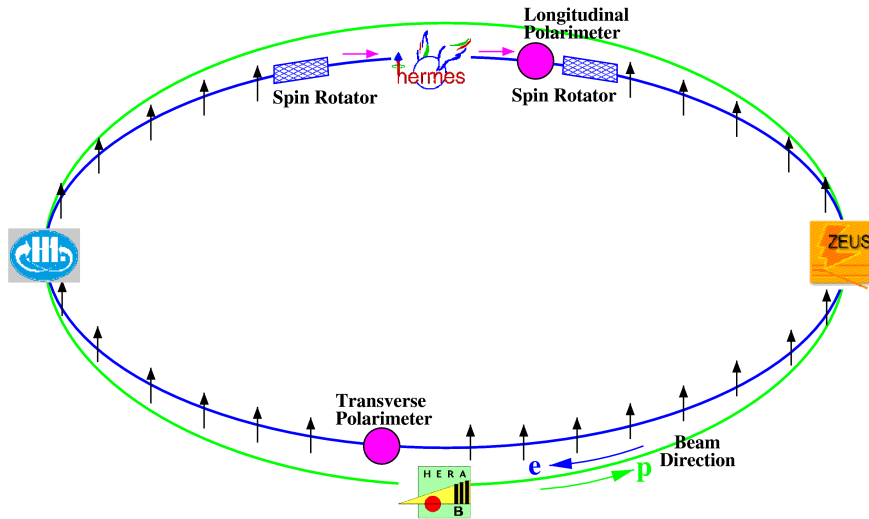
$$= \frac{K_{\text{BH}}}{\mathcal{D}_{\text{unp}}(\phi)} \sum_{n=0}^1 c_{n,LP}^{\text{BH}} \cos(n\phi) + \frac{K_{\text{DVCS}}}{\mathcal{D}_{\text{unp}}(\phi)} \sum_{n=0}^1 c_{n,LP}^{\text{DVCS}} \cos(n\phi) - \frac{e_\ell K_{\mathcal{I}}}{\mathcal{D}_{\text{unp}}(\phi) \mathcal{P}(\phi)} \sum_{n=0}^2 c_{n,LP}^{\mathcal{I}} \cos(n\phi)$$

The double-spin asymmetry is sensitive to the real part of CFF $\tilde{\mathcal{H}}$

The beam-helicity asymmetry has been extracted at HERMES from a larger superset of data. *JHEP* 11 (2009) 083

$$A_{LU}(\phi) \equiv \frac{[\sigma^{\rightarrow\leftarrow}(\phi) + \sigma^{\rightarrow\rightarrow}(\phi)] - [\sigma^{\leftarrow\leftarrow}(\phi) + \sigma^{\leftarrow\rightarrow}(\phi)]}{[\sigma^{\rightarrow\leftarrow}(\phi) + \sigma^{\rightarrow\rightarrow}(\phi)] + [\sigma^{\leftarrow\leftarrow}(\phi) + \sigma^{\leftarrow\rightarrow}(\phi)]} \propto \Im m \mathcal{H}$$

The HERMES Experiment: The Long. Pol. Proton Data Set

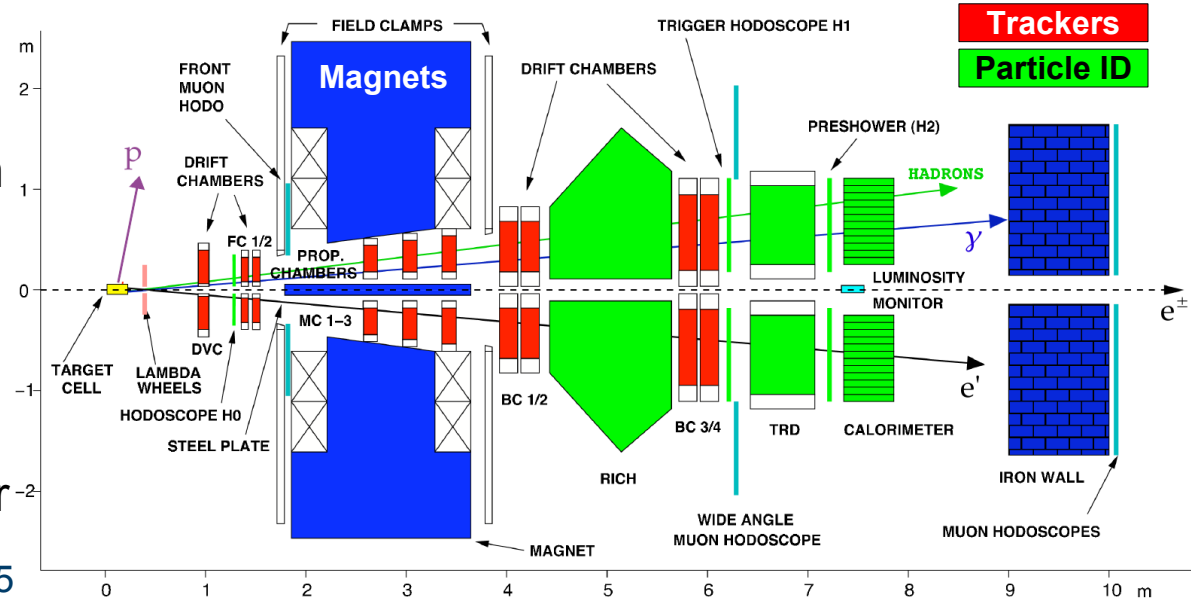


- Situated on the HERA ring at DESY
- Fixed Gas Target Experiment
- Data taken in 1996 – 1997
- Long. pol. (~80%) Hydrogen gas
- 27.57 GeV long. pol. (~50%) e^+ beam
- Luminosity $\sim 50 \text{ pb}^{-1}$

γ detected in the calorimeter

Charged track identified as an e^+ detected in the calorimeter and tracked through the spectrometer

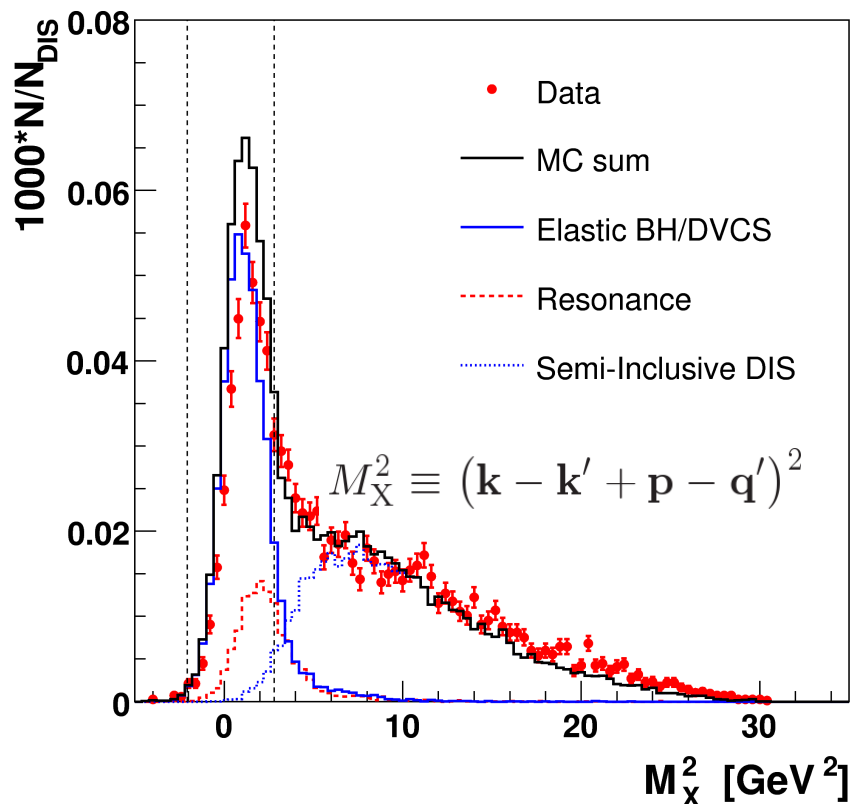
p is not detected. This data was taken pre-Recoil Detector



One positron, fully tracked through the spectrometer and one photon, identified as a single signal cluster with no track, must be detected with:

$$1 \text{ GeV}^2 \leq Q^2 \leq 10 \text{ GeV}^2, 0.03 \leq x_B \leq 0.35,$$

$$W > 3 \text{ GeV}, \nu < 22 \text{ GeV}, -t < 0.7 \text{ GeV}^2$$



Pre-Recoil 'exclusive' data sample is selected by constraining the missing mass:

$$-2.08 \text{ GeV}^2 \leq M_X^2 \leq 2.81 \text{ GeV}^2$$

MC studies show that the final sample contains contributions from:

- DVCS/BH – 84%
- Resonance production – 13%
- Semi-Inclusive M^0 production – 3%
- Exclusive π^0 production < 1%

The resultant yield is written for each beam and target polarisation state as:

$$\langle \mathcal{N}(P_\ell, P_L, \phi) \rangle = \underset{\substack{\text{Time-integrated} \\ \text{Luminosity}}}{L(P_\ell)} \overset{\substack{\text{Detection} \\ \text{Efficiency}}}{\eta(\phi)} \underset{\substack{\text{Unpolarised} \\ \text{Cross Section}}}{\sigma_{\text{UU}}(\phi)} [1 + P_L \mathcal{A}_{\text{UL}}(\phi) + P_\ell P_L \mathcal{A}_{\text{LL}}(\phi)]$$

The asymmetries are simultaneously extracted using the Maximum Likelihood fitting formalism as:

$$-\ln \mathcal{L}_{\text{EML}}(\theta) = - \sum_{\mathbf{i}}^N \ln[1 + P_L \mathcal{A}_{\text{UL}}(\mathbf{x}_i; \theta) + P_\ell P_L \mathcal{A}_{\text{LL}}(\mathbf{x}_i; \theta)] + \mathcal{N}(\theta)$$

where $\mathbf{x}_i \in \{\phi, -t, x_B, Q^2\}$ are variables for an event \mathbf{i} and θ are the most likely set of asymmetry amplitudes.

The extracted asymmetry amplitudes are:

$$\mathcal{A}_{\text{UL}}(\phi) \simeq A_{\text{UL}}^{\cos(0\phi)} + \sum_{n=1}^3 A_{\text{UL}}^{\sin(n\phi)} \sin(n\phi) \quad \mathcal{A}_{\text{LL}}(\phi) \simeq \sum_{n=0}^2 A_{\text{LL}}^{\cos(n\phi)} \cos(n\phi).$$

These amplitudes relate to Fourier coefficients appearing in the expansion of $|\tau|^2$.

Linking Extracted Amplitudes and Fourier Coefficients

These asymmetry amplitudes relate to the Fourier coefficients which depend on \mathcal{C} -functions – functions of real or imaginary parts of CFFs

Asymmetry Amplitude	Contributing Fourier-Coefficient	Twist Level	CFF Dependence
$A_{UL}^{\sin \phi}$	$s_{1,LP}^I$	2	$\Im m \mathcal{C}_{LP}^I$
	$s_{1,LP}^{DVCS}$	3	$\Im m \mathcal{C}_{LP}^{DVCS}$
$A_{UL}^{\sin(2\phi)}$	$s_{2,LP}^I$	3	$\Im m \mathcal{C}_{LP}^I$
	$s_{2,LP}^{DVCS}$	2	$\Im m \mathcal{C}_{T,LP}^{DVCS}$
$A_{UL}^{\sin(3\phi)}$	$s_{3,LP}^I$	2	$\Im m \mathcal{C}_{T,LP}^I$
$A_{LL}^{\cos(0\phi)}$	$c_{0,LP}^I$	2	$\Re e \mathcal{C}_{LP}^I$
	$c_{0,LP}^{DVCS}$	2	$\Re e \mathcal{C}_{LP}^{DVCS}$
	$c_{0,LP}^{BH}$	-	-
$A_{LL}^{\cos \phi}$	$c_{1,LP}^I$	2	$\Re e \mathcal{C}_{LP}^I$
	$c_{1,LP}^{DVCS}$	3	$\Re e \mathcal{C}_{LP}^{DVCS}$
	$c_{1,LP}^{BH}$	-	-
$A_{LL}^{\cos(2\phi)}$	$c_{2,LP}^I$	3	$\Re e \mathcal{C}_{LP}^I$

Unlike other HERMES analyses using both beam charges, the contributions from the interference and squared-DVCS terms cannot be disentangled.

} → Functions of gluon-helicity-flip CFFs suppressed by α_s/π

The leading-twist amplitudes $A_{UL}^{\sin \phi}$ and $A_{LL}^{\cos \phi}$ offer the best opportunity to access information on the real and imaginary parts of CFF $\tilde{\mathcal{H}}$ via \mathcal{C}_{LP}^I which is linear in CFFs:

$$\mathcal{C}_{LP}^I = \frac{x_B}{2 - x_B} (F_1 + F_2) \left(\mathcal{H} + \frac{x_B}{2} \mathcal{E} \right) + F_1 \tilde{\mathcal{H}} - \frac{x_B}{2 - x_B} \left(\frac{x_B}{2} F_1 + \frac{t}{4M^2} F_2 \right) \tilde{\mathcal{E}}$$

Several sources of systematic uncertainty affect the results shown:

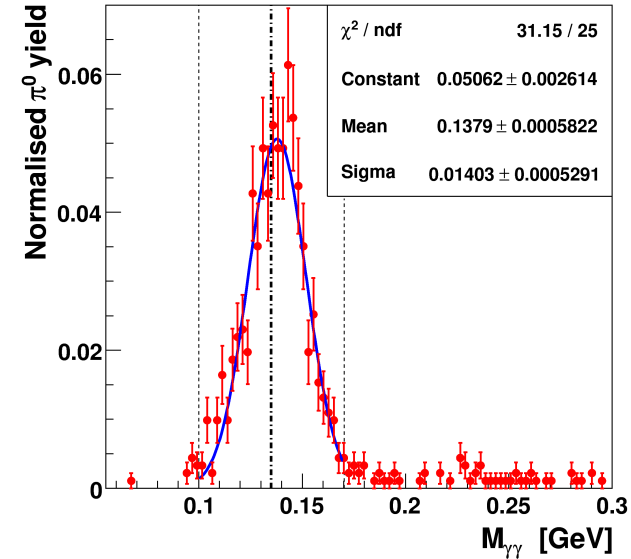
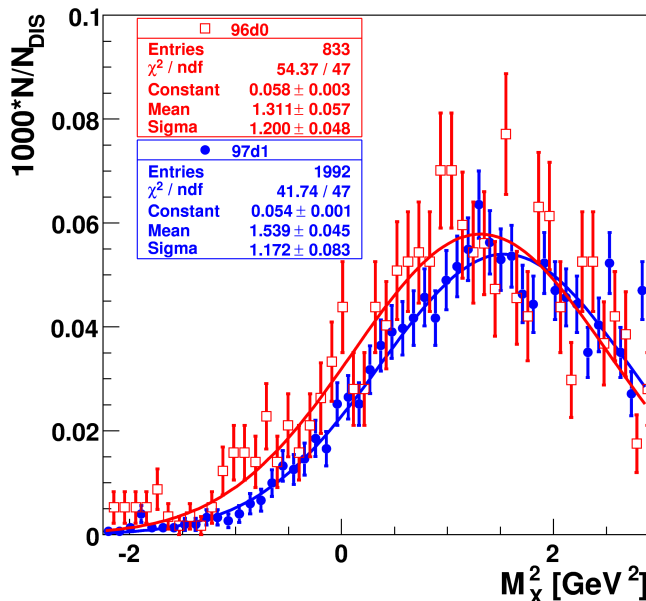
- $\delta_{M_X^2}$ - introduced by accounting for shifts in the mean of the M_X^2 distributions between data taking years
- δ_{Bg} - accounts for the effect of corrections made to the asymmetries to remove contributions from background processes
- δ_{4in1} - correlated effects of detector smearing, misalignment and acceptance, and finite bin-width effects
- Scale uncertainties in the measurement of the beam and target polarisations of 3.4% and 4.2% respectively

π^0 Background Correction

- Semi-inclusive DIS background dominated by π^0
- Same data selection as for exclusive sample but with two photons required in the final state
- Corrected amplitudes determined as

$$A_{\text{corrected}} = \frac{1}{1 - f_{\text{sidis}} - f_{\text{excl}}} (A_{\text{measured}} - f_{\text{sidis}} A_{\text{sidis}} - f_{\text{excl}} A_{\text{excl}})$$

- δ_{Bg} is evaluated as half the magnitude of the correction in each bin



Missing-Mass Shift Correction

Shifts were discovered between data years.

New year-dependent regions were calculated

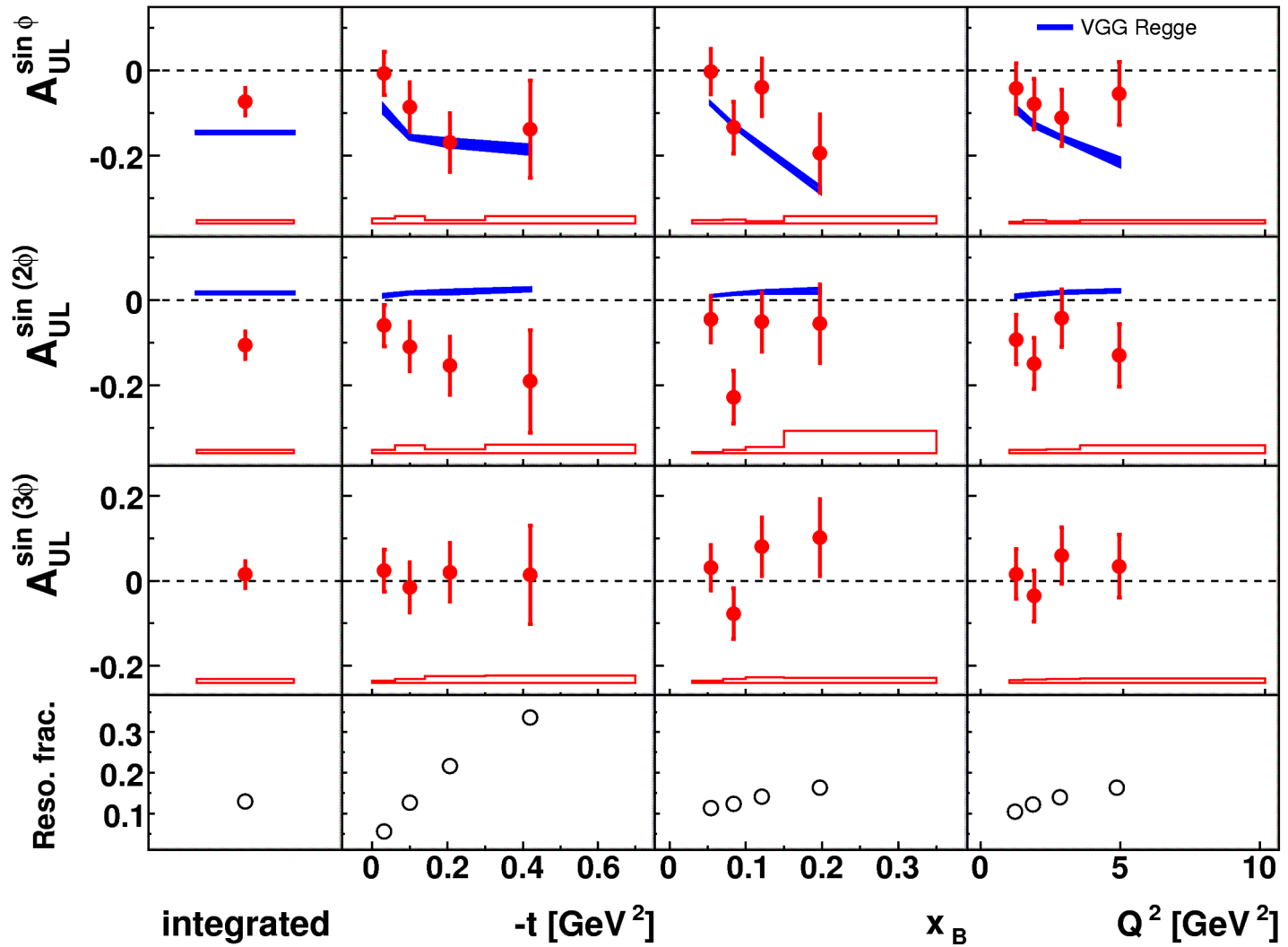
$\delta_{M_x^2} = \frac{1}{4}$ of the effect the new year-dependent regions have on the extracted amplitudes

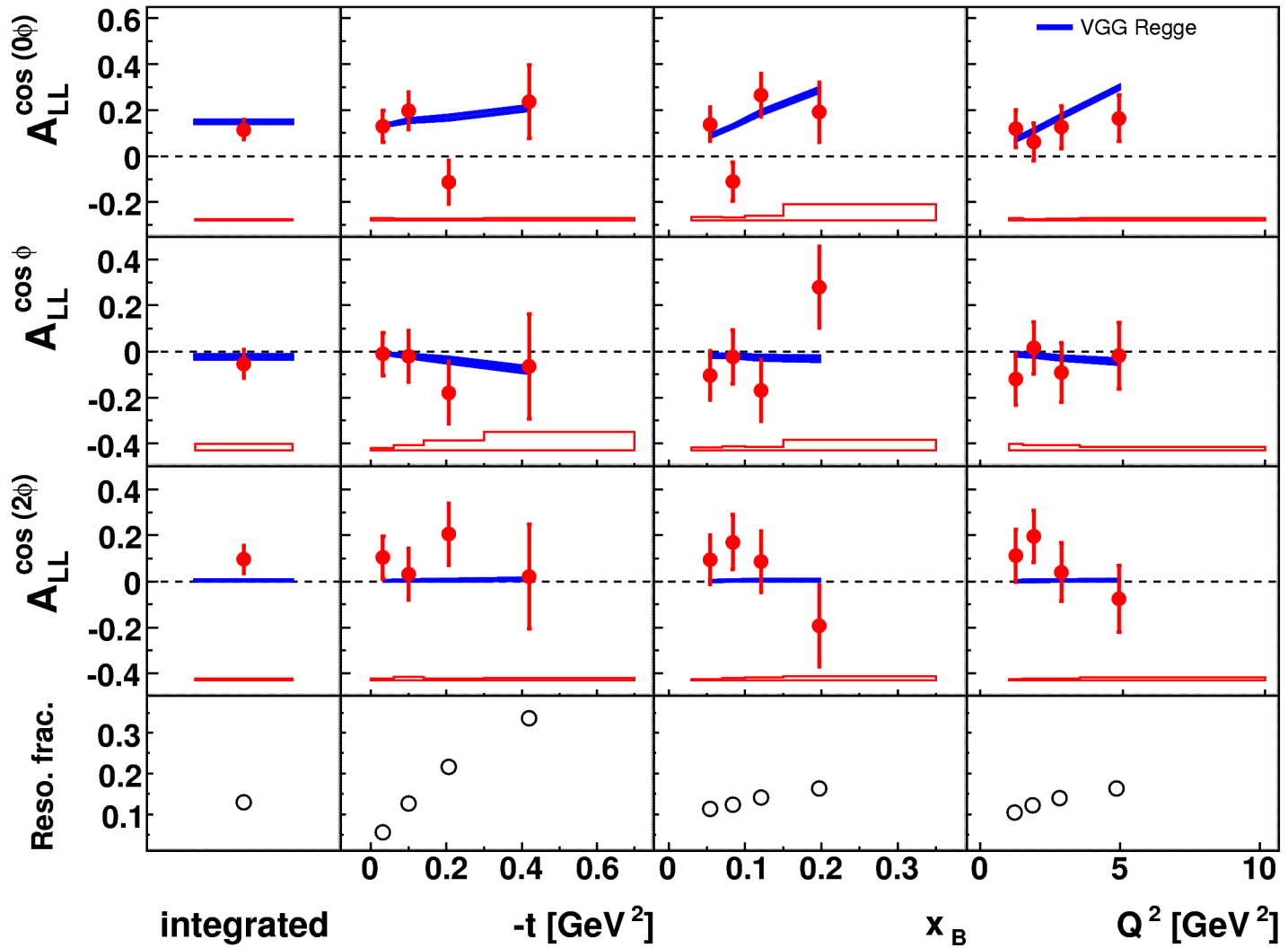
Correlated uncertainty from the effects of detector misalignment, smearing, acceptance and finite bin-widths in $-t$, x_B and Q^2 .

- Amplitudes 'generated' from 5 GPD parametrisations from the model in *Eur. Phys. J. C23 (2005) 455*.
- Amplitudes 'reconstructed' from MC simulation using each model at the same average kinematics of each bin.
- Uncertainty from each model determined as

$$\delta_{4\text{-in-1}} = |A_{\text{generated}} - A_{\text{reconstructed}}|$$

- Overall 4-in-1 uncertainty is determined as the RMS of all 5 models



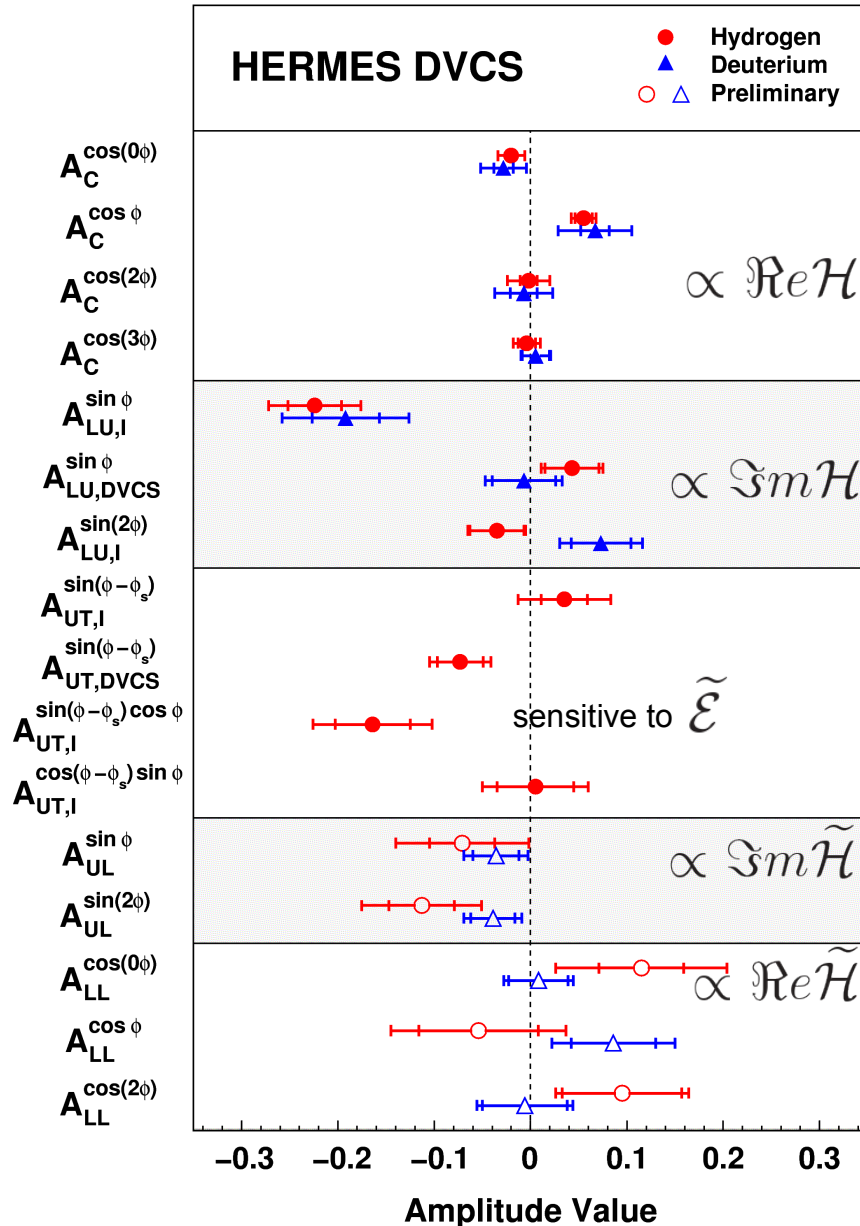


- Two azimuthal asymmetries in the distribution of real photons from the $e\vec{p}\rightarrow e p \gamma$ interaction were extracted [arXiv:1004.0177](https://arxiv.org/abs/1004.0177)
 - The single-spin asymmetry \mathcal{A}_{UL}
 - The double-spin asymmetry \mathcal{A}_{LL}
- These provide information of the imaginary and real parts of CFF $\tilde{\mathcal{H}}$
- Non-zero $\sin\phi$ and an unexpectedly large $\sin(2\phi)$ amplitude were observed for the single-spin asymmetry
- Non-zero $\cos(0\phi)$ amplitudes observed for the double-spin
- It is foreseen these results will be used in future extractions of CFF $\tilde{\mathcal{H}}$ leading to a better understanding of GPD \mathcal{H}

BACKUP SLIDES



- Results shown are compared with theoretical calculations from the GPV model implementation of Radyushkin's Double Distribution formalism from VGG (Vanderhaeghen, Guichon and Guidal) *Phys. Rev. D* **60** (1999) 094017
- Regge-inspired t -dependent ansatz used
- Predicts GPD information up to twist-3 level
- Width of theory bands arises from varying the skewness parameters between unity and infinity
- The 'D term' has not been included for these plots



● *JHEP* 11 (2009) 083

▲ *Nucl. Phys.* B829 (2010) 1-27

● *JHEP* 06 (2008) 066

○ Submitted to *JHEP* (April 2010) arXiv:1004.0177

▲ Submission to *Nucl. Phys. B* (later in 2010)