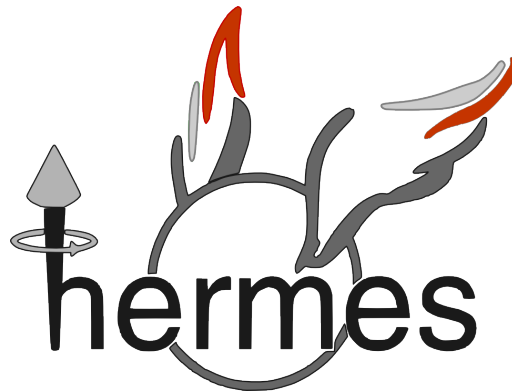


Search for a 2-photon exchange signal at HERMES

..and a bonus: ***A_2 and xg_2 measurement***

Alberto Martínez de la Ossa

..on behalf ***HERMES Collaboration***



Transverse Partonic Structure
of Hadrons

Yerevan, Armenia
June 21-25 / 2009

0. Outline

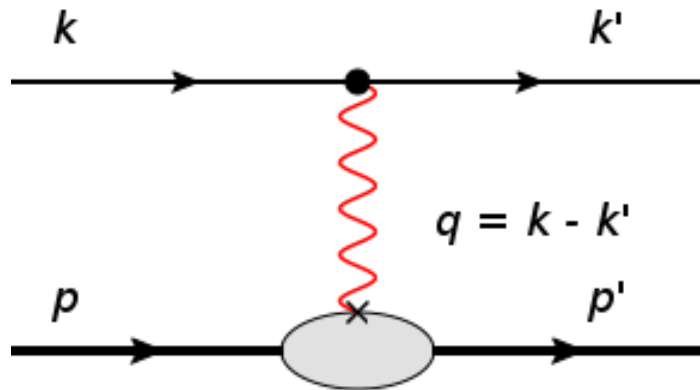
1. *2-photon exchange:*
 - 1.1. *Introduction*
 - 1.2. *Motivation*
 - 1.3. *Experimental status*
2. *Inclusive DIS at HERMES:*
 - 2.1. *The HERMES experiment.*
 - 2.2. *Inclusive DIS.*
 - 2.3. *2-photon contribution.*
3. *Azimuthal Asymmetry:*
 - 3.1. *The Asymmetry.*
 - 3.2. *The Left-Right Asymmetry.*
 - 3.3. *The acceptance factor.*
4. *Results and conclusions.*

5. *Appendix: A_1 and xg_1 measurement.*

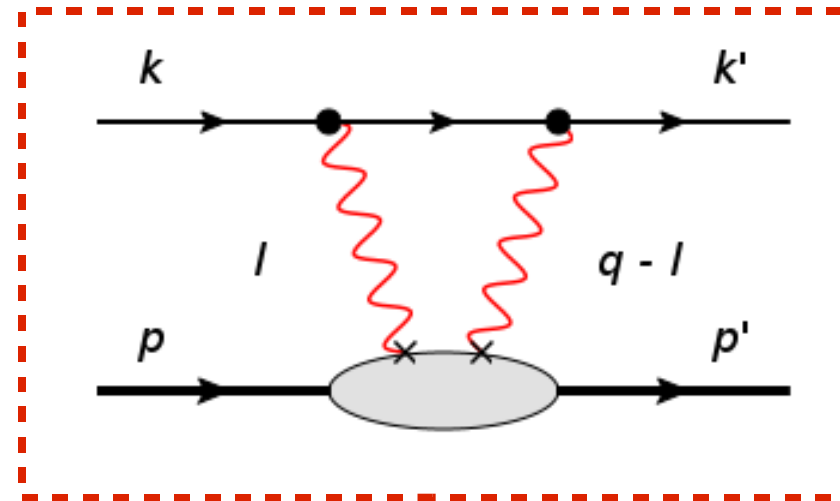
1. 2-photon exchange

.. In lepton-nucleon scattering:

standard **one-photon** exchange
(Born) approximation



two-photon exchange
contribution to 1-loop corrections
to the scattering amplitude



$$\mathcal{M} = \mathcal{M}^0 + \mathcal{M}^1$$

1. 2-photon exchange

.. Why is it interesting?

→ **Strong Impact on ep scattering:**

1. Partially solves the discrepancy in GE/GM between unpolarized (Rosenbluth) and polarization transfer methods.

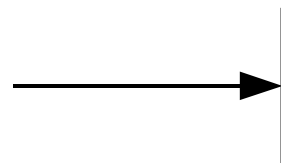
[P. G. Blunden et al., Phys. Rev. Lett. 91, 142304 (2003).]

2. Sizeable effect on parity-violating electron-proton scattering asymmetry:

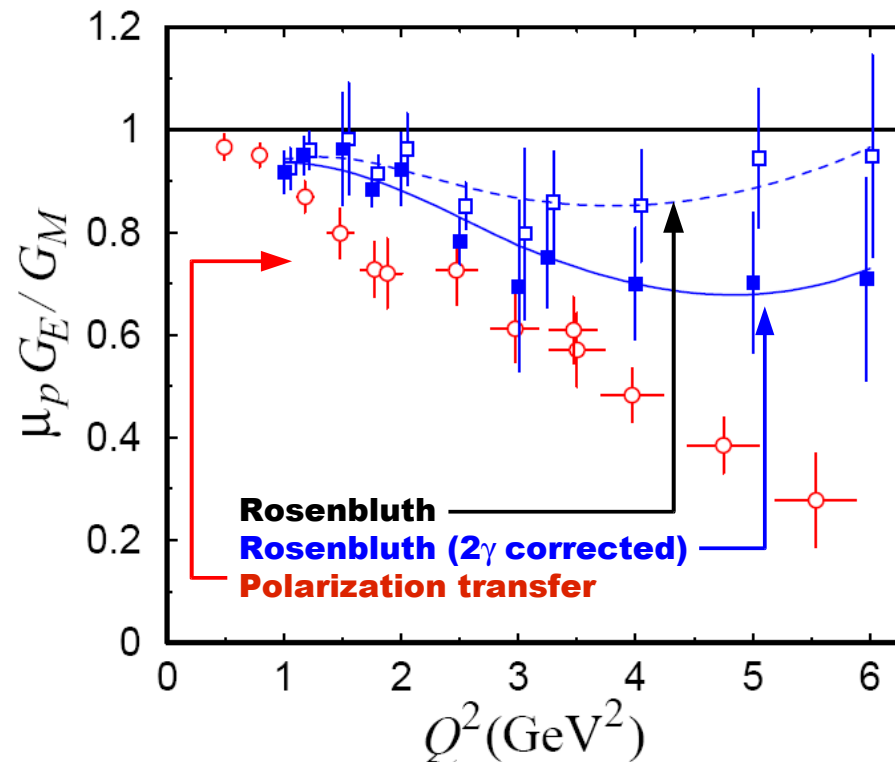
[A. V. Afanasev and C. E. Carlson, Phys. Rev. Lett. 94,]

.. Where else to look for?

2-photon exchange process could lead to sizeable effects on certain observables.



- *Beam charge asymmetries (BCA).
- ***Single Spin Asymmetries (SSA).**



1. 2-photon exchange

Experimental results (for Single spin asymmetries)

Elastic
scattering

$$l + N \rightarrow l' + N'$$

Transversely polarized e^- off unpolarized protons

Non-Zero
asymmetries: $\sim 10^{-5}$

* **SAMPLE:**

[S. P. Wells et al., Phys.Rev.C63, 064001]

* **A4:**

[F. E. Maas et al., Phys.Rev Lett.94, 082001]

* **G0:**

[D. S. Armstrong et al., Phys.Rev.Lett. 99, 092301]

Inelastic
scattering

$$l + N \rightarrow l' + X$$

Unpolarized e^- off transversely polarized protons.

Zero

asymmetries:

0

* **Cambridge electron accel:**

[J. A. Appel et al., Phys. Rev. D1, 1285]

[J. R. Chen et al., Phys. Rev. Lett. 21, 1279]

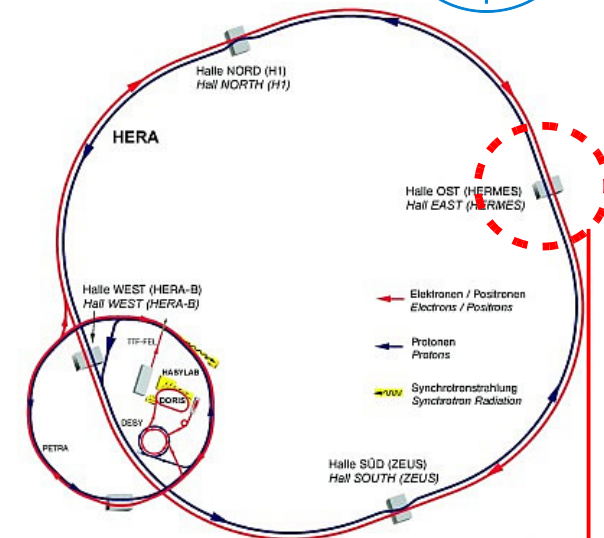
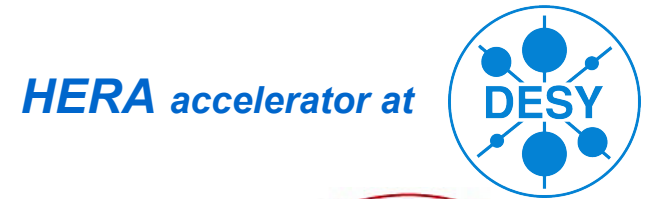
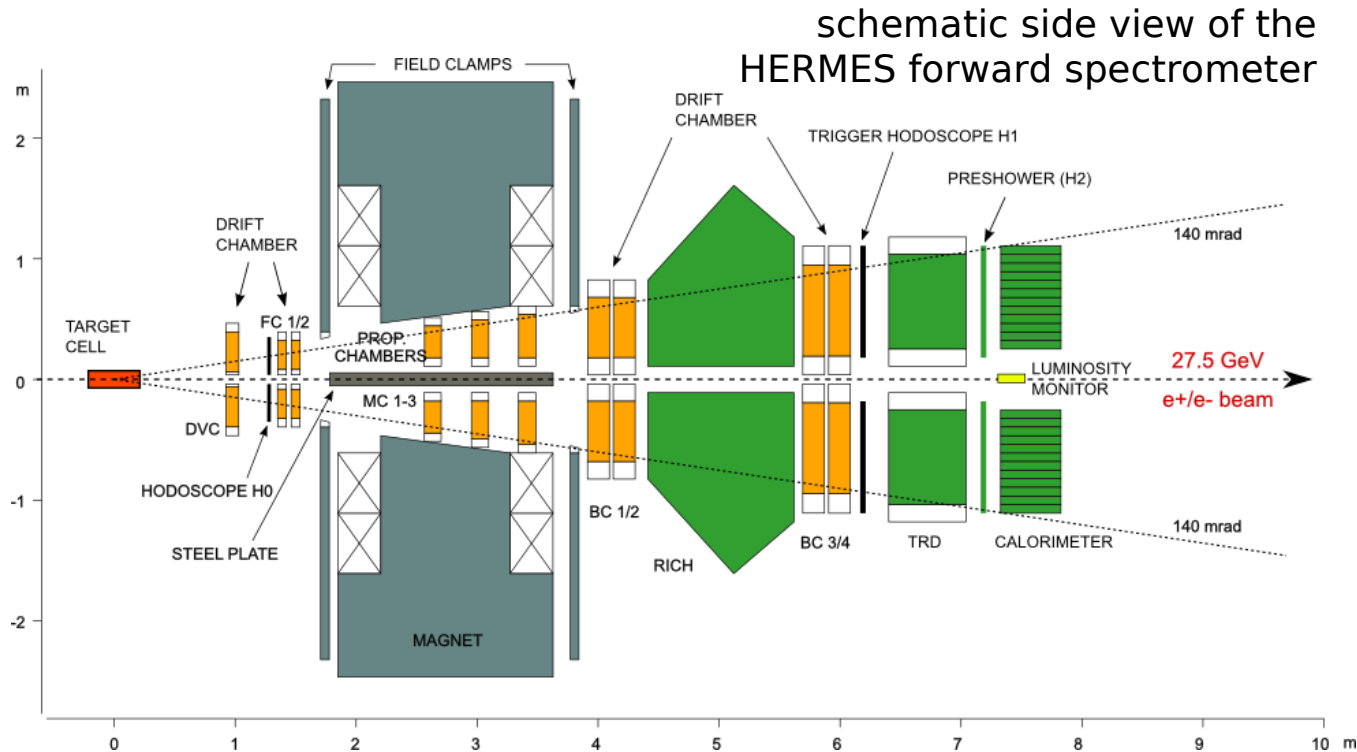
* **SLAC:**

[S. Rock et al., Phys. Rev. Lett. 24, 748]

Deep Inelastic
scattering

?  **hermes!**

2. The HERMES experiment

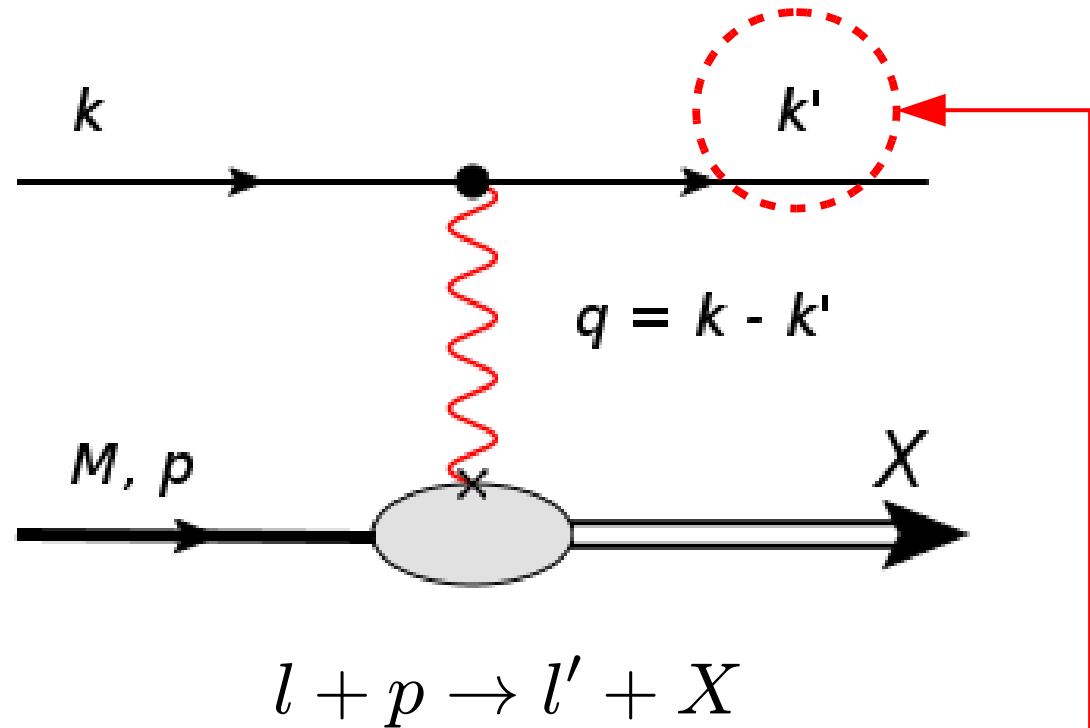


- * Lepton (e^+/e^-) beam at **27.5 GeV**.
- * Transversely polarized H target: Polarization state reversed every 1-3 min.
- * Particle ID (RICH + TRD + Pre-Shower + CALO) Provide superb lepton/hadron separation.
- * Tracking system: Resolution on kinematics $\sim 1\%$



2. inclusive DIS

Deep Inelastic Scattering



* $x = Q^2 / 2M(E-E')$
Scaling Bjorken variable

* $Q^2 = -(k-k')^2 = 2EE'(1-\cos \theta)$
negative squared of momentum transfer

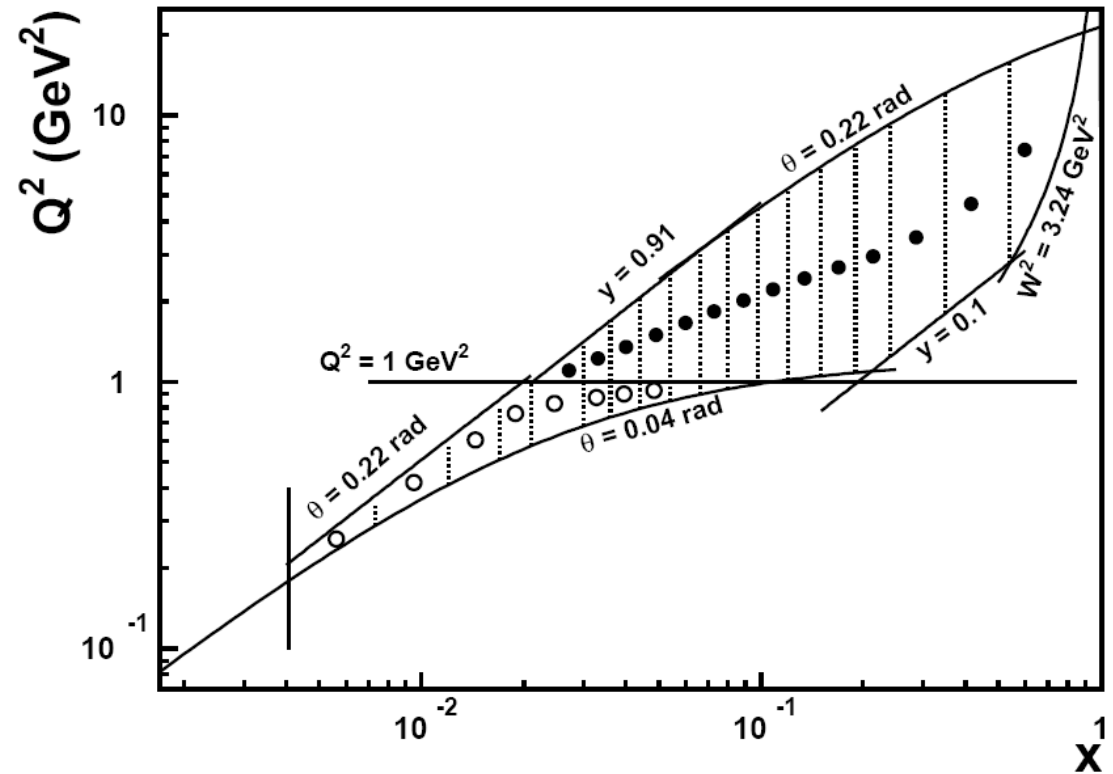
inclusive DIS:

Only the scattered lepton is detected

2. inclusive DIS

Deep Inelastic Scattering

Kinematic Plane

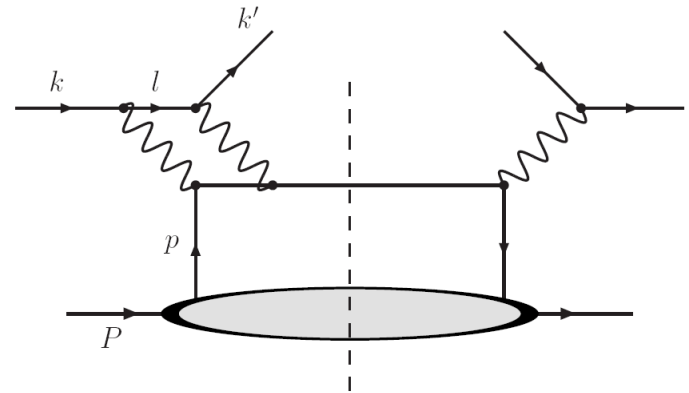


$$0.004 < x < 0.9$$
$$0.1 < Q^2 < 20 \text{ GeV}^2$$
$$W^2 > 3.24 \text{ GeV}^2$$

at HERMES

2. 2-photon contribution

- * **1-photon exchange approximation:**
Forbids any SSA in inclusive DIS due to parity and time reversal invariance
- * **2-photon exchange contribution:**
Leads to a SSA arising from the interference of 1-photon and 2-photon exchange:
[A.. Metz, M. Schlegel, and K. Goeke, Phys. Lett. B643, 319.]



1-photon & 2-photon Interference diagram.

correlation between polarization vector S of the nucleon as well as the 4-momenta of the nucleon and of the leptons

Opposite sign for e^- and e^+

$$\sigma_{UT} \propto e_l \alpha_{em} \frac{M}{Q} \varepsilon_{\mu\nu\rho\sigma} S^\mu p^\nu k^\rho k'^\sigma C_T.$$

Higher-twist term arising from quark-quark and quark-gluon-quark correlations.

Spin dependent part of cross section. for and **Unpolarized beam** on a **Transversely polarized target**

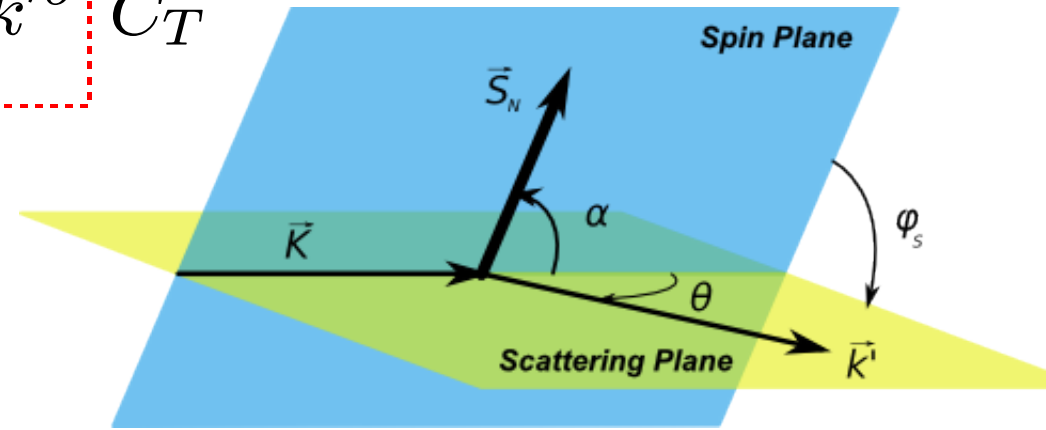
Scale as $1/Q$ in respect with the unpolarized cross section.

non-ZERO azimuthal SSA

3. the Asymmetry

$$\sigma_{UT} \propto e_l \alpha_{em} \frac{M}{Q} \varepsilon_{\mu\nu\rho\sigma} S^\mu p^\nu k^\rho k'^\sigma C_T$$

$$\propto \vec{S} \cdot (\vec{k} \times \vec{k}')$$



Largest asymmetry when the spin vector S is perpendicular to the lepton scattering plane defined by the three-momenta k and k' .

• Azimuthal asymmetry

$$A(x, Q^2, \phi_s) = \frac{\sigma_{UT}(x, Q^2, \phi_s)}{\sigma_{UU}(x, Q^2)} = A_{UT}^{\sin \phi} (x, Q^2) \sin \phi_s$$

Asymmetry amplitude

Left-Right asymmetry
(in respect to the spin direction)

$$A_N = \frac{\sigma_L - \sigma_R}{\sigma_L + \sigma_R}$$

3. the Left-Right Asymmetry

Experimentally:

$$A_N = \frac{(\sigma_L^\downarrow - \sigma_R^\downarrow) - (\sigma_L^\uparrow - \sigma_R^\uparrow)}{(\sigma_L^\downarrow + \sigma_R^\downarrow) + (\sigma_L^\uparrow + \sigma_R^\uparrow)}$$

Right det. side: $0 < \phi < \pi$

Left det. side: $\pi < \phi < 2\pi$

Here, R and L refer to the right and left sides of the spectrometer in the HERMES coordinate system: independent of target spin state.

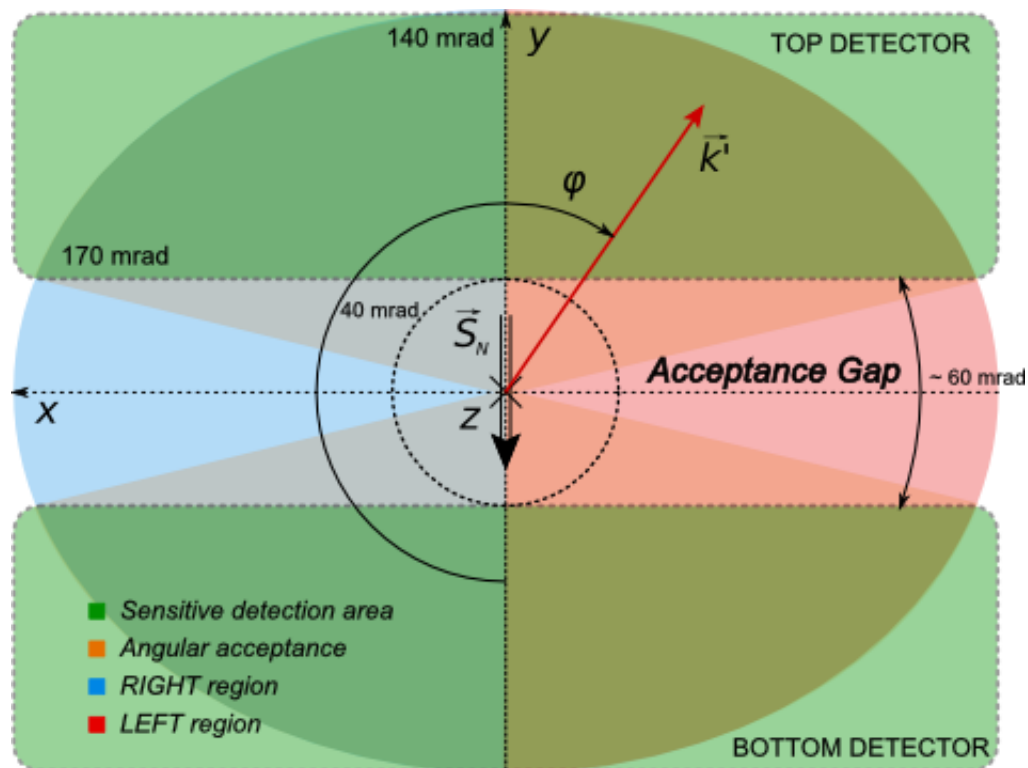
Experimental yields:

$$N_R^\uparrow = (L^\uparrow \sigma_{UU} + L_P^\uparrow \sigma_{UT}) \chi_R / 2$$

$$N_L^\uparrow = (L^\uparrow \sigma_{UU} - L_P^\uparrow \sigma_{UT}) \chi_L / 2$$

$$N_R^\downarrow = (L^\downarrow \sigma_{UU} - L_P^\downarrow \sigma_{UT}) \chi_R / 2$$

$$N_L^\downarrow = (L^\downarrow \sigma_{UU} + L_P^\downarrow \sigma_{UT}) \chi_L / 2$$



$$A_N^{meas} = \frac{\sqrt{\frac{N_L^\downarrow}{L_P^\downarrow} \frac{N_R^\uparrow}{L_P^\uparrow}} - \sqrt{\frac{N_R^\downarrow}{L_P^\downarrow} \frac{N_L^\uparrow}{L_P^\uparrow}}}{\sqrt{\frac{N_L^\downarrow}{L^\downarrow} \frac{N_R^\uparrow}{L^\uparrow}} + \sqrt{\frac{N_R^\downarrow}{L^\downarrow} \frac{N_L^\uparrow}{L^\uparrow}}}$$

3. the Acceptance factor

The HERMES detector is top-bottom symmetric, with a gap in the horizontal direction, and thus it does not cover the full 2π range in ϕ .

$$A_N^{meas} = \frac{\int_{acc.} d\phi \sigma_{UU} A_{UT}^{\sin \phi} \sin \phi}{\int_{acc.} d\phi \sigma_{UU}}$$

Measured asymmetry needs to be corrected by the angular acceptance:

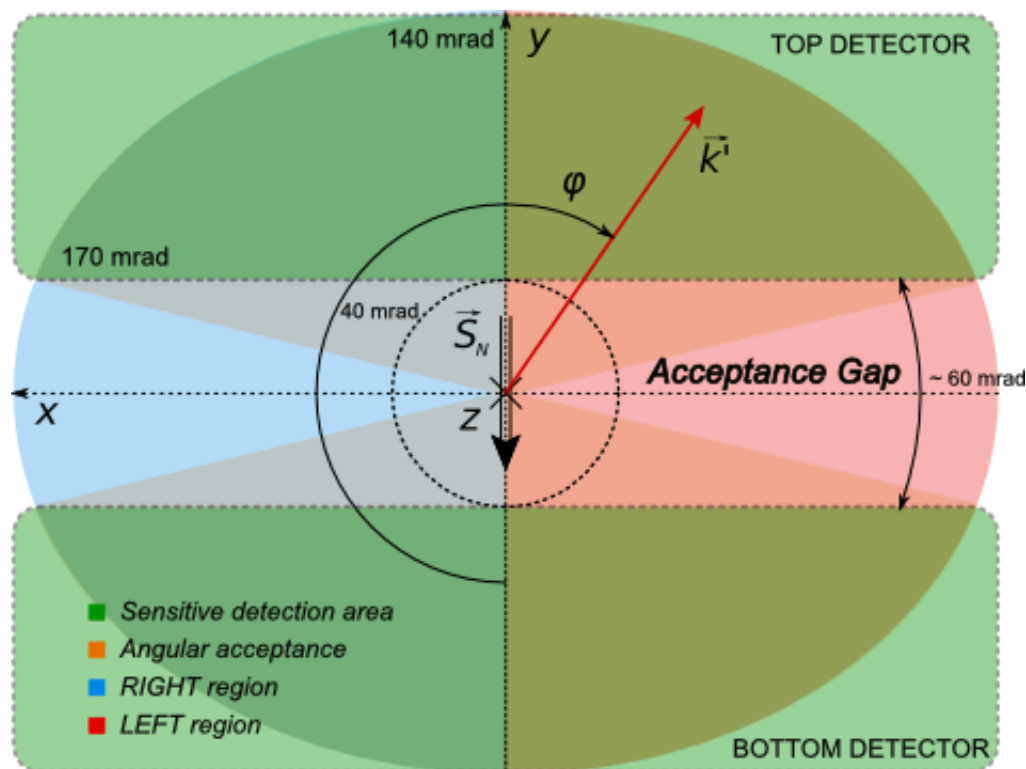
$$A_N^{meas} = \chi^H A_{UT}^{\sin \phi}$$

HERMES acceptance factor

To extract the real Left-Right asymmetry:

$$A_N = \frac{\chi^{2\pi}}{\chi^H} A_N^{meas}$$

For an ideal 2π detector: $\chi^{2\pi} = \frac{2}{\pi}$

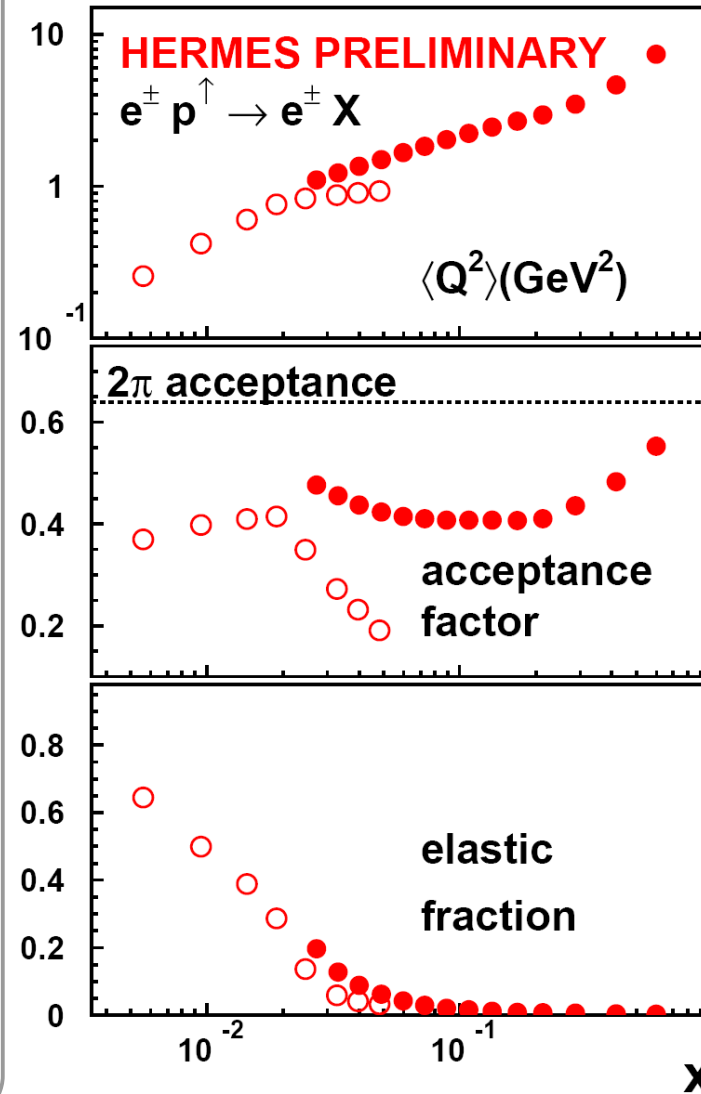
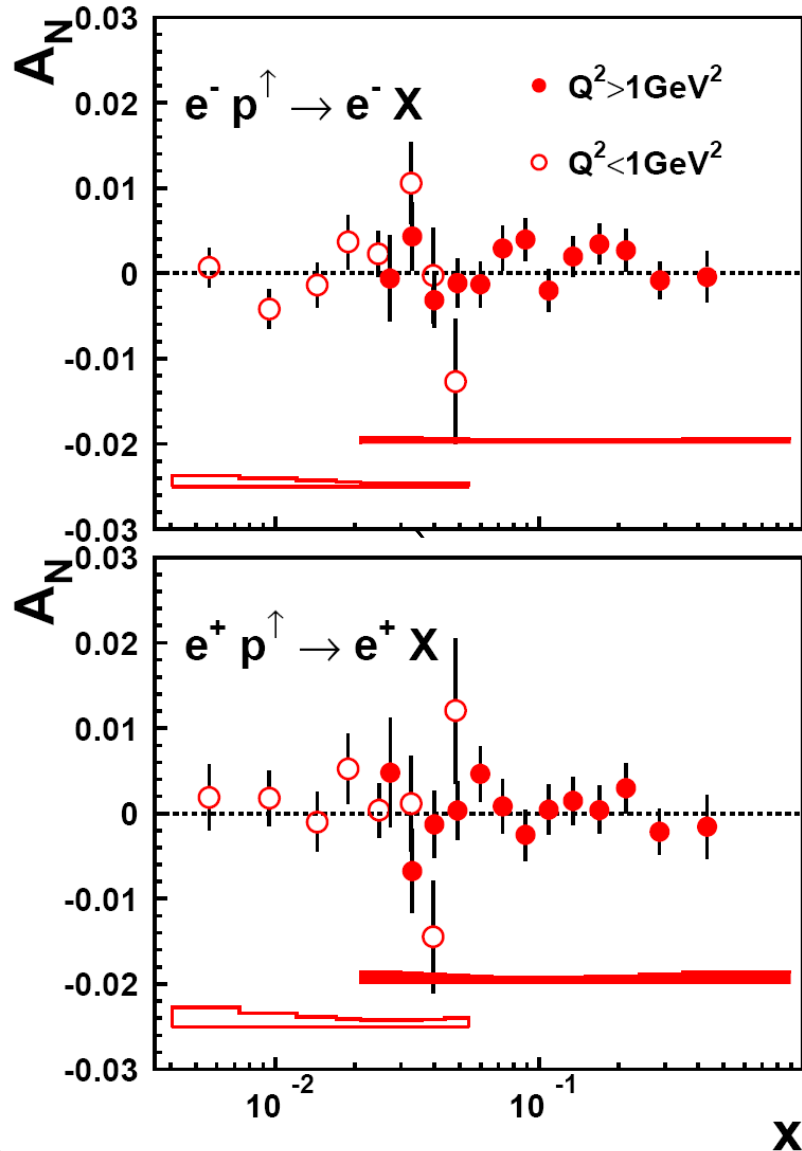


* Calculation based on MC:

1. Introduce an artificial $A_{UT}^{\sin \phi}$
2. Measure the asymmetry A_N^{meas}
3. Extract proportionality factor χ^H

4. Results

Measured Asymmetries



Average x and Q^2 variables for every kinematic beam

To calculate the real left-right asymmetry.

To estimate the contribution from elastic scattering.

4. Conclusions

- * *Inclusive Single Spin Asymmetries have been measured at HERMES on a transversely polarized target.*
- * *No evidence of 2-photon exchange has been observed within the experimental uncertainties of the order 10^{-3} .*
- * *This sets up the most precise limit on inclusive DIS up to now.*

5. A_2 and xg_2

.. inclusive DIS of longitudinally polarized electrons on transversely polarized protons

$$e^{\leftrightarrow} + p^{\uparrow\downarrow} \rightarrow e' + X$$

The cross section:

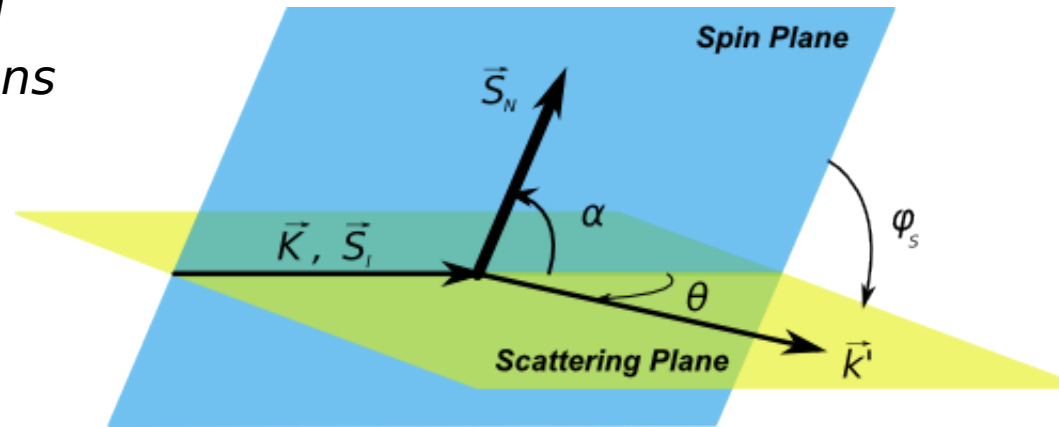
$$\frac{d^2\sigma(s, S)}{dx dQ^2} = \frac{2\pi\alpha^2 y^2}{Q^6} \mathbf{L}_{\mu\nu}(s) \mathbf{W}^{\mu\nu}(S)$$

Lepton tensor

Hadron tensor:
Parametrized in terms of

Structure Functions

$$\begin{aligned} &\propto \frac{y}{2} F_1(x, Q^2) + \frac{1 - y - \gamma^2 y^2 / 4}{2xy} F_2(x, Q^2) \\ &- P_l P_T \cos \alpha \left[\left(1 - \frac{y}{2} - \frac{\gamma^2 y^2}{4} \right) g_1(x, Q^2) - \frac{\gamma^2 y}{2} g_2(x, Q^2) \right] \\ &+ P_l P_T \sin \alpha \cos \phi \gamma \sqrt{1 - y - \frac{\gamma^2 y^2}{4}} \left(\frac{y}{2} g_1(x, Q^2) + g_2(x, Q^2) \right) \end{aligned}$$



5. A_2 and xg_2 extraction

..How do we access to spin dependent structure functions?

$$\sigma = \bar{\sigma} - h_l \Delta\sigma \quad (h_l = \pm 1) \quad \Delta\sigma = \cos\alpha \Delta\sigma_{\parallel} + \sin\alpha \Delta\sigma_{\text{T}}$$

spin-dependent cross section can be split in parallel and **transverse** components

$$\frac{d^3 \Delta\sigma_{\parallel}}{dx dy d\phi} = \frac{e^4}{4\pi^2 Q^2} \left[\left(1 - \frac{y}{2} - \frac{\gamma^2 y^2}{4}\right) g_1(x, Q^2) - \frac{\gamma^2 y}{2} g_2(x, Q^2) \right]$$

$$\frac{d^3 \Delta\sigma_{\text{T}}}{dx dy d\phi} = -\cos\phi \frac{e^4}{4\pi^2 Q^2} \gamma \sqrt{1 - y - \frac{\gamma^2 y^2}{4}} \left(\frac{y}{2} g_1(x, Q^2) + g_2(x, Q^2) \right)$$

→ **Double spin azimuthal asymmetry:**

$$\frac{\sigma^{\rightarrow\downarrow}(\phi) - \sigma^{\rightarrow\uparrow}(\phi)}{\sigma^{\rightarrow\downarrow}(\phi) + \sigma^{\rightarrow\uparrow}(\phi)} = \frac{\Delta\sigma_{\text{T}}}{\bar{\sigma}} = \frac{-\gamma \sqrt{1 - y - \frac{\gamma^2 y^2}{4}} \left(\frac{y}{2} g_1(x, Q^2) + g_2(x, Q^2) \right)}{\underbrace{\left[\frac{y}{2} F_1(x, Q^2) + \frac{1}{2xy} \left(1 - y - \frac{\gamma^2 y^2}{4}\right) F_2(x, Q^2) \right]}_{A_{\text{T}}}} \cos\phi$$

5. A_2 and xg_2 extraction

..azimuthal Double Spin Asymmetry:

$$\frac{\sigma^{\rightarrow\downarrow(\leftarrow\uparrow)} - \sigma^{\rightarrow\uparrow(\leftarrow\downarrow)}}{\sigma^{\rightarrow\downarrow(\leftarrow\uparrow)} + \sigma^{\rightarrow\uparrow(\leftarrow\downarrow)}}$$

Measured and fitted to:

$$f(\phi) = A_T \cos\phi$$

Input to A_2 and g_2 calculation

$$A_2 = \frac{1}{d(1 + \gamma\xi)} A_T + \frac{\xi(1 + \gamma^2)}{1 + \gamma\xi} \frac{g_1}{F_1}$$

$$F_1 = \frac{1 + \gamma^2}{2x(1 + R)} F_2$$

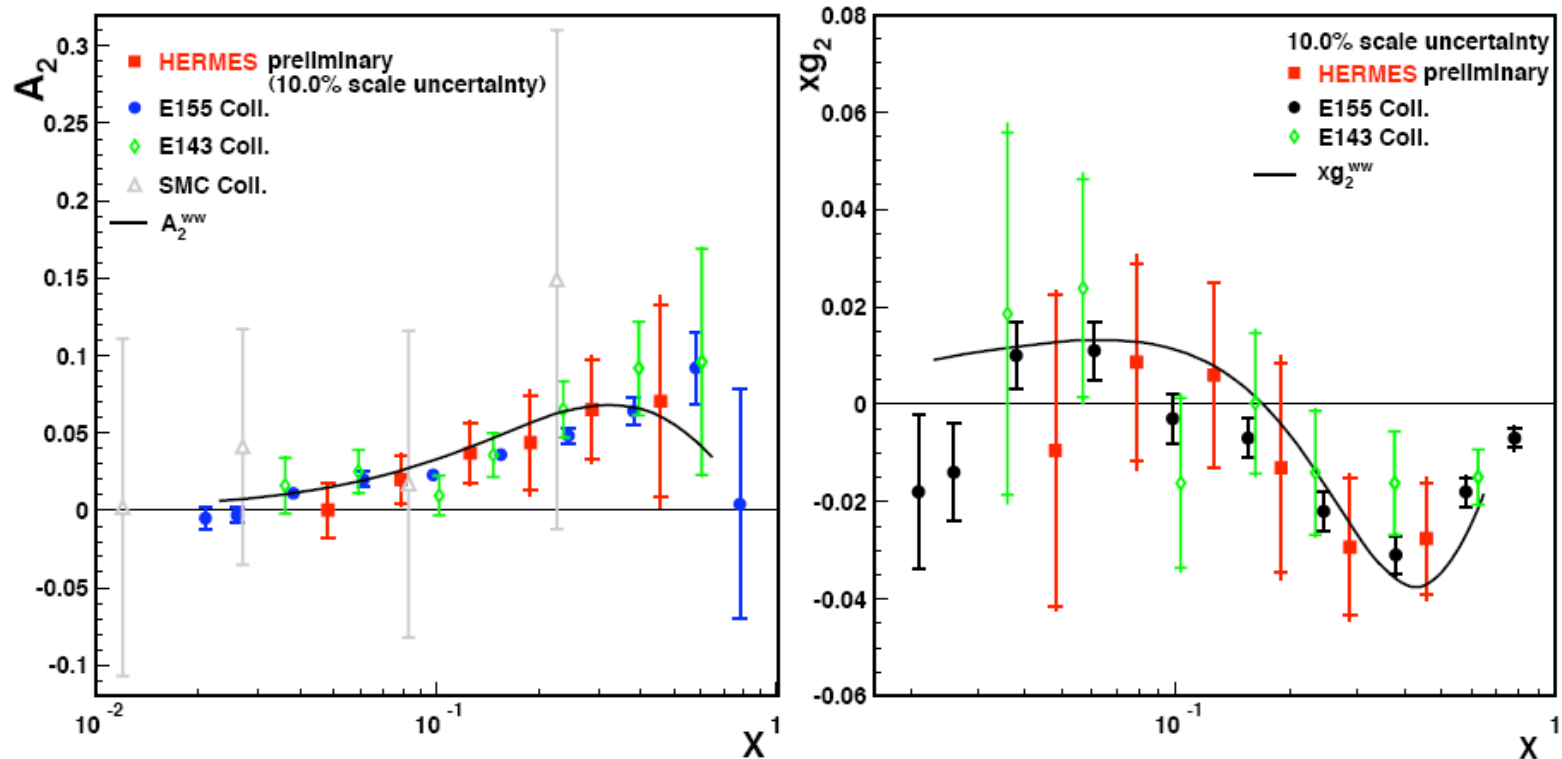
$$g_2 = \frac{F_1}{\gamma d(1 + \gamma\xi)} A_T - \frac{F_1(\gamma - \xi)}{\gamma(1 + \gamma\xi)} \frac{g_1}{F_1}$$

$$R = \sigma_L / \sigma_T$$

Additional Input from world data:

- * Fit to $\frac{g_1}{F_1}$: P.L.Anthony et al. (E155 Coll.) PL B493,19.
 $g_1/F_1 = x^{0.7}(0.817 + 1.014x - 1.489x^2)(1 - 0.04/Q^2)$.
- * Fit to $R(x, Q^2)$: K.Abe et al. (E143 Coll.) PL B452,194.
- * Fit to $F_2(x, Q^2)$: D.Gabbert and L.De Nardo, hep-ph 0708.3196

5. A_2 and xg_2 results



* *Consistent with world data*

* *Suffers from low beam polarization during HERA-II*

Back-up

Wandzura-Wilczek

In the simplest quark-parton model the spin-dependent structure function $g_1(x)$ describes a distribution of longitudinal polarization of quarks inside the longitudinally polarized nucleon. The polarized structure function $g_2(x)$ has no clear probabilistic interpretation in the framework of the quark-parton model and is exactly zero in the naive parton model, where the nucleon is considered to be made of collinear, free constituents. Properties of the structure function $g_2(x, Q^2)$ have been well established in the framework of the OPE analysis within QCD. Generally, ignoring quark mass effects, $g_2(x, Q^2)$ can be written as the sum of two terms

$$g_2(x, Q^2) = g_2^{WW}(x, Q^2) + \bar{g}_2(x, Q^2).$$

$$g_2^{WW}(x, Q^2) = -g_1(x, Q^2) + \int_x^1 g_1(y, Q^2) \frac{dy}{y}.$$

The first, Wandzura-Wilczek term $g_2^{WW}(x, Q^2)$, is the twist-2 part, while the second term, $\bar{g}_2(x, Q^2)$, is the genuine twist-3 part which measures quark-gluon correlations in the nucleon.