

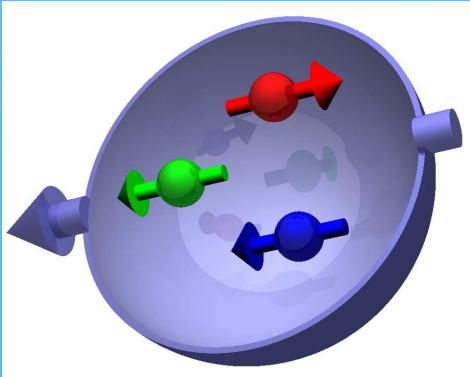
The Spin Structure of the Nucleon

E.C. Aschenauer

DESY-ZEUTHEN

on behalf of the  Collaboration

The Spin Structure of the Nucleon



Naive Parton Model:

$$\Delta u_v + \Delta d_v = 1$$
$$\implies \Delta u_v = \frac{4}{3}, \Delta d_v = \frac{-1}{3}$$

BUT

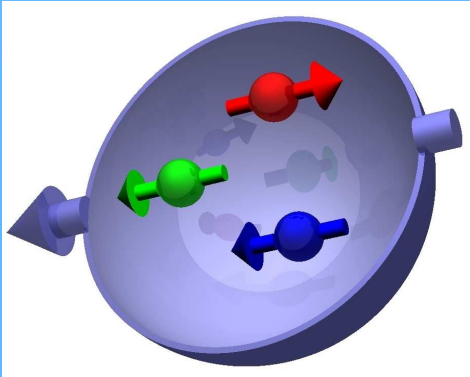
1988 EMC measured:

$$\Delta\Sigma = 0.123 \pm 0.013 \pm 0.019$$

\implies **Spin Puzzle**

$$\frac{1}{2} = \frac{1}{2} (\Delta u_v + \Delta d_v)$$

The Spin Structure of the Nucleon



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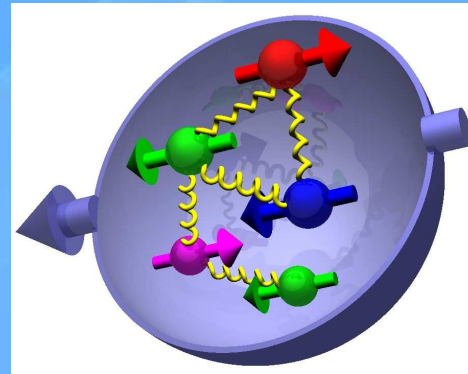
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from unpolarized data:

Gluons are important !

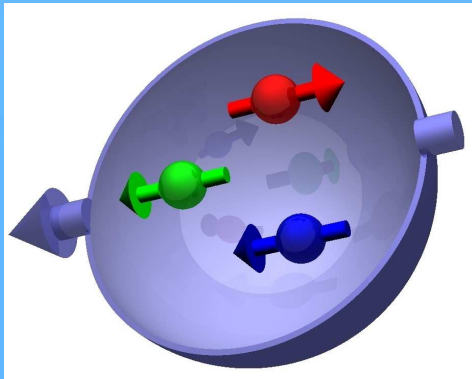
\implies **sea quarks** Δq_s

\implies ΔG

$$\frac{1}{2} = \frac{1}{2} \left(\Delta u_v + \Delta d_v + \underbrace{\Delta q_s}_{\Delta u_s, \Delta d_s, \Delta \bar{u}, \Delta \bar{d}, \Delta s, \Delta \bar{s}} \right) + \Delta G$$

$$\Delta u_s, \Delta d_s, \Delta \bar{u}, \Delta \bar{d}, \Delta s, \Delta \bar{s}$$

The Spin Structure of the Nucleon



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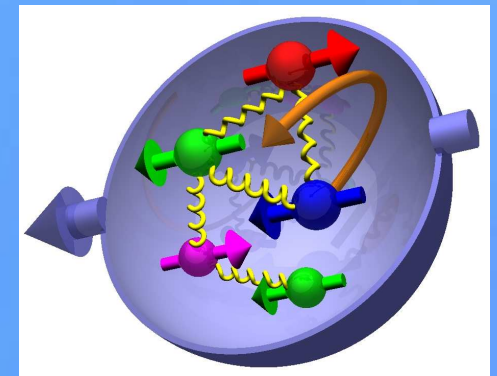
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\implies **sea quarks** Δq_s

\implies ΔG

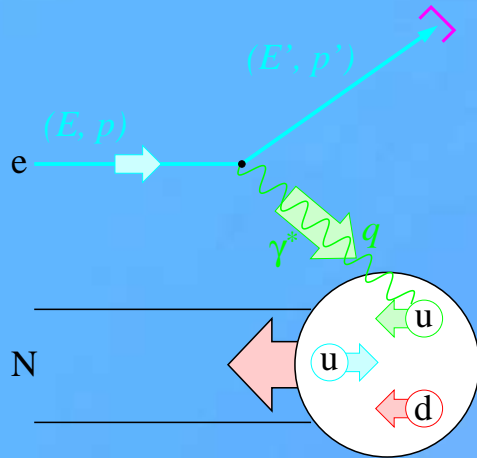


**Full description of J_q & J_g
needs
orbital angular momentum**

$$\frac{1}{2} = \frac{1}{2} \underbrace{(\Delta u_v + \Delta d_v + \Delta q_s)}_{\Delta\Sigma} + \mathbf{L}_q + (\Delta G + \mathbf{L}_g)$$

Deep Inelastic Scattering

Inclusive Scattering:



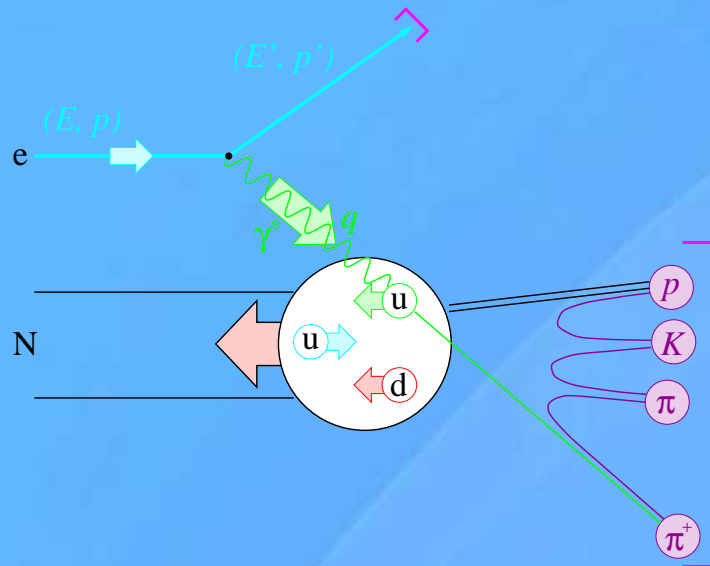
detect scattered lepton

$$Q^2 \stackrel{lab}{=} 4EE' \sin^2\left(\frac{\theta}{2}\right)$$

$$x \stackrel{lab}{=} \frac{Q^2}{2M\nu} \quad y \stackrel{lab}{=} \frac{\nu}{E} = \frac{\mathbf{p} \cdot \mathbf{q}}{\mathbf{p} \cdot \mathbf{k}}$$

Deep Inelastic Scattering

Semi-Inclusive Scattering:



detect scattered lepton and produced hadrons

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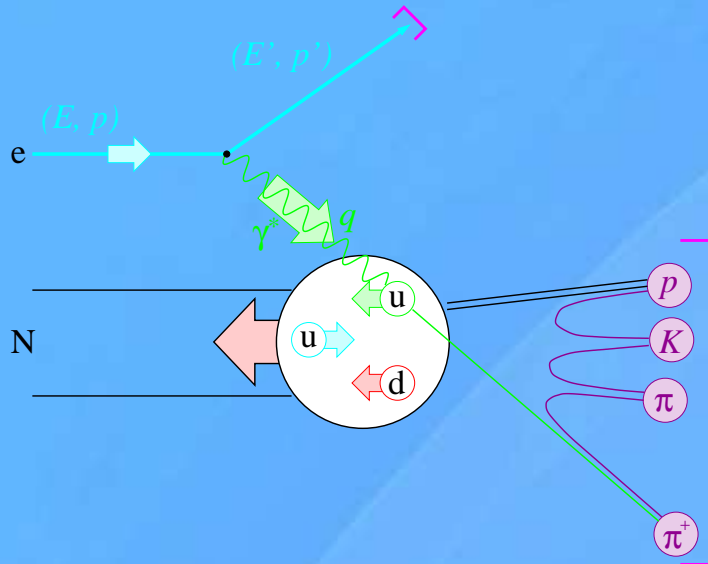
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$$z \stackrel{lab}{=} \frac{E_h}{\nu}$$

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Cross Section:

$$\frac{d^2\sigma}{d\Omega dE^2} = \frac{\alpha^2 E'}{Q^2 E} L_{\mu\nu} W^{\mu\nu}$$

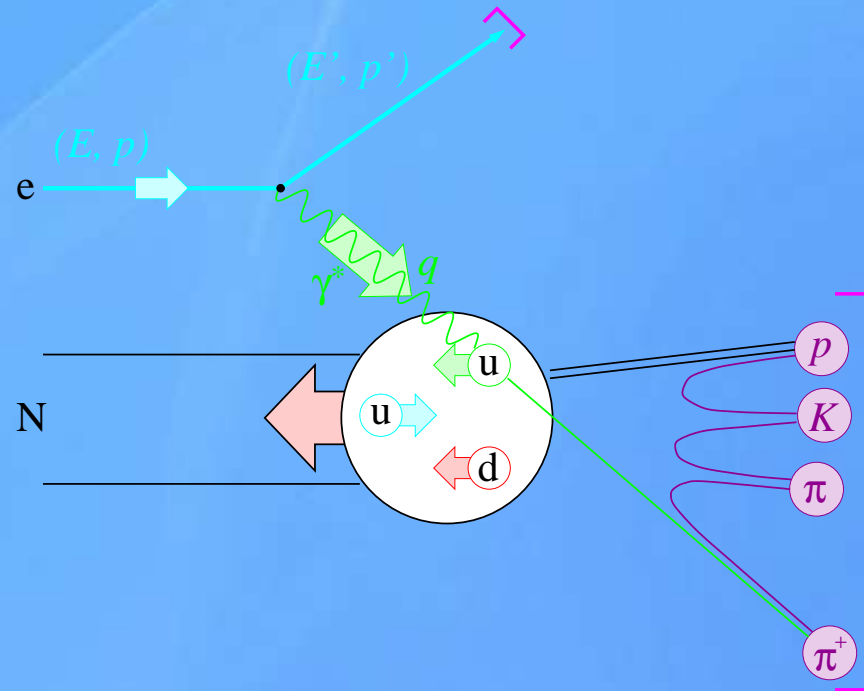
$L_{\mu\nu}$: purely electromagnetic \implies calculable

$$W^{\mu\nu} \sim F_1(x, Q^2) + F_2(x, Q^2) + g_1(x, Q^2) + g_2(x, Q^2)$$

$$\text{(for spin 1)} \quad -b_1(x, Q^2) + \frac{1}{6}b_2(x, Q^2) + \frac{1}{2}b_3(x, Q^2) + \frac{1}{2}b_4(x, Q^2)$$

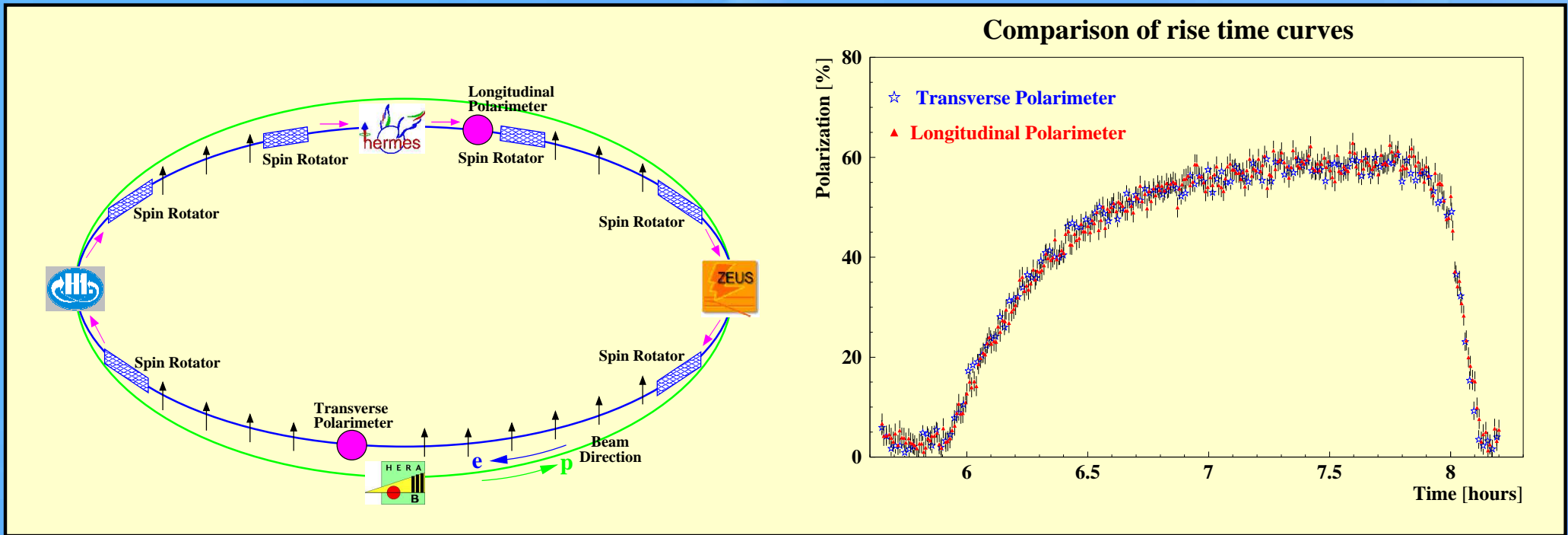
$F_1, F_2 / g_1, g_2 \implies$ **Unpolarized / Polarized** Structure Functions

Experimental Prerequisites



Experimental Prerequisites

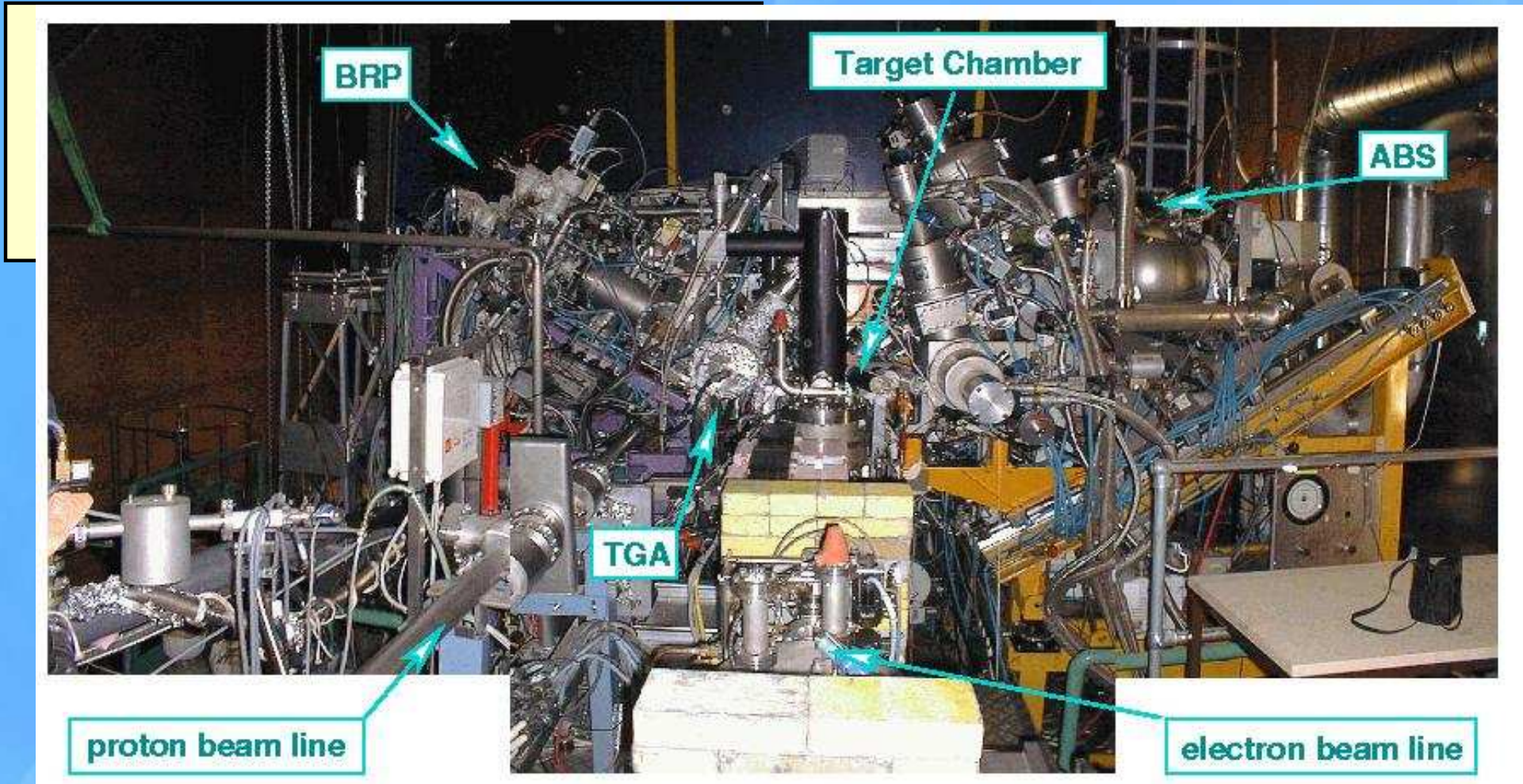
HERA long. pol. positron beam 27.5 GeV



π^+

Experimental Prerequisites

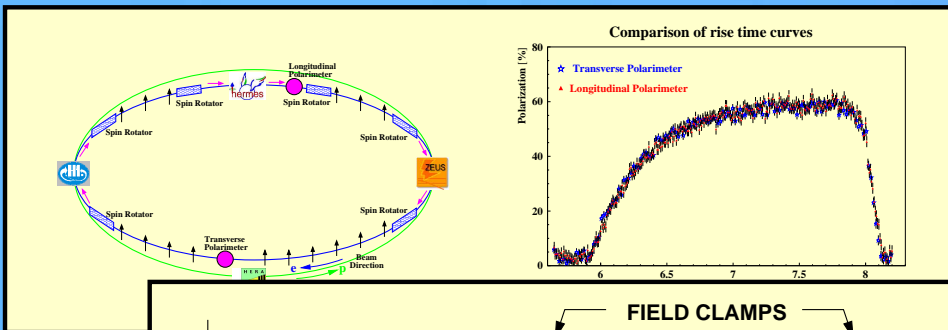
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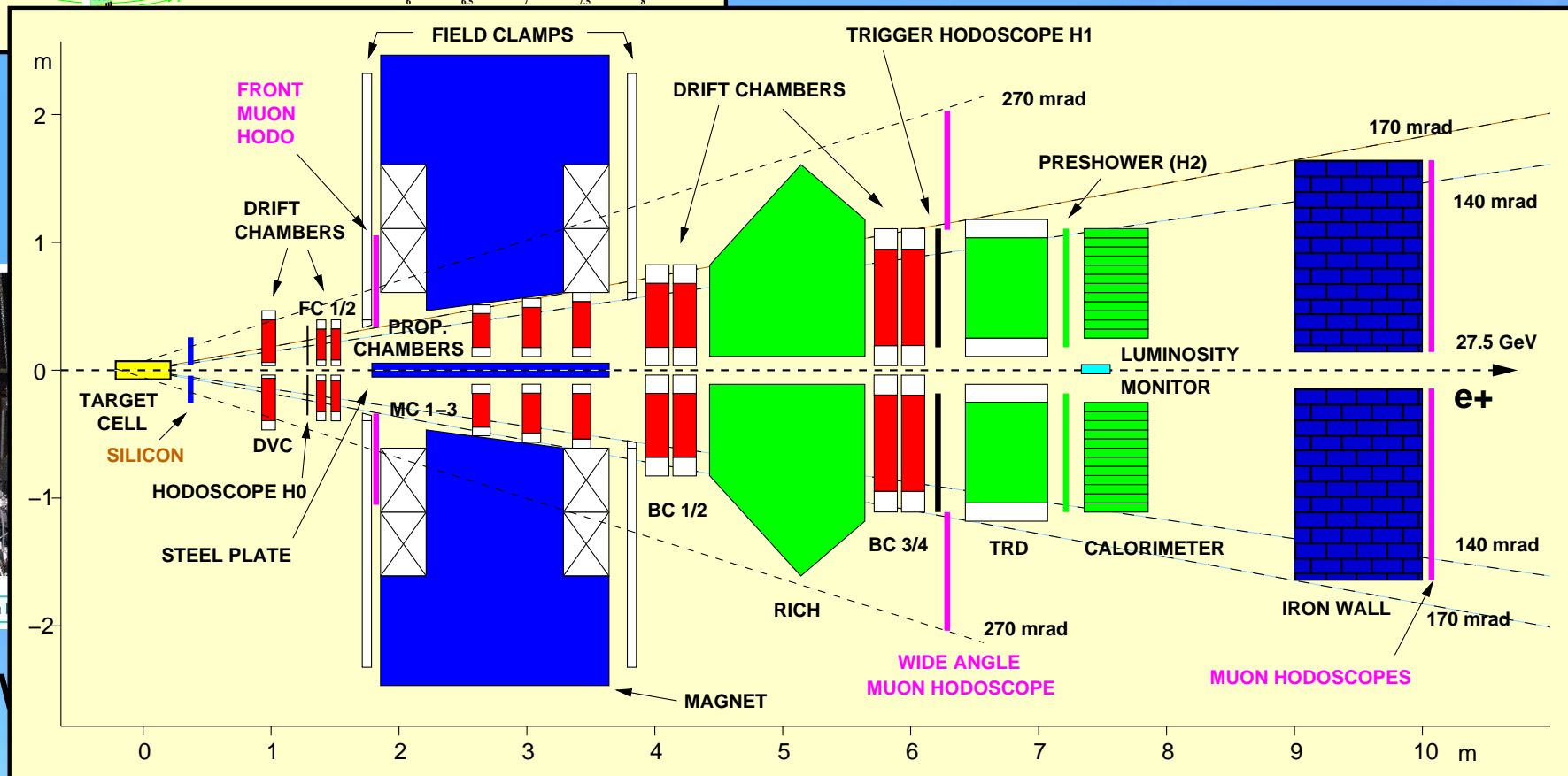
HERMES polarized gas target: $\vec{H}e$, \vec{D} , \vec{H} , H^\uparrow

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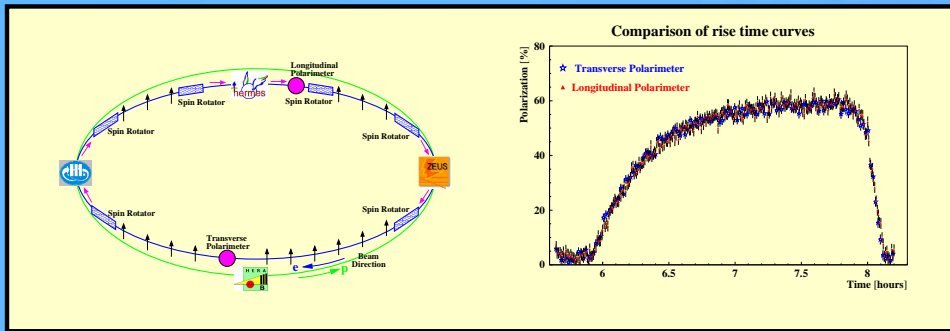
HERMES spectrometer



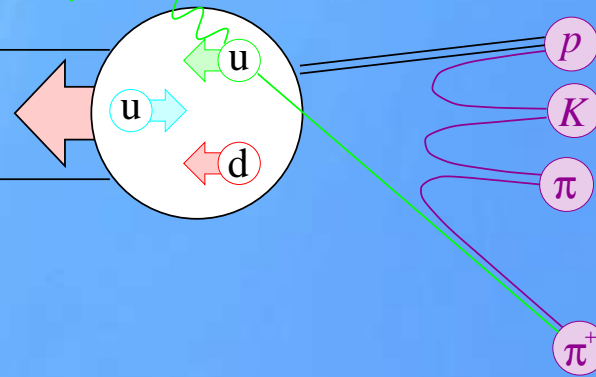
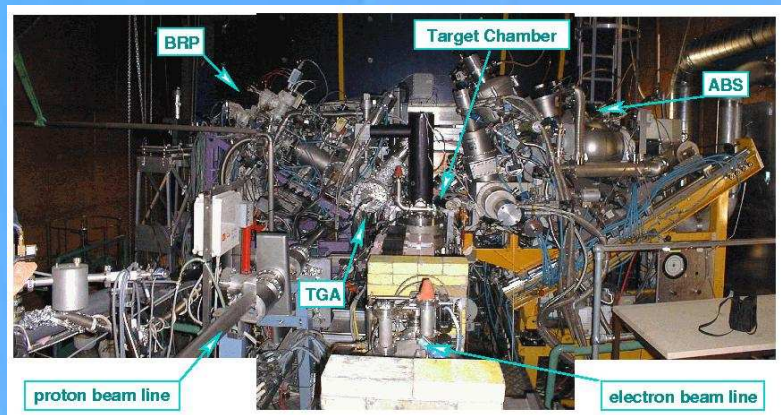
HERMES

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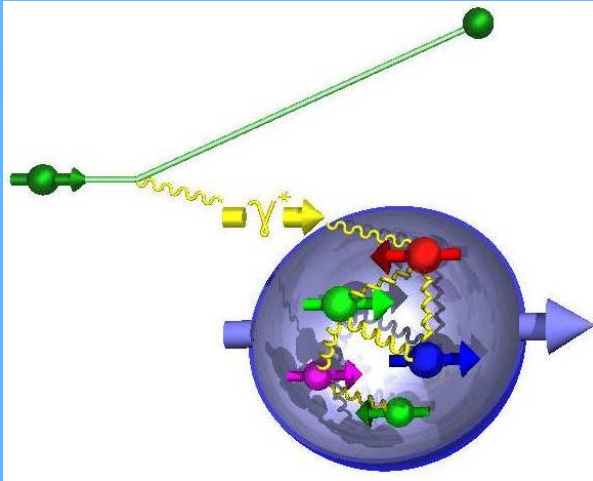


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Virtual Photon Asymmetry



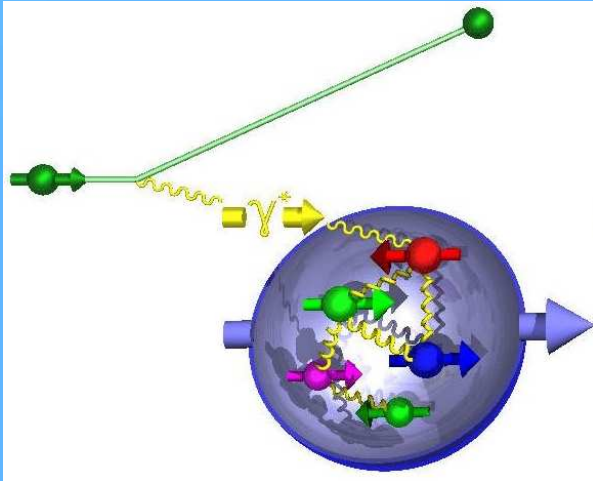
$$\sigma_{3/2} \sim \mathbf{q}^-(\mathbf{x})$$

$$\vec{S}_\gamma + \vec{S}_N = 3/2$$

$$\vec{S}_N = -\vec{S}_q$$

- Virtual photon γ^* can only couple to quarks of opposite helicity

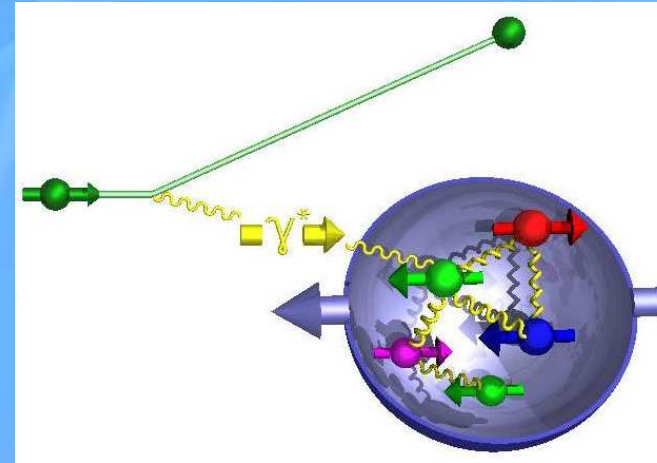
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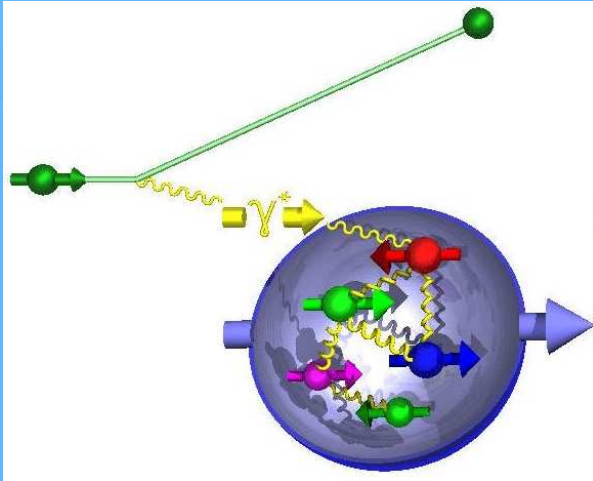
$$\sigma_{1/2} \sim \mathbf{q}^+(\mathbf{x})$$

$$\vec{S}_\gamma + \vec{S}_N = 1/2$$

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- Virtual photon γ^* can only couple to quarks of opposite helicity
- Select $\mathbf{q}^+(\mathbf{x})$ or $\mathbf{q}^-(\mathbf{x})$ by changing the orientation of target nucleon spin or helicity of incident lepton beam

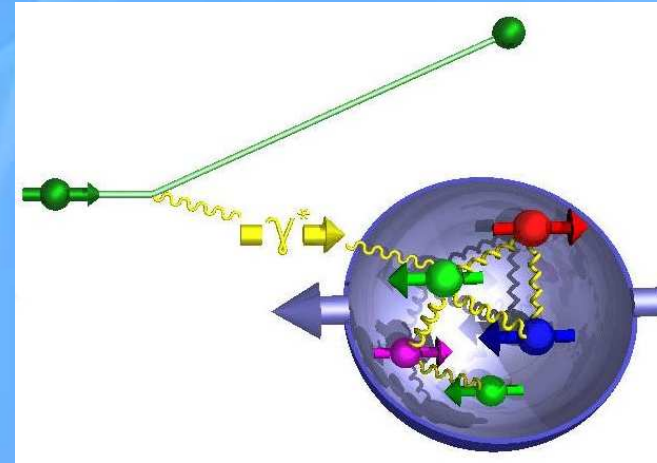
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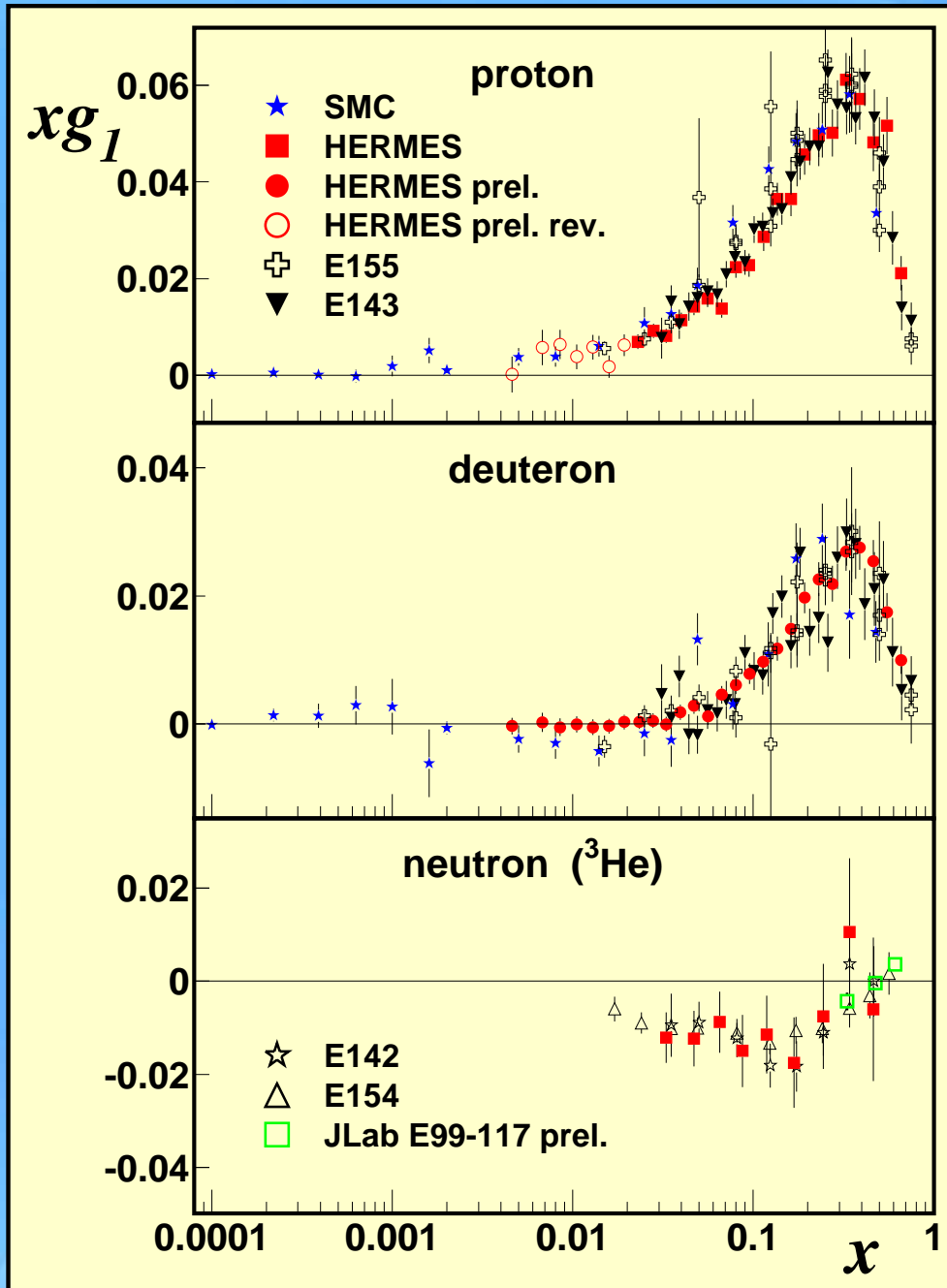
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- Virtual photon γ^* can only couple to quarks of opposite helicity
- Select $\mathbf{q}^+(\mathbf{x})$ or $\mathbf{q}^-(\mathbf{x})$ by changing the orientation of target nucleon spin or helicity of incident lepton beam
- Different targets \implies sensitivity to different quark flavors

Quark Helicity Distributions:

$$\Delta q_f(x) := q_f^+(x) - q_f^-(x) \quad (f : u, d, s, \bar{u}, \bar{d}, \bar{s})$$

World data on $g_1(x, Q^2)$



Data given at measured $\langle Q^2 \rangle$: 0.02 - 58 GeV²

Virtual Photon Asymmetries:

$$A_1 = \frac{\sigma_{\frac{1}{2}} - \sigma_{\frac{3}{2}}}{\sigma_{\frac{1}{2}} + \sigma_{\frac{3}{2}}} \sim \frac{g_1}{F_1}$$

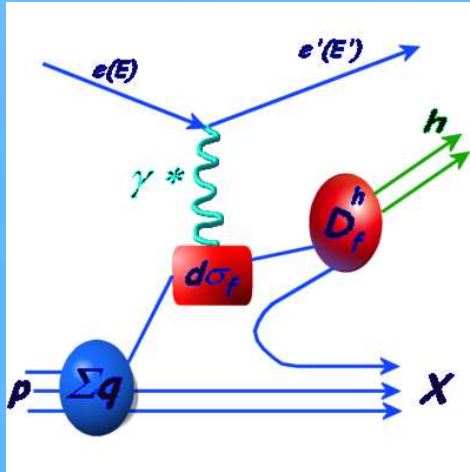
$$\begin{aligned} F_1(x) &= \frac{1}{2} \sum_i e_i^2 (q_i^+(x) + q_i^-(x)) \\ &= \frac{1}{2} \sum_i e^2 q_i(x) \end{aligned}$$

2xF₁: momentum distribution

$$\begin{aligned} g_1(x) &= \frac{1}{2} \sum_i e_i^2 (q_i^+(x) - q_i^-(x)) \\ &= \frac{1}{2} \sum_i e^2 \Delta q_i(x) \end{aligned}$$

g₁: spin distribution of quarks

Semi-inclusive DIS



Correlation between detected hadron and struck q_f
 \Rightarrow 'Flavor - Separation'

Inclusive DIS: $\Delta\Sigma \sim \sum_i e^2 (\Delta q_i(x) + \Delta \bar{q}_i(x))$

Semi-inclusive DIS: $\Delta u, \Delta \bar{u}, \Delta d, \Delta \bar{d}, \Delta s, \Delta \bar{s}$

In LO-QCD:

$$\begin{aligned}
 A_1^h(x, Q^2) &= \frac{\sigma_{1/2}^h - \sigma_{3/2}^h}{\sigma_{1/2}^h + \sigma_{3/2}^h} \sim \frac{\sum_f e_f^2 \Delta q_f(x, Q^2) \int dz D_f^h(z, Q^2)}{\sum_f e_f^2 q_f(x, Q^2) \int dz D_f^h(z, Q^2)} \\
 &\sim \sum_q \underbrace{\frac{e_q^2 q(x) \int dz D_q^h(z)}{\sum_{q'} e_{q'}^2 q'(x) \int dz D_{q'}^h(z)}}_{P_q^h(x, z)} \frac{\Delta q(x)}{q(x)}
 \end{aligned}$$

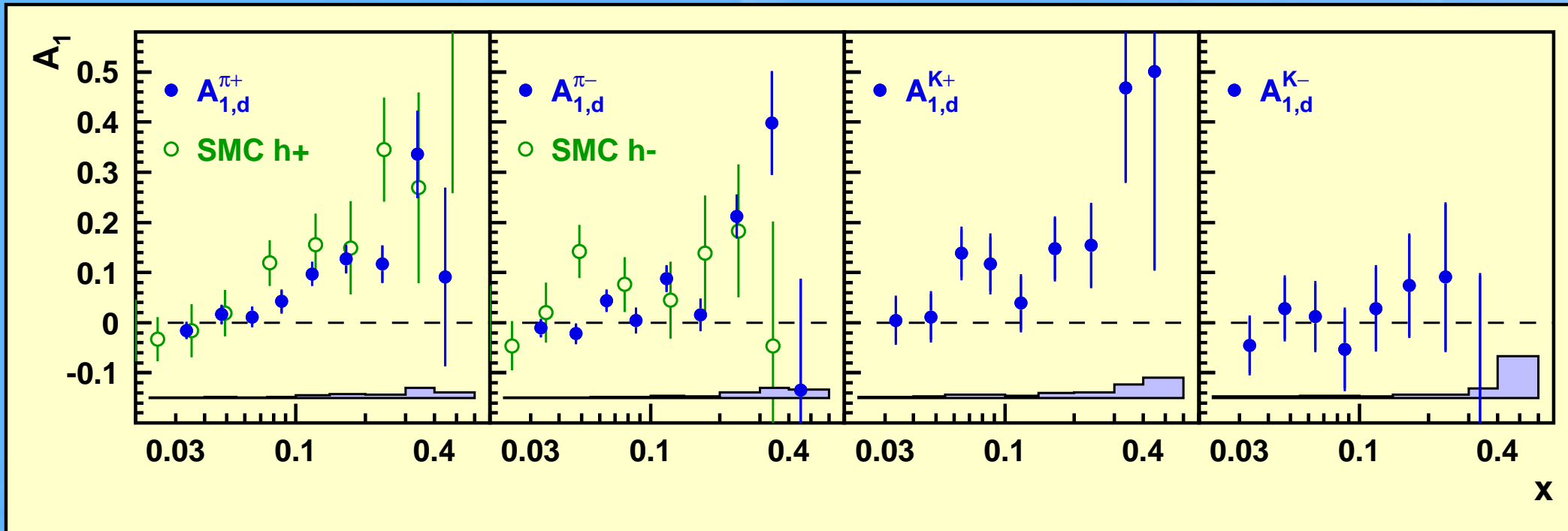
- Solve linear system for \vec{Q} with

$$\vec{A} = (A_{1,p}(x), A_{1,d}(x), A_{1,p}^{\pi^\pm}(x), A_{1,d}^{\pi^\pm}(x), A_{1,d}^{K^\pm}(x))$$

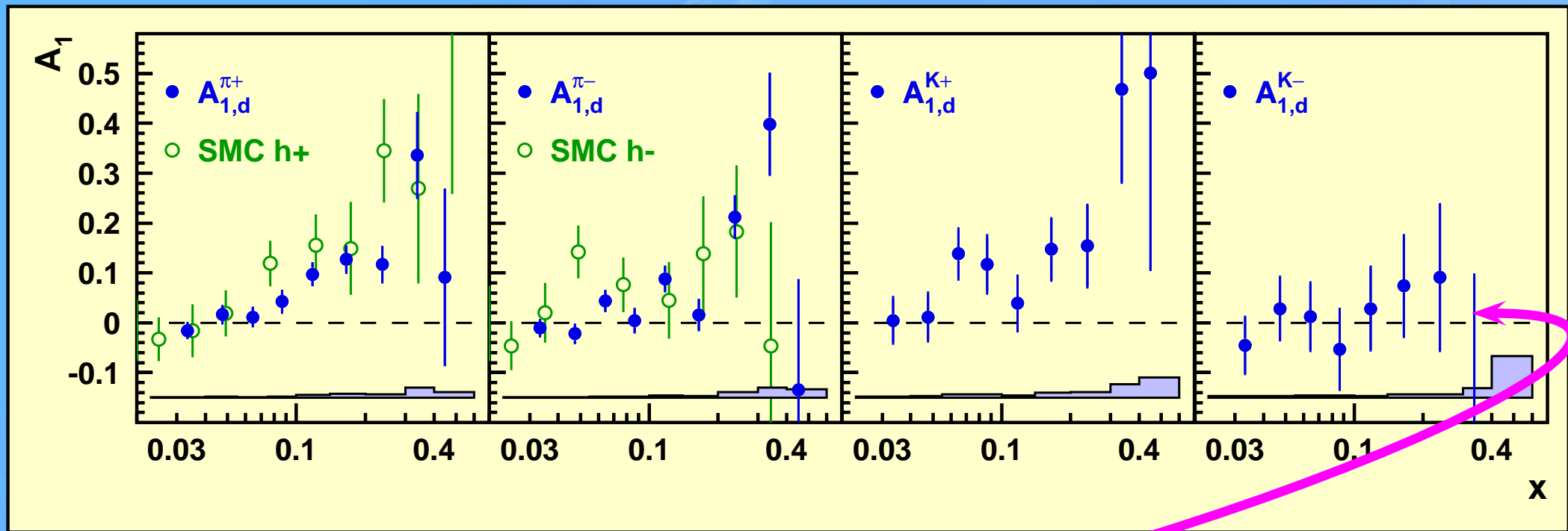
$$\vec{Q} = \left(\frac{\Delta u}{u}, \frac{\Delta d}{d}, \frac{\Delta \bar{u}}{\bar{u}}, \frac{\Delta \bar{d}}{\bar{d}}, \frac{\Delta s + \Delta \bar{s}}{s + \bar{s}} \right)$$

$$\vec{A} = \mathcal{P} \vec{Q}$$

Hadron Asymmetries on the Deuteron



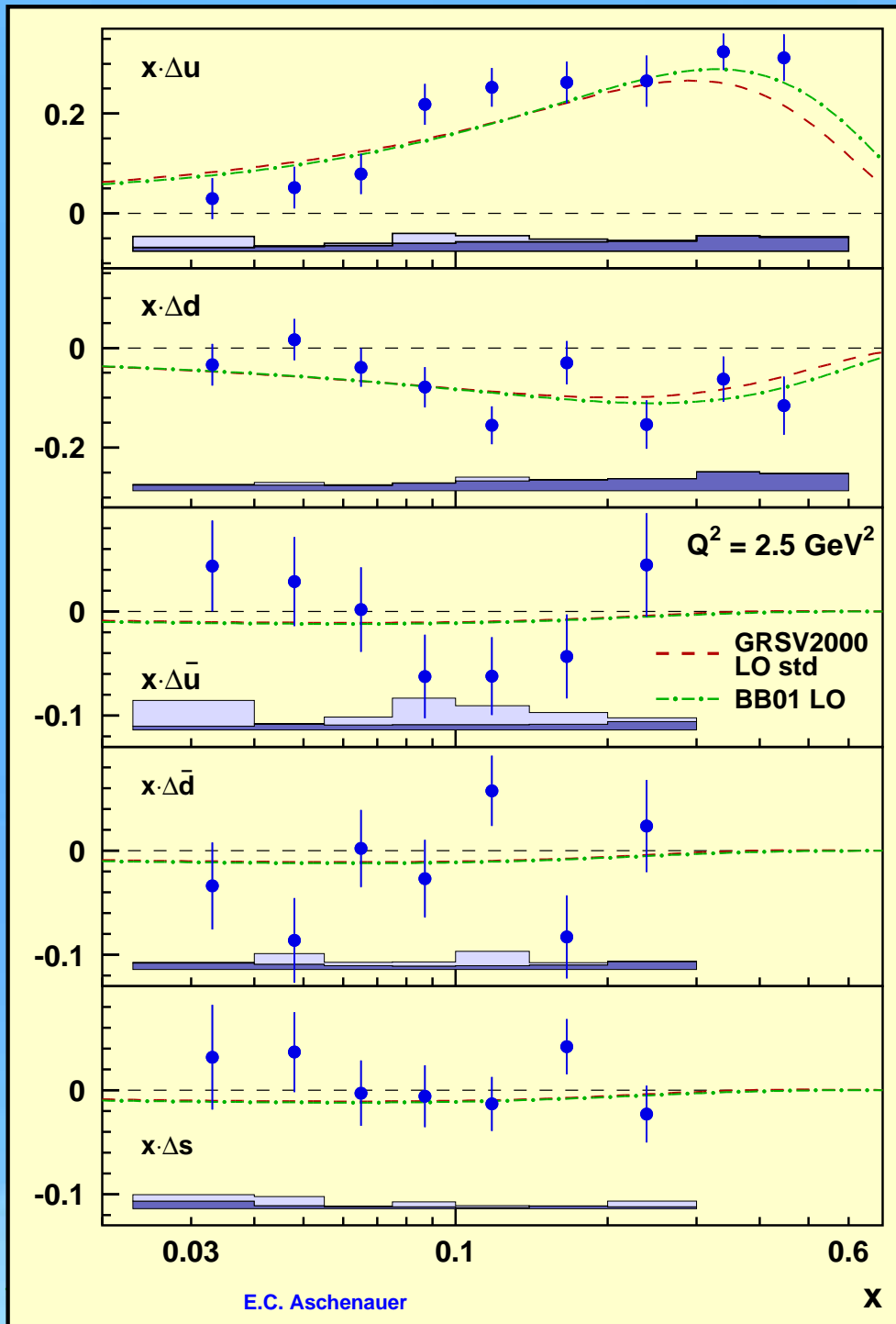
Hadron Asymmetries on the Deuteron



- $A_1^{K^-}(x) \approx 0$!! $\implies K^- = (\bar{u}s)$ is an all-sea object

Polarized Quark Densities

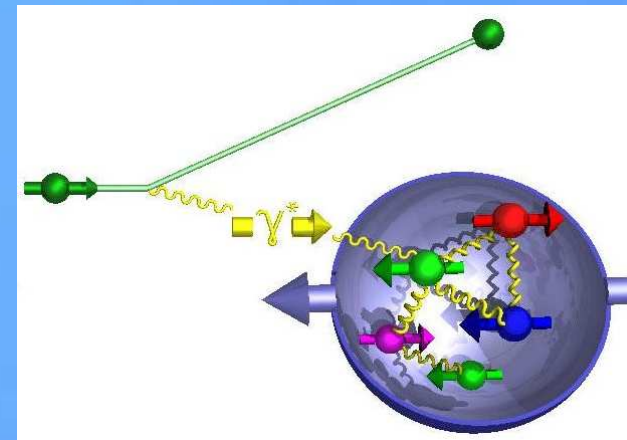
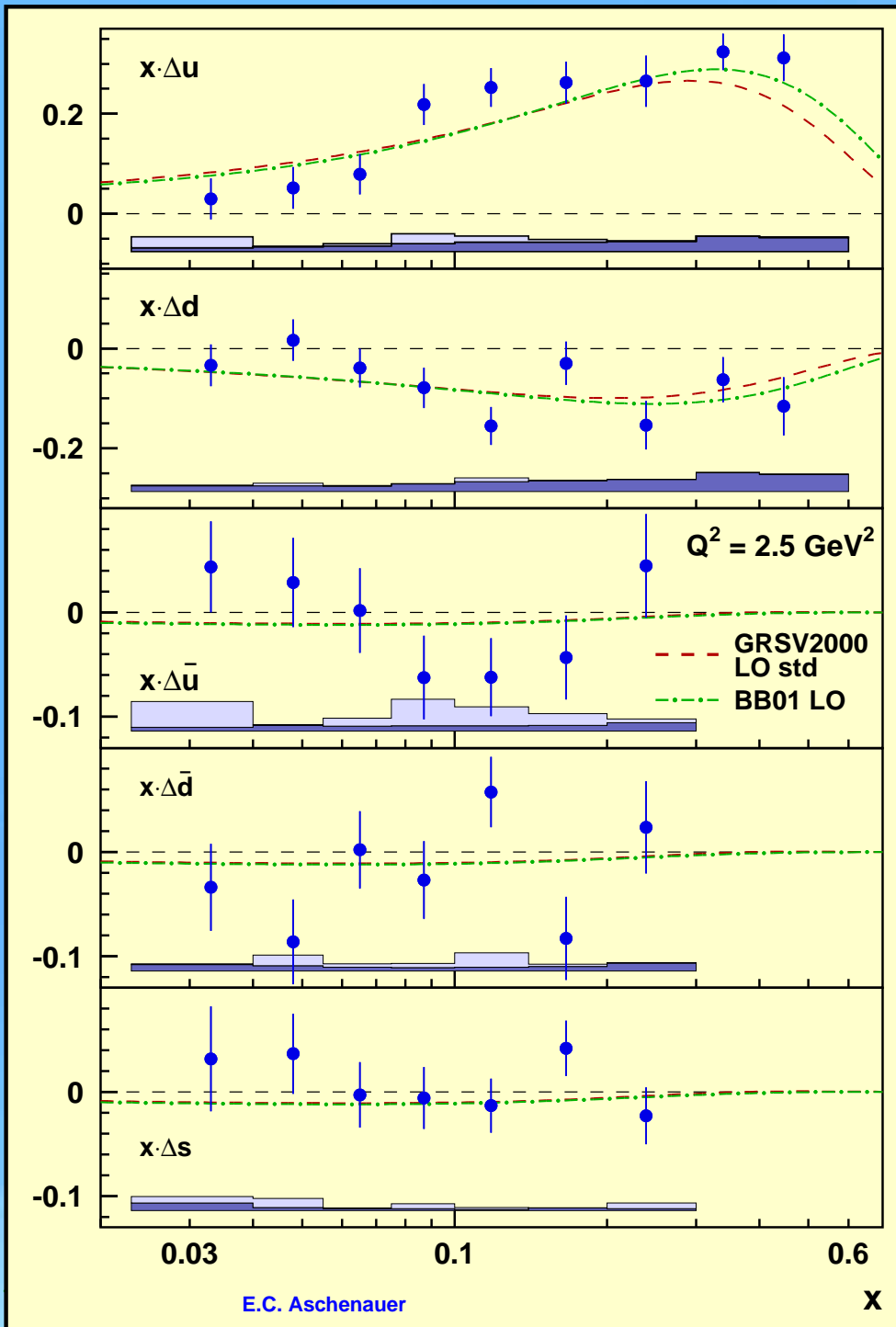
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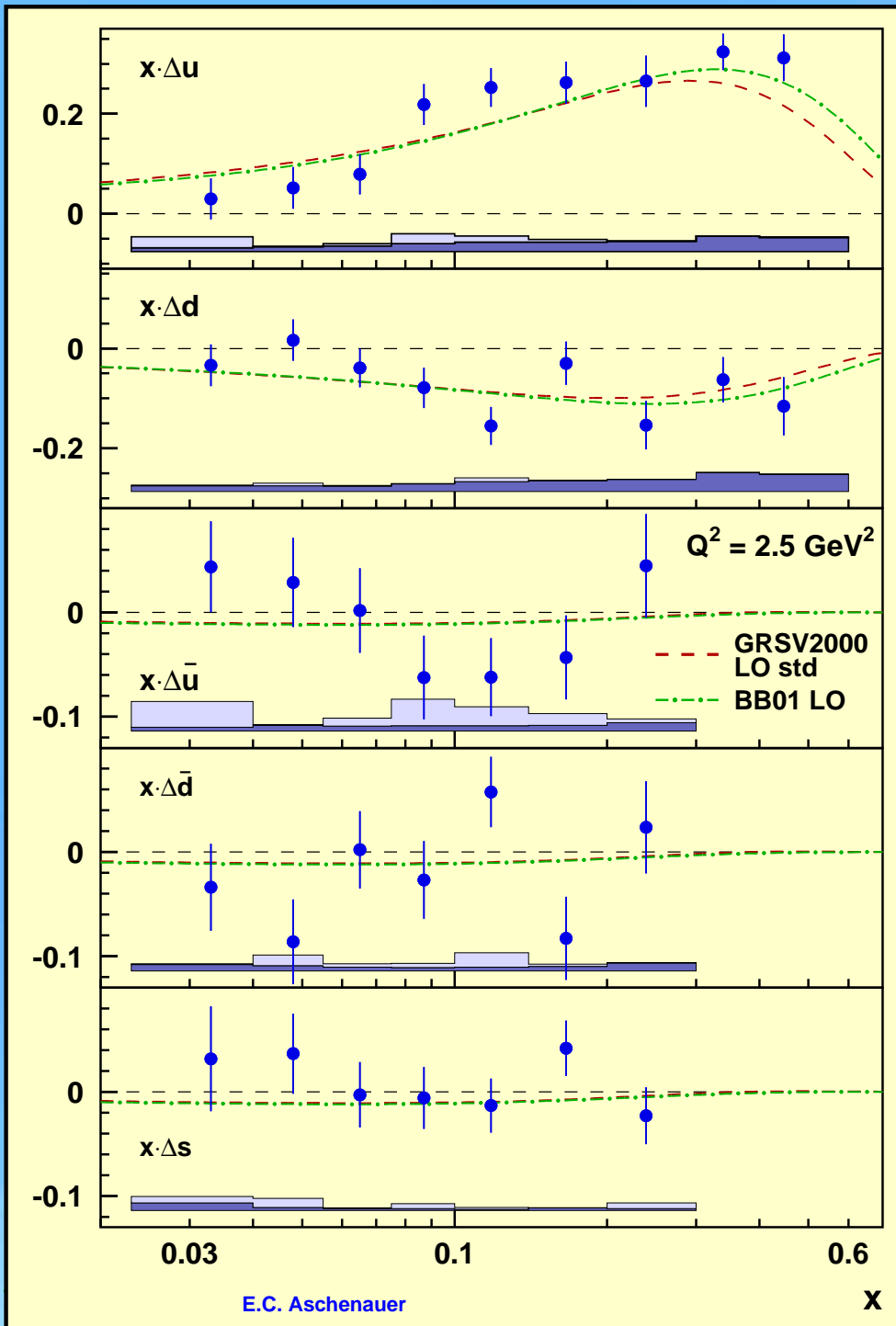
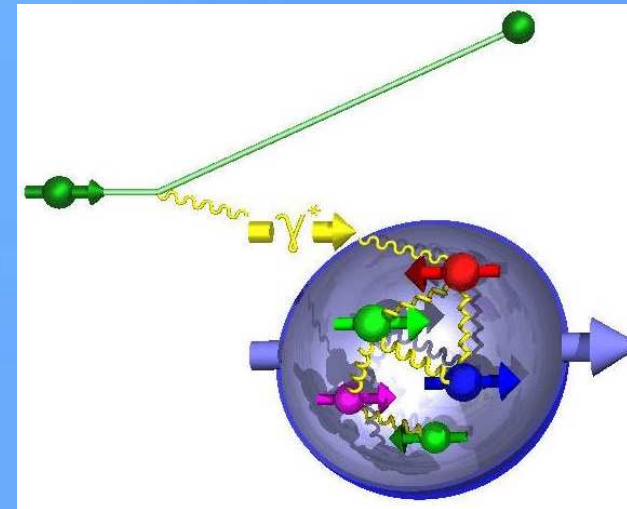
- $\Delta u(x) > 0$
 \Rightarrow polarized parallel to the proton



Polarized Quark Densities

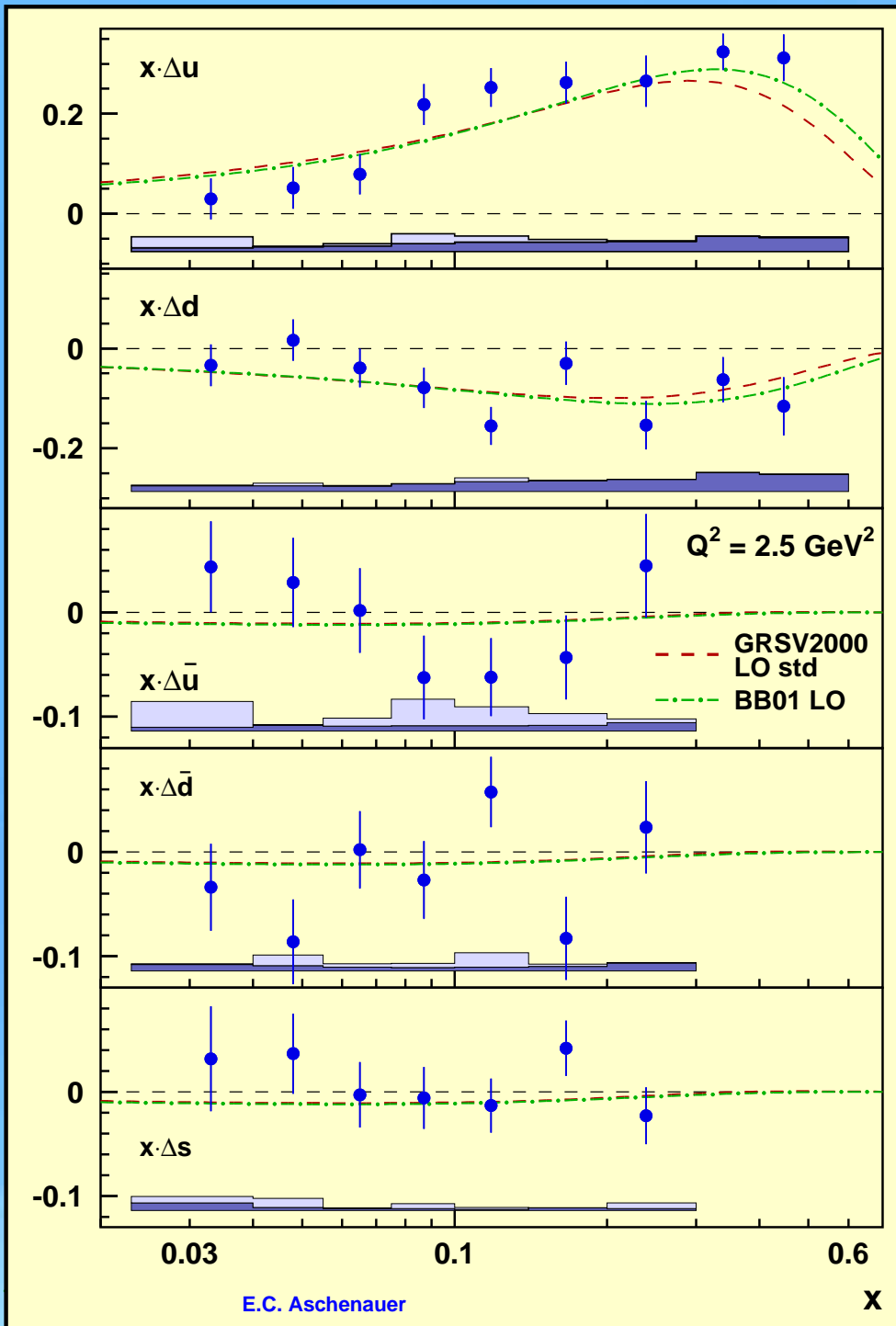
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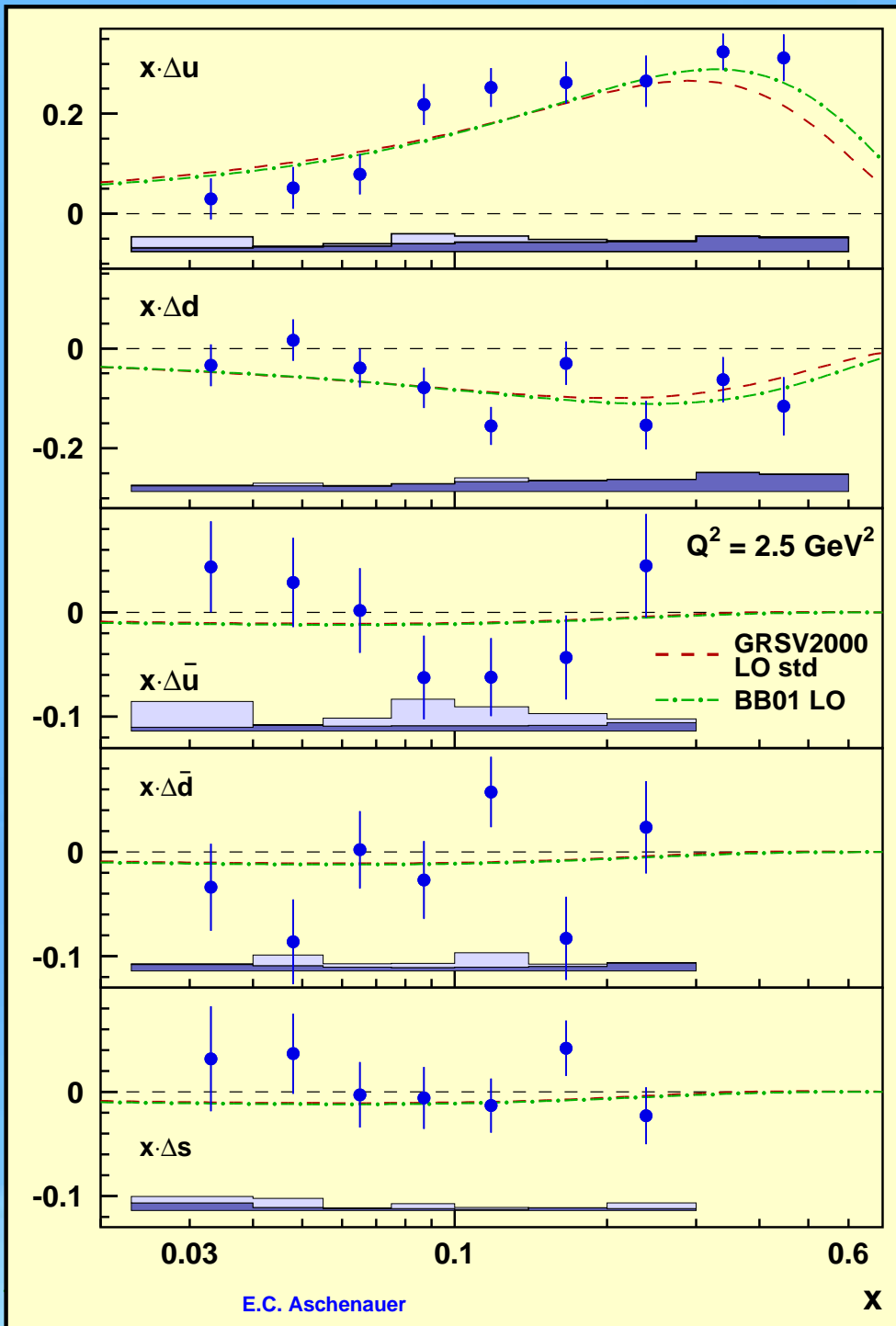
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- $\Delta u(x)$ and $\Delta d(x)$
 good agreement with NLO-QCD fit

Polarized Quark Densities

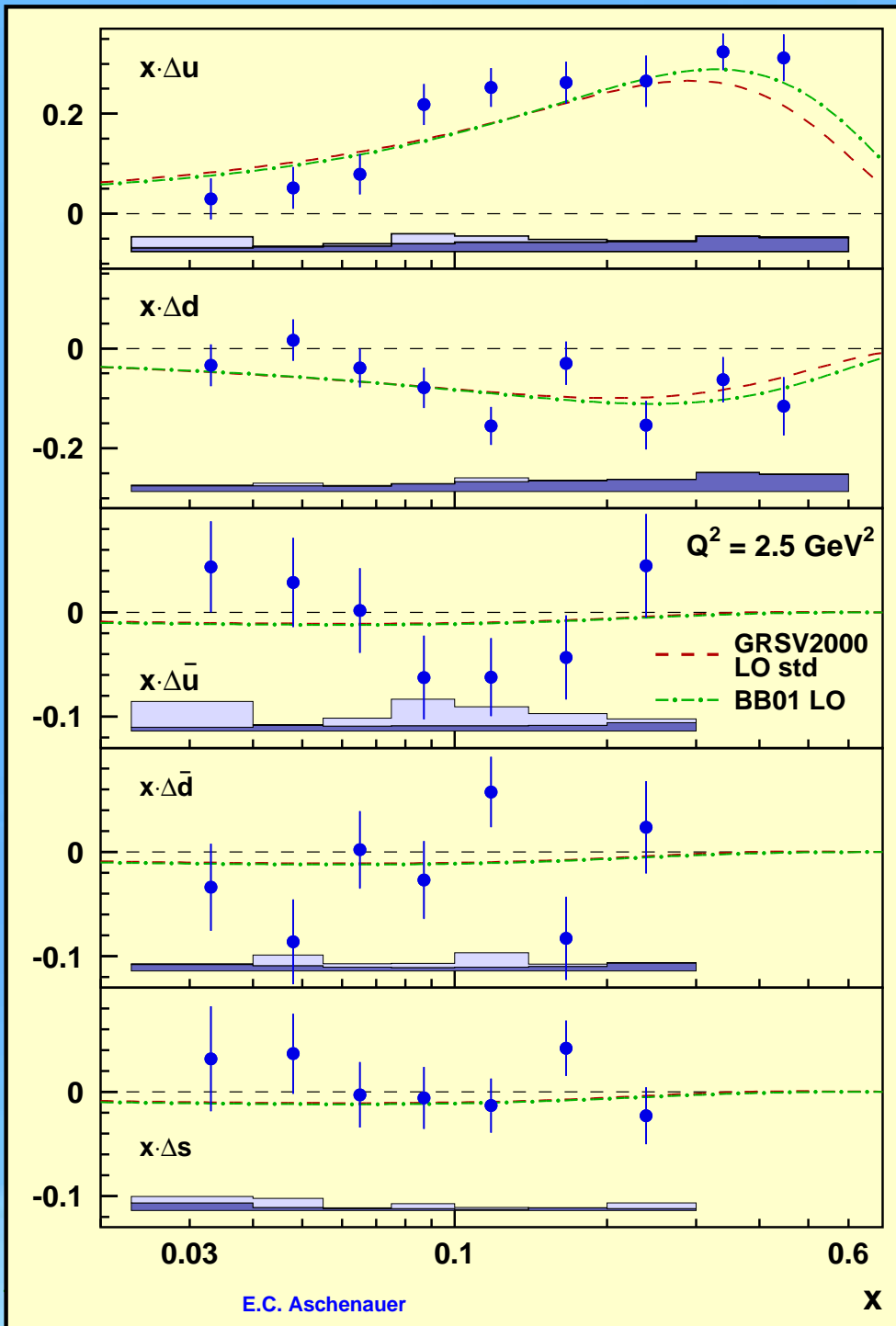
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 good agreement with NLO-QCD fit
- $\Delta \bar{u}(\mathbf{x}), \Delta \bar{d}(\mathbf{x}) \sim 0$

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- $\Delta u(x)$ and $\Delta d(x)$
 good agreement with NLO-QCD fit
- $\Delta \bar{u}(x), \Delta \bar{d}(x) \sim 0$
- No indication for $\Delta s(x) < 0$

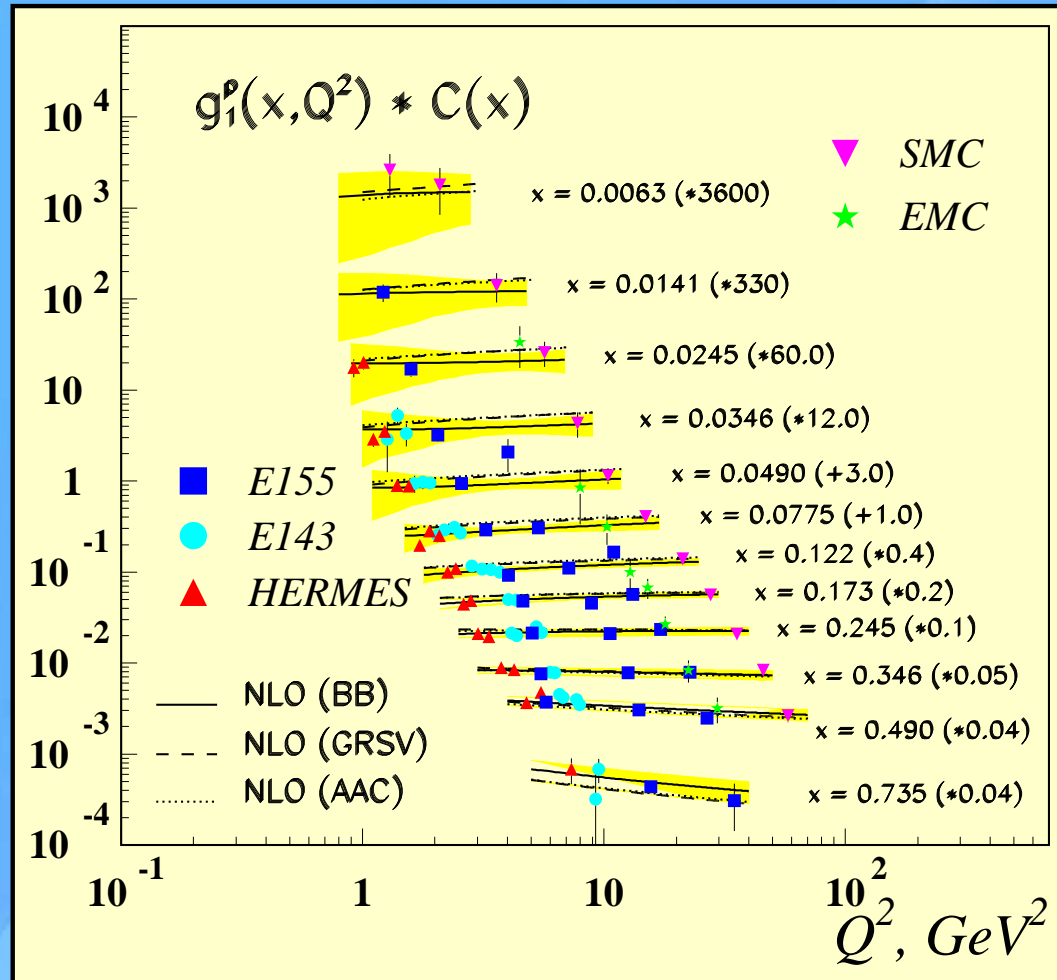
How to measure ΔG

- **”Indirect” from scaling violation**

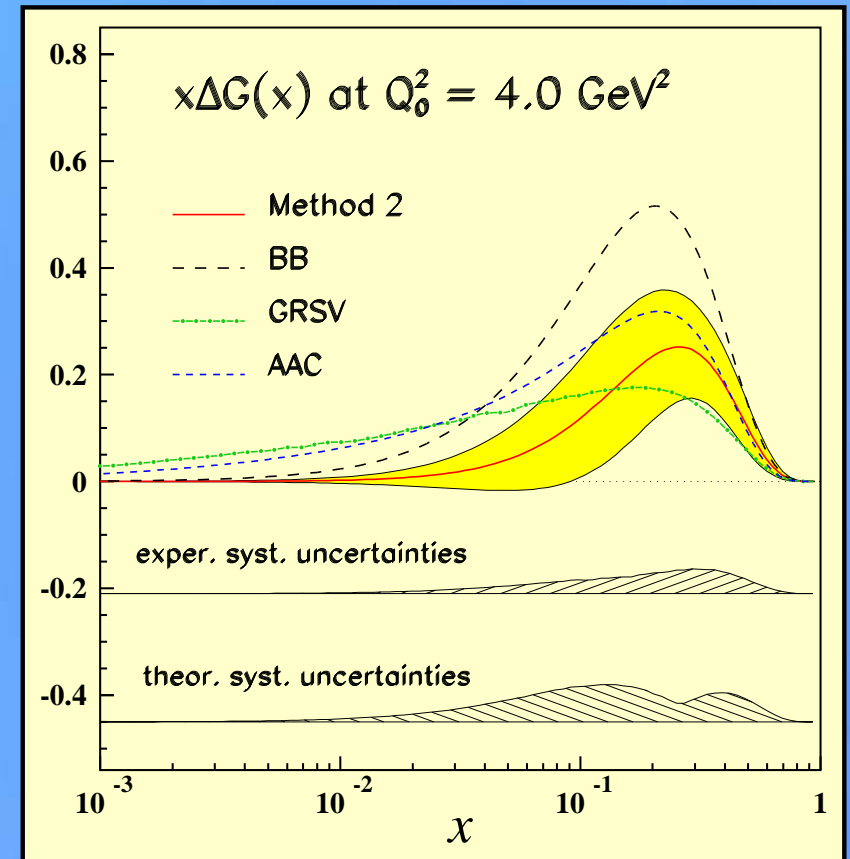
How to measure ΔG

- "Indirect" from scaling violation

Polarized case:

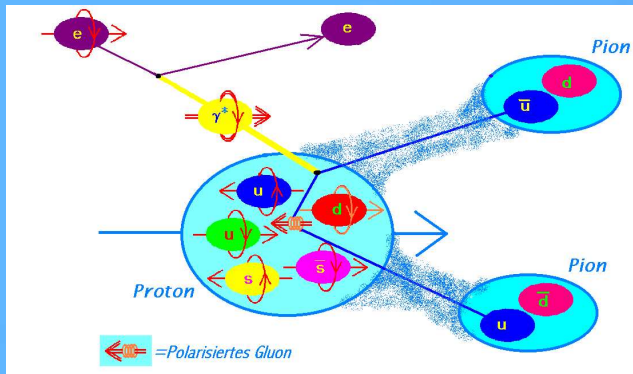


- fixed target experiments
 \implies small $Q^2 - x_{bj}$ lever arm
- determines only sign of $\Delta G(x)$



Direct Measurements of ΔG

Isolate the photon-gluon fusion process



pairs of high- P_T hadrons

$$p_T(h_1^\pm, h_2^\mp) > 1\text{GeV}$$

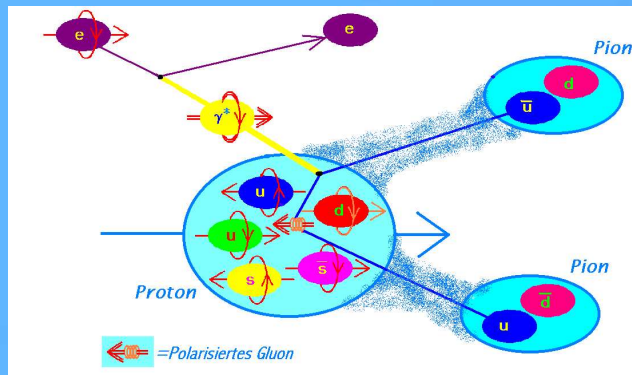
$$A_{||} = \frac{N_{h_1^\pm h_2^\mp}^{\leftarrow} - N_{h_1^\pm h_2^\mp}^{\rightarrow}}{N_{h_1^\pm h_2^\mp}^{\leftarrow} + N_{h_1^\pm h_2^\mp}^{\rightarrow}}$$

$$A_{\gamma^* p \rightarrow h_1^\pm + h_2^\mp} \sim -\Delta G/G$$

additionally:
use identified hadrons

Direct Measurements of ΔG

Isolate the photon-gluon fusion process



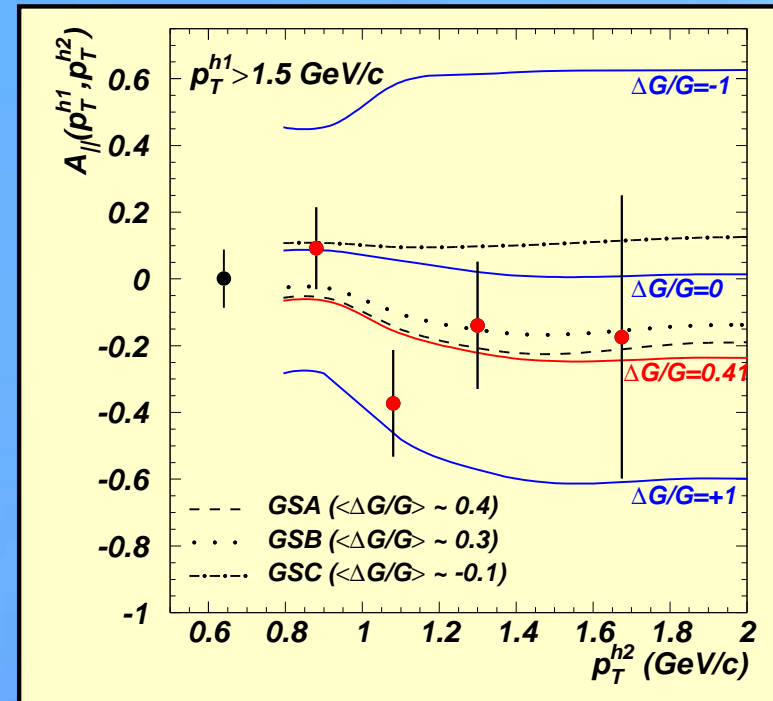
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within LO pQCD and PYTHIA5 MC model
 $\Delta G/G = 0.41 \pm 0.18$ (stat.) ± 0.03 (exp.syst.)
 at $\langle x_G \rangle = 0.17$ and $\langle \hat{p}_T^2 \rangle = 2.1\text{GeV}^2$

Extraction strongly Model dependent
 New extraction of $\Delta G/G$ using polarized
 Deuterium data

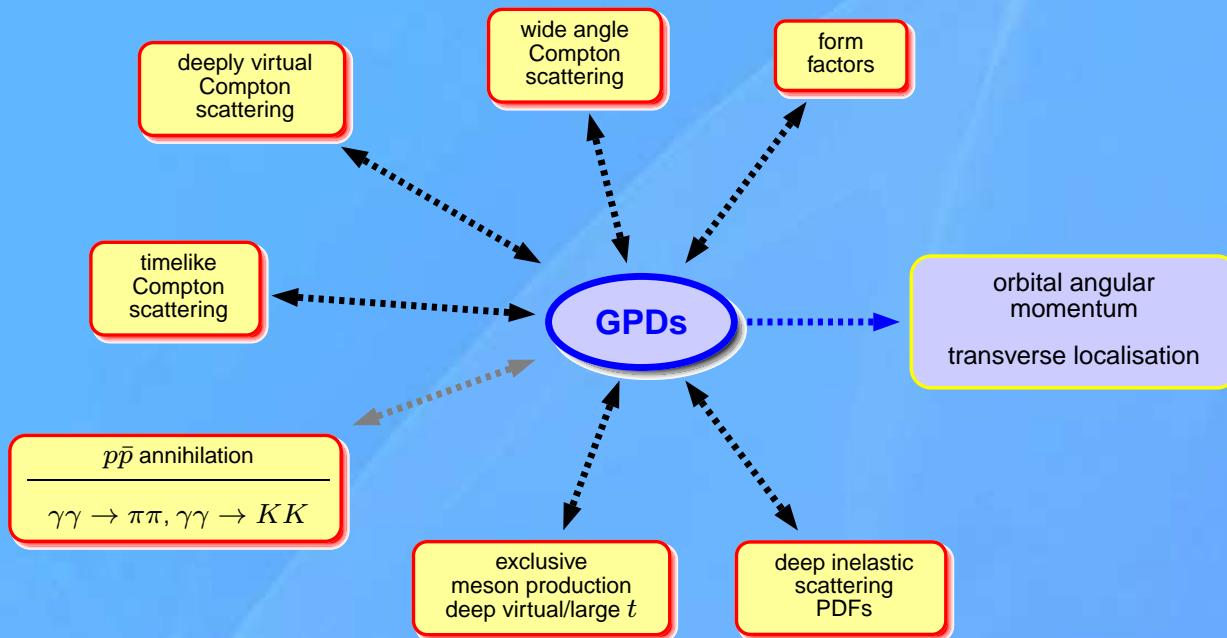
The Hunt for L_q

Study of hard **exclusive processes** leads to a new class of PDFs

Generalised Parton Distributions

$$H^q, E^q, \tilde{H}^q, \tilde{E}^q$$

⇒ possible access to orbital angular momentum



$$J_q = \frac{1}{2} \left(\int_{-1}^1 x dx (H^q + E^q) \right)_{t \rightarrow 0}$$

$$J_q = \frac{1}{2} \Delta \Sigma + L_q$$

exclusive: all products of a reaction are detected
 ⇒ missing energy (ΔE) and missing Mass (M_x) = 0

GPDs Introduction

What does GPDs characterize?

unpolarized

$$H^q(x, \xi, t)$$

polarized

$$\tilde{H}^q(x, \xi, t)$$

conserve nucleon helicity

$$H^q(x, 0, 0) = q, \quad \tilde{H}^q(x, 0, 0) = \Delta q$$

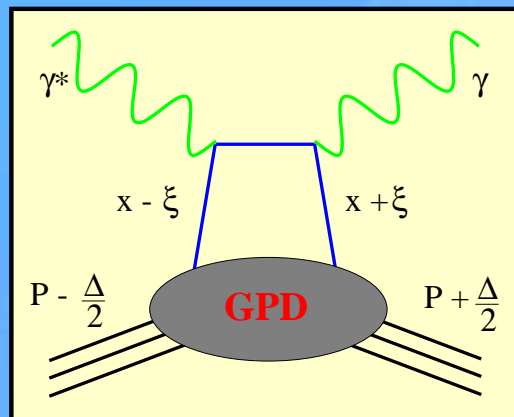
$$E^q(x, \xi, t)$$

$$\tilde{E}^q(x, \xi, t)$$

flip nucleon helicity

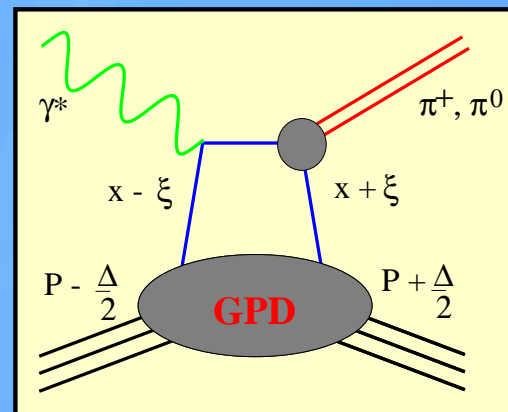
not accessible in DIS

quantum numbers of final state \Rightarrow select different GPDs



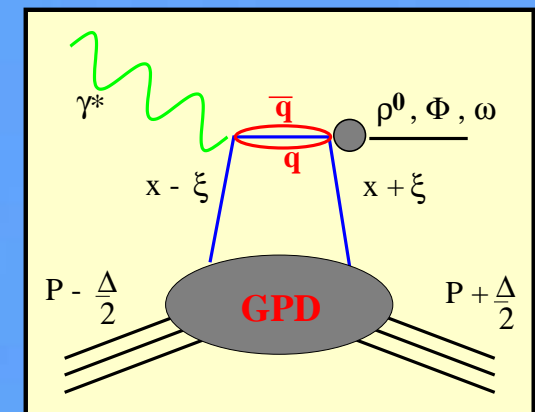
DVCS:

$$H^q, E^q, \tilde{H}^q, \tilde{E}^q$$



pseudo-scalar mesons

$$\tilde{H}^q, \tilde{E}^q$$



vector mesons

$$H^q, E^q$$

x, t, ξ defined on the light cone

x : longitudinal momentum fraction

t : momentum transfer ($t = \Delta^2$)

ξ : exchanged longitudinal momentum fraction ($\xi = \frac{x_{Bj}/2}{1-x_{Bj}/2}$)

DVCS azimuthal asymmetries

$$d\sigma \propto |\mathcal{T}_{BH}|^2 + |\mathcal{T}_{DVCS}|^2 + (\mathcal{T}_{BH}^* \mathcal{T}_{DVCS} + \mathcal{T}_{DVCS}^* \mathcal{T}_{BH})$$

isolate **BH-DVCS interference** term \Rightarrow non-zero azimuthal asymmetries

- imaginary part \propto beam **helicity** asymmetry:

$$\begin{aligned} d\sigma_{e^+ \leftarrow} - d\sigma_{e^+ \rightarrow} &\propto \text{Im}(\mathcal{T}_{BH} \mathcal{T}_{DVCS}) \\ &\propto \sin \phi \implies H^u(x, \xi, t) \end{aligned}$$

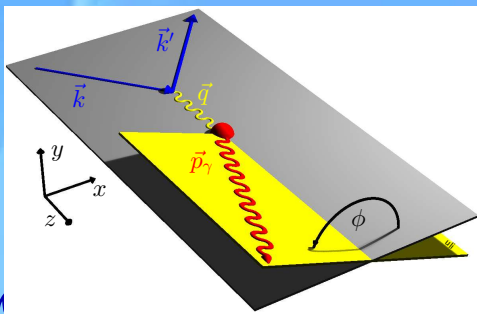
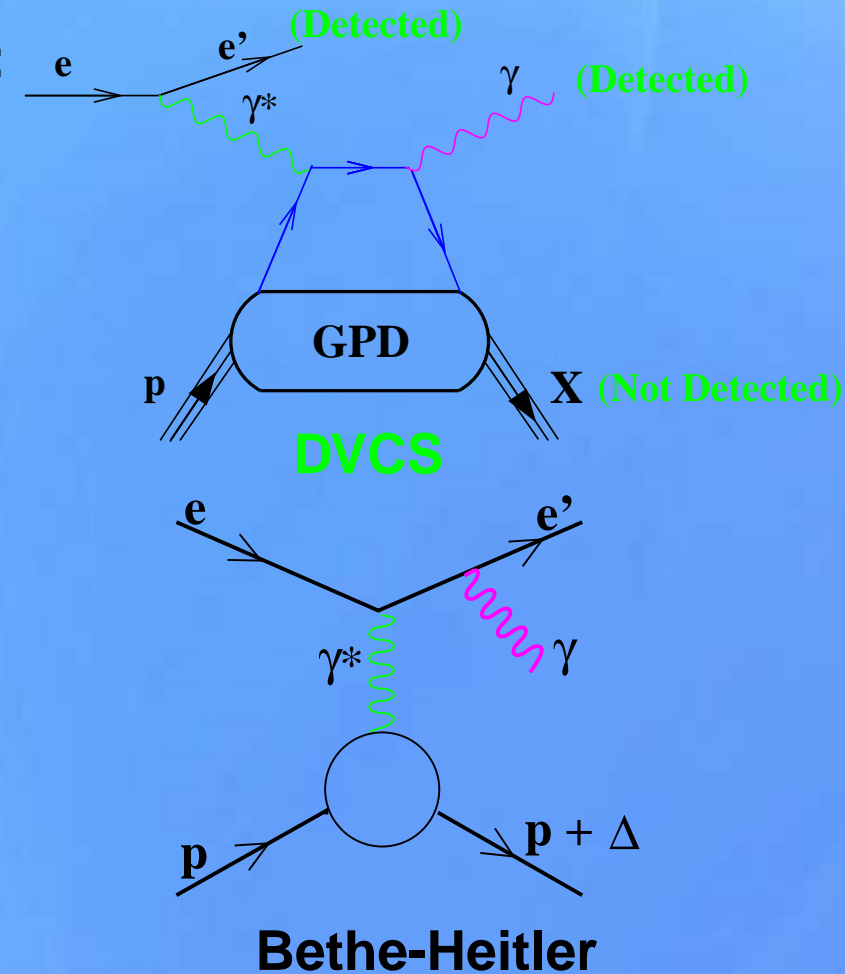
\Rightarrow asymmetry measured by **HERMES** and **JLAB**

- real part \propto beam **charge** asymmetry:

$$\begin{aligned} d\sigma_{e^+} - d\sigma_{e^-} &\propto \text{Re}(\mathcal{T}_{BH} \mathcal{T}_{DVCS}) \\ &\propto \cos \phi \implies H^u(x, \xi, t) \end{aligned}$$

\Rightarrow asymmetry measured by **HERMES**

- no polarized target needed

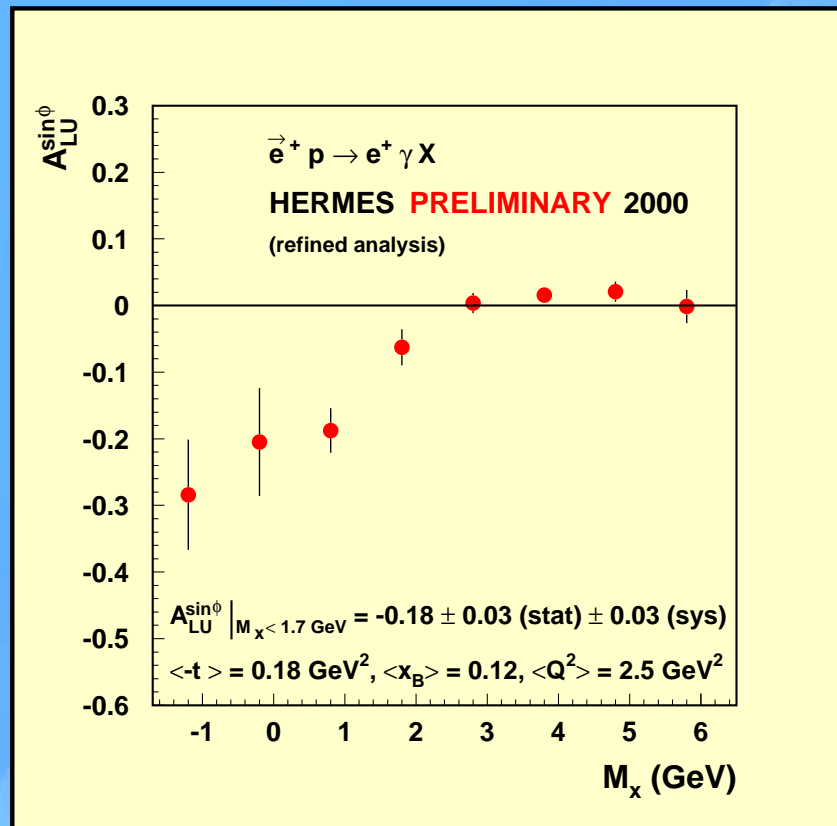


ϕ : azimuthal angle between
lepton scattering plane
and the $\gamma^* \gamma$ - plane

DVCS BSA and BCA

$$\frac{d\sigma_{\leftarrow}}{e^+} - \frac{d\sigma_{\rightarrow}}{e^+}$$

sensitive to $\text{Im}(\mathcal{T}_{BH}\mathcal{T}_{DVCS})$

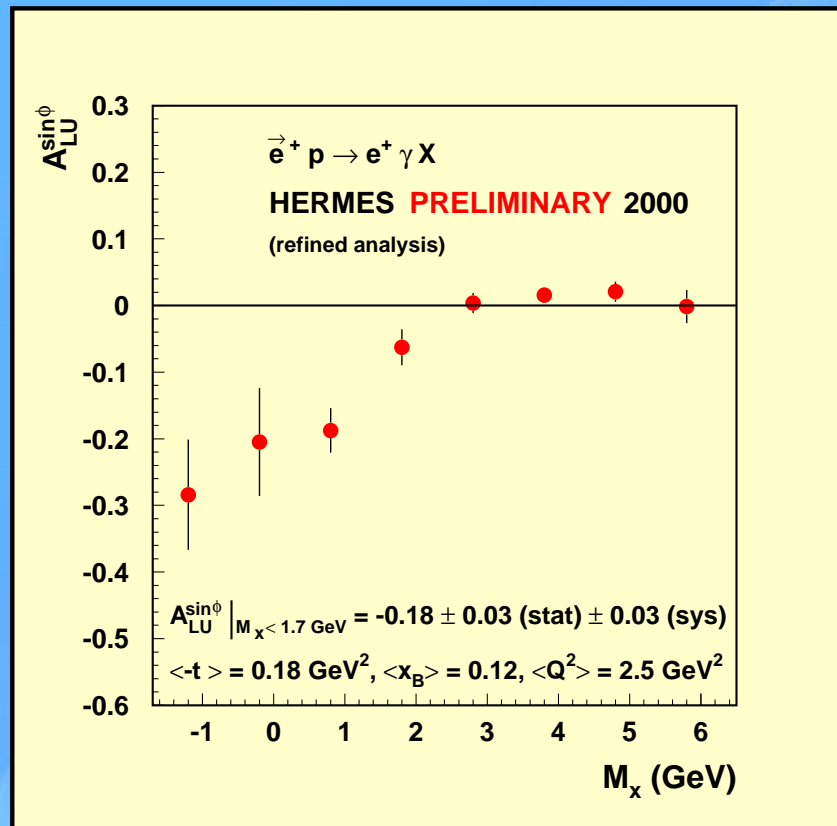


measures **GPD** (x, ξ, t) at $x = \xi$

DVCS BSA and BCA

$$d\sigma_{e^+}^{\leftarrow} - d\sigma_{e^+}^{\rightarrow}$$

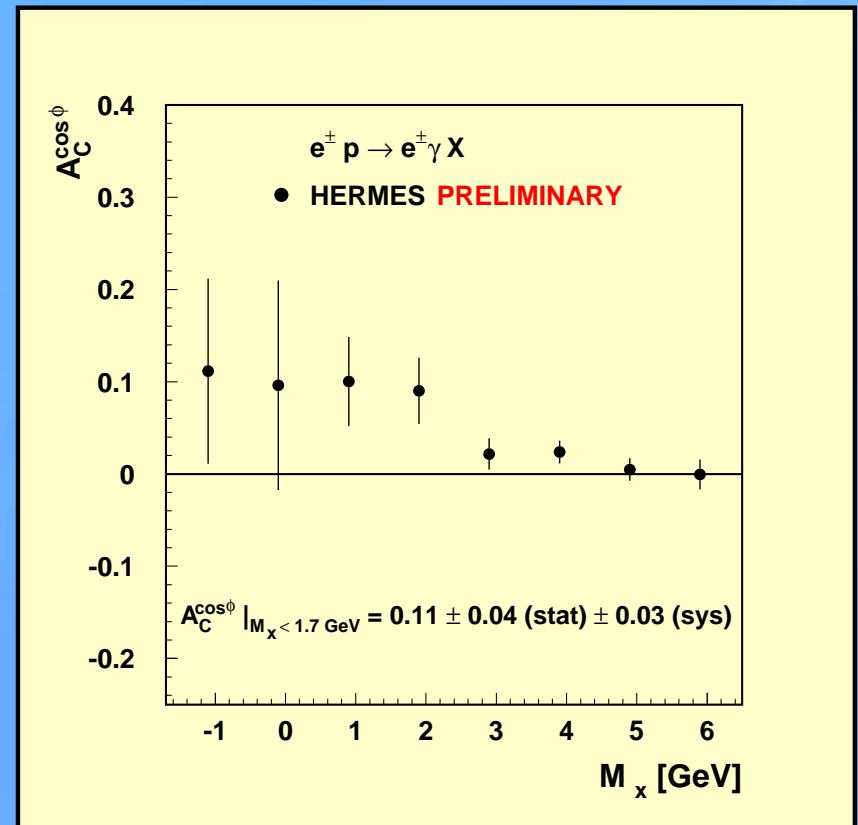
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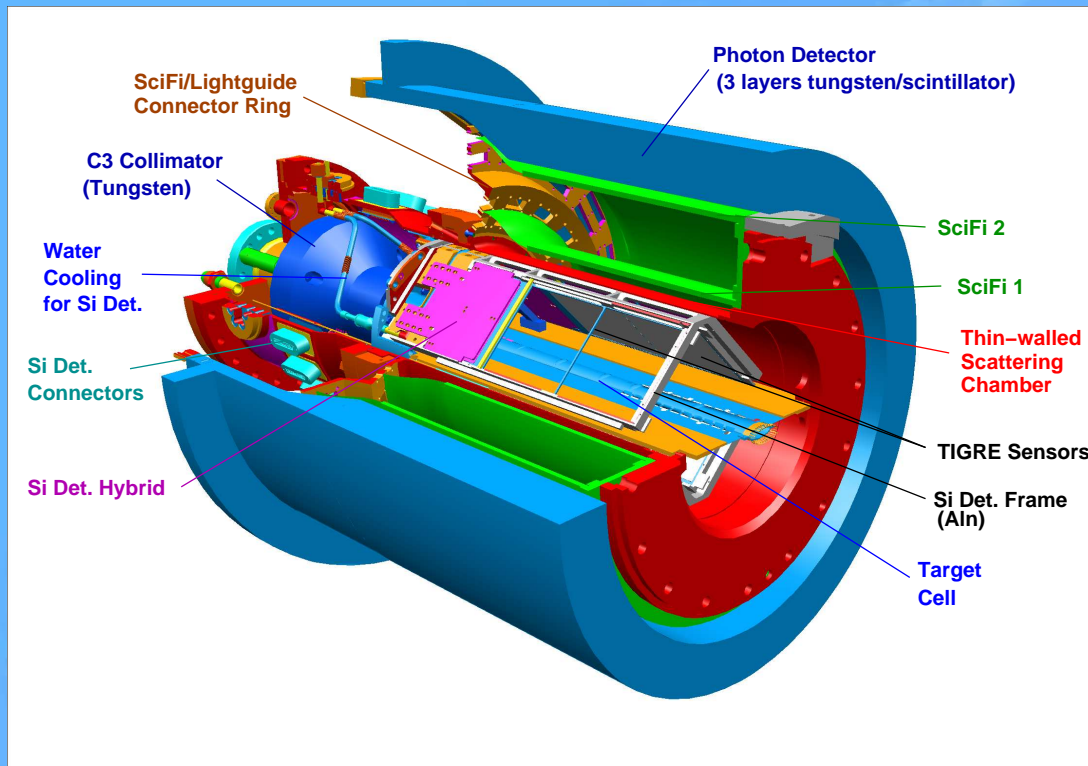
$$d\sigma_{e^+} - d\sigma_{e^-}$$

sensitive to $\text{Re}(\mathcal{T}_{BH}\mathcal{T}_{DVCS})$



Access to **q \bar{q}** content of mesonic correlations in nucleon

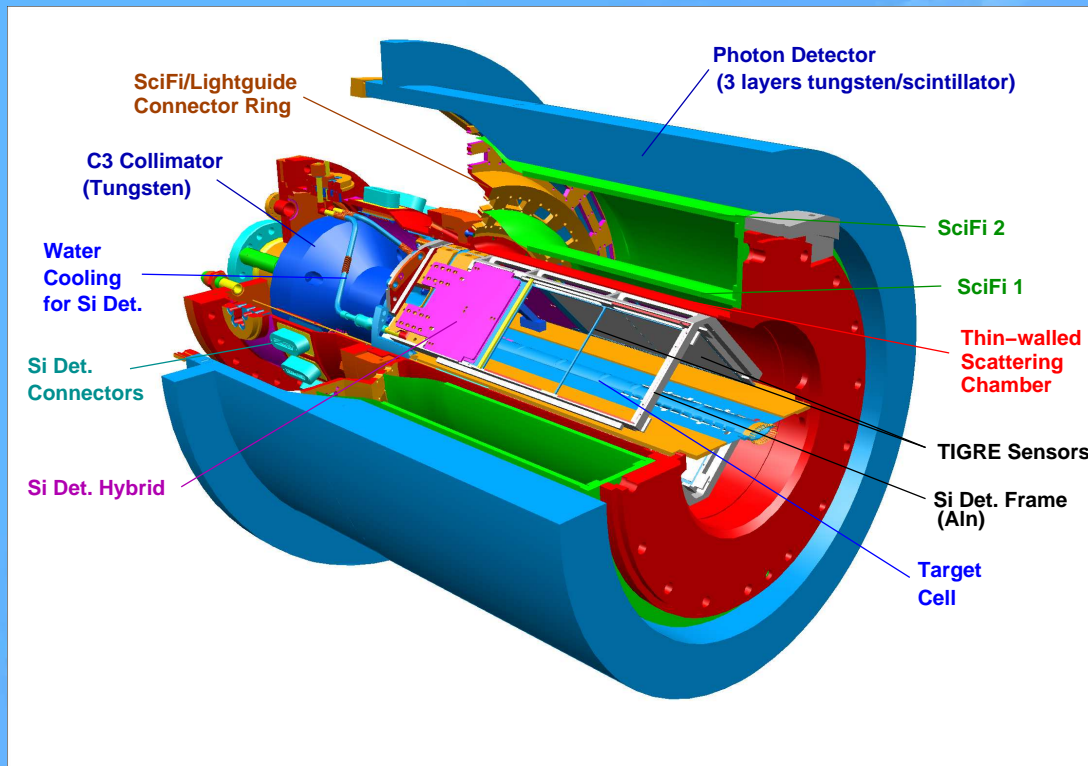
The HERMES Recoil Detector



build by DESY, Erlangen, Ferrara, Frascati,
Gent, Giessen Glasgow

Improve Exclusivity

The HERMES Recoil Detector



build by DESY, Erlangen, Ferrara, Frascati,
Gent, Giessen Glasgow

- detection of the recoiling proton
 - ⇒ p : 135 - 1200 MeV /c
 - ⇒ 76 % ϕ acceptance
 - ⇒ π/p -PID via dE/dx
- Background Suppression
 - ⇒ improved exclusivity
 - ⇒ suppress Δ contribution
- improve t-resolution by factor 10
 - ⇒ study kinematical dependences
- data taking through last 2 years of HERA

Deep Inelastic Scattering Cross Section

Cross Section:
$$\frac{d^2\sigma}{d\Omega dE^2} = \frac{\alpha^2 E'}{Q^2 E} \underbrace{L_{\mu\nu}(k, q, s)}_{\text{leptonic}} \underbrace{W^{\mu\nu}(P, q, S)}_{\text{hadronic}}$$

$L_{\mu\nu}$: purely electromagnetic \implies calculable in QED

$$W^{\mu\nu} = -g^{\mu\nu} F_1(x, Q^2) + \frac{p^\mu p^\nu}{\nu} F_2(x, Q^2) + i\epsilon^{\mu\nu\lambda\sigma} \frac{q_\lambda}{\nu} (S_\sigma g_1(x, Q^2) + \frac{1}{\nu} (p \cdot q S_\sigma - S \cdot q p_\sigma) g_2(x, Q^2))$$

(for spin 1) + quadrupole terms (b_1, b_2, b_3, b_4)

No Information on

relativistic effects, intrinsic k_T , masses and correlations of quarks

DIS and SIDIS Cross Section

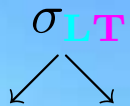
$$d\sigma = d\sigma_{UU} + \cos 2\phi d\sigma_{UU} + \frac{1}{Q} \cos \phi d\sigma_{UU} + \lambda \frac{1}{Q} \sin \phi d\sigma_{LU}$$

$$+ S_L [\sin 2\phi d\sigma_{UL} + \frac{1}{Q} \sin \phi d\sigma_{UL}] + \lambda S_L [\sigma_{LL} + \frac{1}{Q} \cos \phi d\sigma_{LL}] +$$

$$S_T [\sin(\phi + \phi_S) d\sigma_{UT} + \sin(\phi - \phi_S) d\sigma_{UT} + \sin(3\phi - \phi_S) \sigma_{UT} + \frac{1}{Q} \sin(2\phi - \phi_S) d\sigma_{UT}]$$

$$+ \lambda S_T [\cos(\phi - \phi_S) d\sigma_{LT} + \frac{1}{Q} \cos(2\phi - \phi_S) d\sigma_{LT}] + \dots$$

⇒ non zero **S**ingle **S**pin Azimuthal **A**symmetries



Beam Target polarization

DIS and SIDIS Cross Section

$$d\sigma = \boxed{\frac{d\sigma_{UU}}{f_1}} \cos 2\phi d\sigma_{UU} + \frac{1}{Q} \cos \phi d\sigma_{UU} + \lambda \frac{1}{Q} \sin \phi d\sigma_{LU}$$

$$+ S_L [\sin 2\phi d\sigma_{UL} + \frac{1}{Q} \sin \phi d\sigma_{UL}] + \boxed{\lambda S_L [\sigma_{LL} + \frac{1}{Q} \cos \phi d\sigma_{LL}]} +$$

$$S_T [\sin(\phi + \phi_S) \boxed{d\sigma_{UT}} + \sin(\phi - \phi_S) \boxed{d\sigma_{UT}} + \sin(3\phi - \phi_S) \sigma_{UT} + \frac{1}{Q} \sin(2\phi - \phi_S) d\sigma_{UT}]$$

$$+ \lambda S_T [\cos(\phi - \phi_S) \boxed{d\sigma_{LT}} + \frac{1}{Q} \cos(2\phi - \phi_S) d\sigma_{LT}] + \dots$$

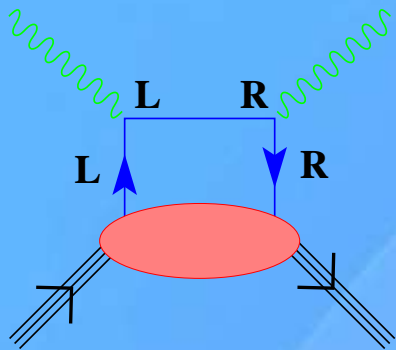
⇒ 3 leading twist DFs survive k_t integration

Peculiarities of Transversity & Sivers

TRANSVERSITY

$$h_1^q = \begin{array}{c} \uparrow \\ \text{---} \\ \uparrow \\ \bullet \\ \text{---} \\ \uparrow \end{array} - \begin{array}{c} \uparrow \\ \text{---} \\ \bullet \\ \text{---} \\ \downarrow \end{array}$$

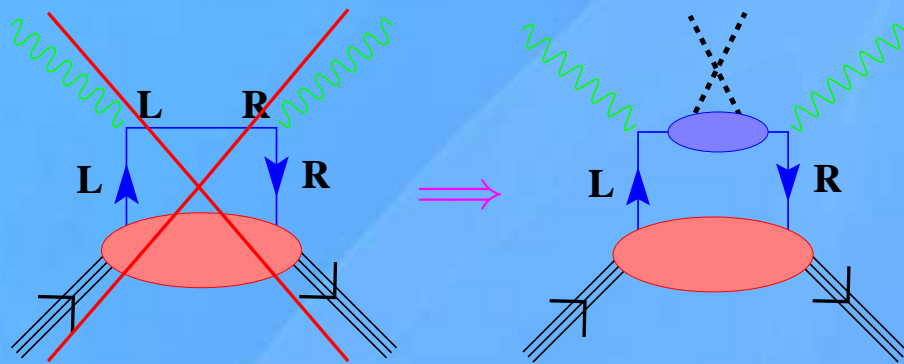
Single helicity flip \Rightarrow Chiral odd



Peculiarities of Transversity & Sivers

TRANSVERSITY

$$h_1^q = \begin{array}{c} \uparrow \\ \bullet \\ \downarrow \end{array} - \begin{array}{c} \uparrow \\ \bullet \\ \downarrow \end{array}$$



⇒ double helicity flip ⇒ SIDIS

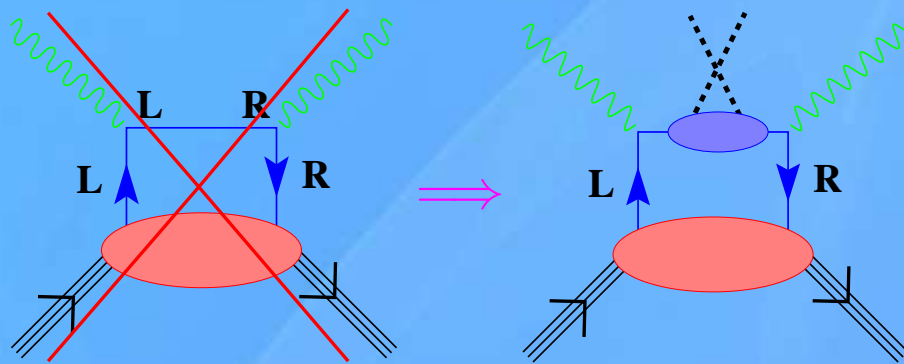
⇒ chiral-odd Collins FF H_1^\perp

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Peculiarities of Transversity & Sivers

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- δq probes relativistic nature of quarks

- $\delta q = \delta q - \delta \bar{q}$

high sensitivity to valence quarks

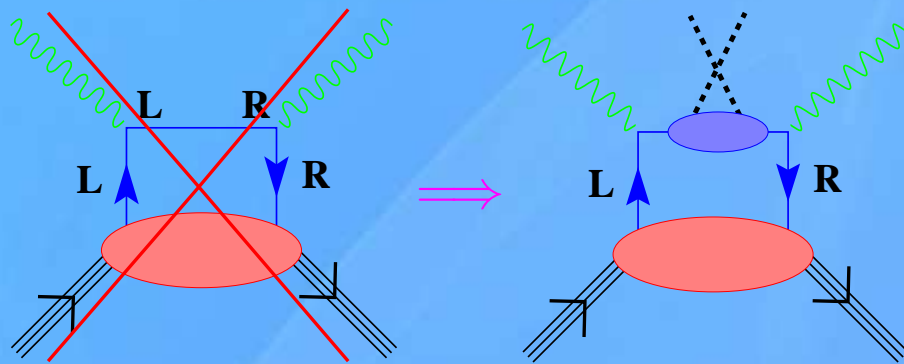
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SIVERS FUNCTION

$$f_{1T}^\perp = \begin{array}{c} \bullet \\ \downarrow \end{array} - \begin{array}{c} \bullet \\ \uparrow \end{array}$$



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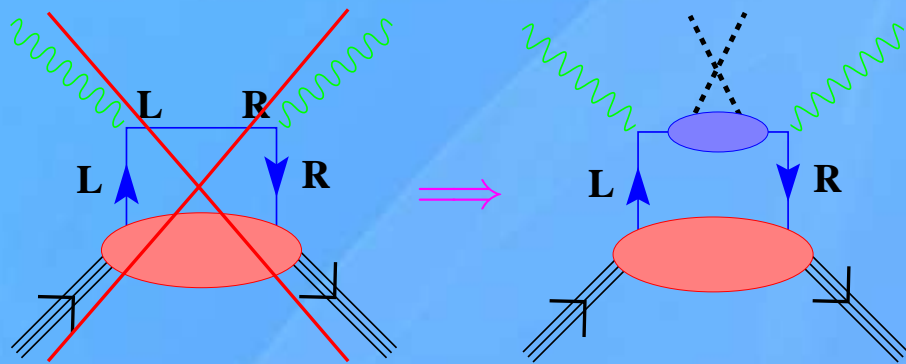
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high sensitivity to valence quarks

SIVERS FUNCTION

$$f_{1T}^\perp = \begin{array}{c} \bullet \\ \downarrow \end{array} - \begin{array}{c} \bullet \\ \uparrow \end{array}$$

- Chiral-even distribution function
- naive T-odd distribution function
- $f_{1T}^\perp \neq 0$
indicates non-vanishing orbital angular momentum of quarks $L_q \neq 0$
- Violates naive universality of PDFs
⇒ Different sign of f_{1T}^\perp in DY and DIS

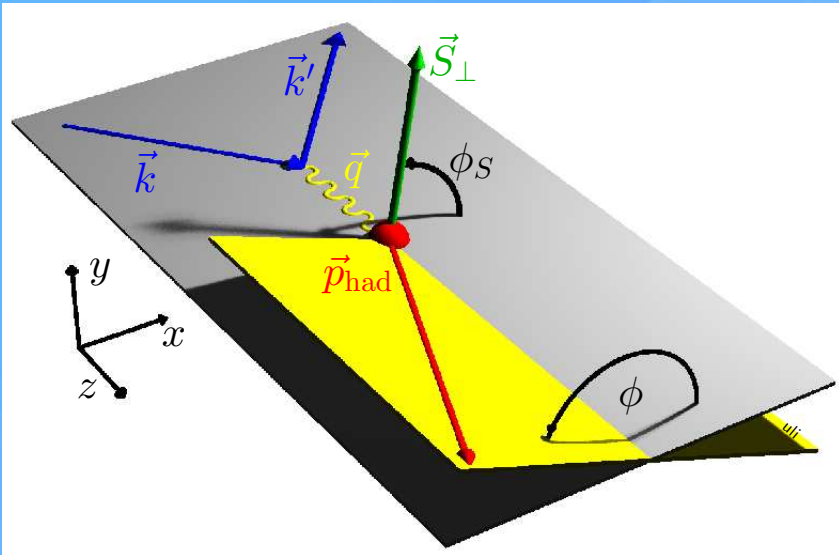
How can one measure Transversity / Sivers

Single spin azimuthal asymmetries with a transverse polarized target

$$ep^{\uparrow} \longrightarrow e'\pi X$$

$$\sigma^{ep \rightarrow e\pi X} = \sum_q f^{N \rightarrow q} \otimes \sigma^{eq \rightarrow eq} \otimes D^{q \rightarrow \pi}$$

Distribution-function
Fragmentat.-function



$$A_{\text{UT}}^{\text{h}}(\phi, \phi_s) = \frac{1}{|\mathbf{S}_{\text{T}}|} \frac{\mathbf{N}_{\text{h}}^{\uparrow}(\phi, \phi_s) - \mathbf{N}_{\text{h}}^{\downarrow}(\phi, \phi_s)}{\mathbf{N}_{\text{h}}^{\uparrow}(\phi, \phi_s) + \mathbf{N}_{\text{h}}^{\downarrow}(\phi, \phi_s)}$$

$$= A_{\text{UT}}^{\text{Collins}} \sin(\phi + \phi_s) + A_{\text{UT}}^{\text{Sivers}} \sin(\phi - \phi_s)$$

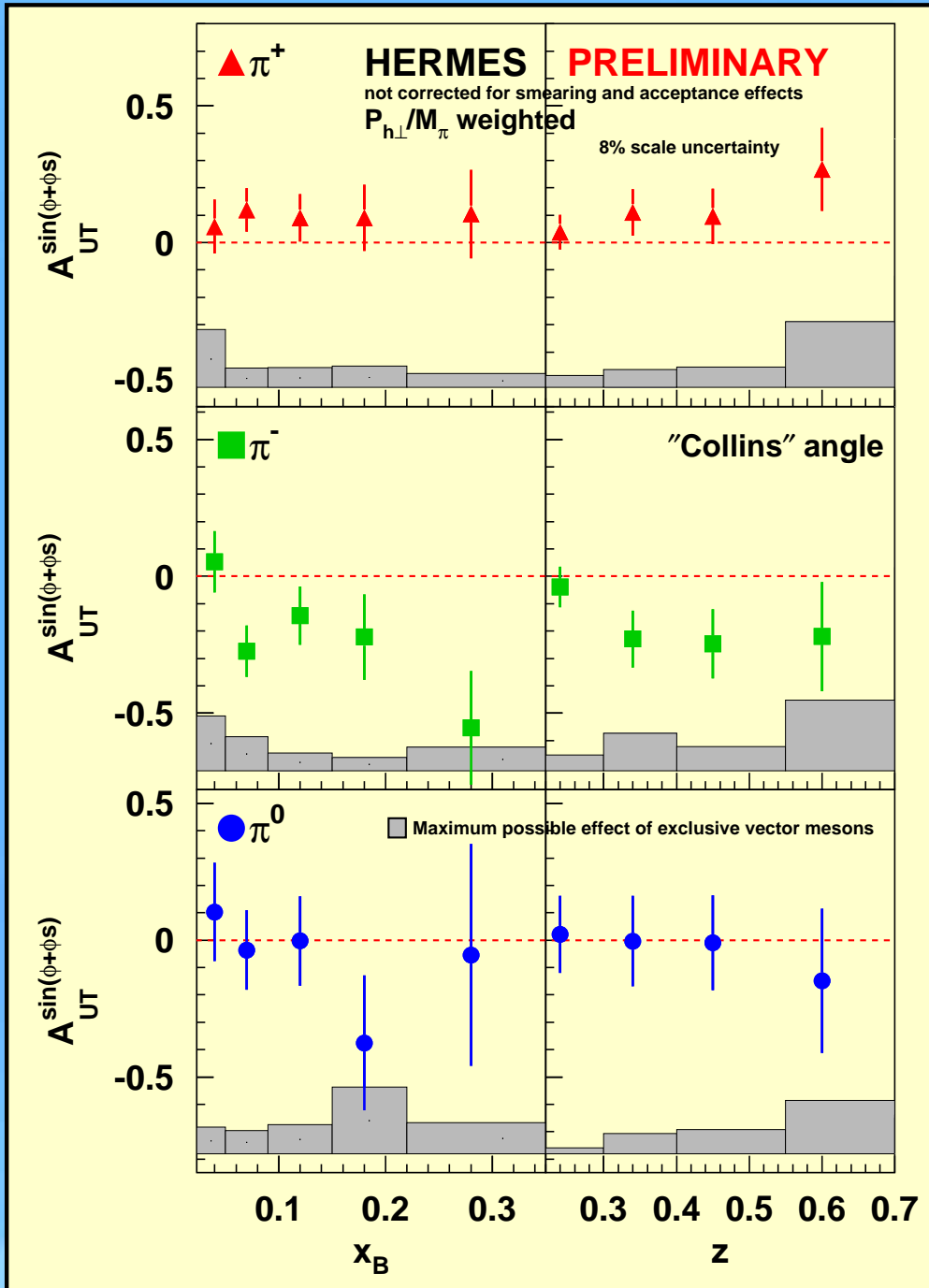
Collins–Angle: $\Phi = \phi + \phi_s$
 Angle of hadron relative to final quark spin

Sivers–Angle: $\Phi = \phi - \phi_s$
 Angle of hadron relative to initial target spin

$$A_{\text{UT}}^{\text{Collins}} \propto \frac{\sum_q e_q^2 \delta q(\mathbf{x}) H_1^{\perp, q}(\mathbf{z})}{\sum_q e_q^2 q(\mathbf{x}) D_1^q(\mathbf{z})}$$

$$A_{\text{UT}}^{\text{Sivers}} \propto \frac{\sum_q e_q^2 f_{1\text{T}}^q D_1^q(\mathbf{z})}{\sum_q e_q^2 q(\mathbf{x}) D_1^q(\mathbf{z})}$$

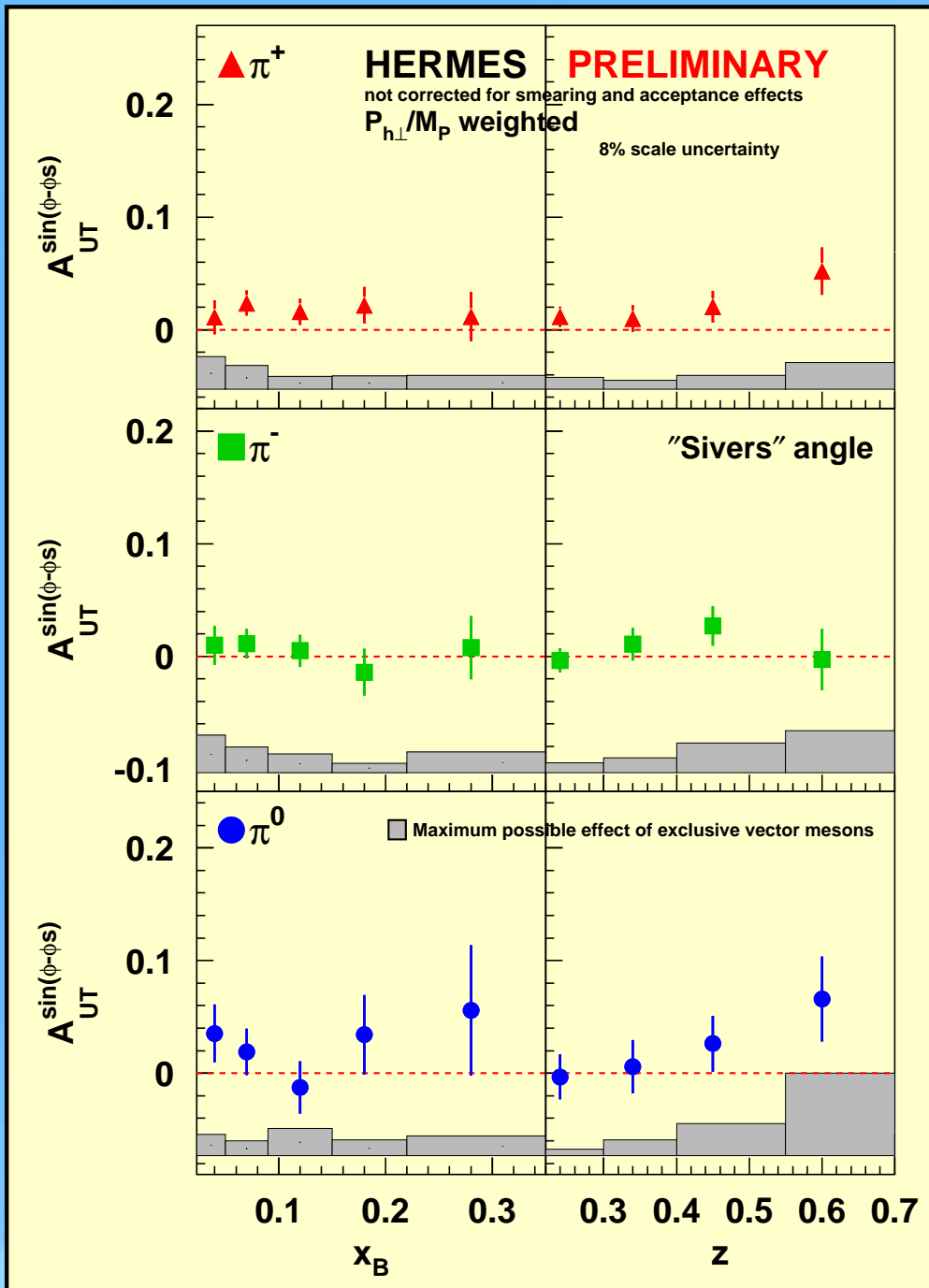
First glimpse of Transversity!



$$A_{UT}^{\text{Collins}} \propto \frac{\sum_q e_q^2 \delta q(x) H_1^{\perp,q}(z)}{\sum_q e_q^2 q(x) D_1^q(z)}$$

- π^+ : $A_{UT}^{\sin \Phi} > 0 \implies \frac{\delta u}{u} > 0$
 - π^- : $A_{UT}^{\sin \Phi} < 0 \implies$ very surprising
- BUT**
- only 1/7 of finally needed statistics to disentangle **Collins-FF** effects from quark polarizations

First glimpse of Sivers!



$$A_{UT}^{\text{Sivers}} \propto \frac{\sum_q e_q^2 f_{1T}^q D_1^q(z)}{\sum_q e_q^2 q(x) D_1^q(z)}$$

- First measurement of naive T-odd DF in DIS

- π^+ : $A_{UT}^{\sin\Phi} > 0 \implies L_u > 0?$

BUT

only 1/7 of finally needed statistics

- to perform purity-analysis a la Δq
- more theoretical input needed to clarify interpretation
- Wait for RHIC DY data to check sign?

- HERMES first experiment trying to disentangle all components to the spin of the nucleon

$$\frac{1}{2} = \frac{1}{2}(\Delta u_v + \Delta d_v + \Delta q_s) + L_q + (\Delta G + L_g)$$

- **HERMES first experiment trying to disentangle all components to the spin of the nucleon**

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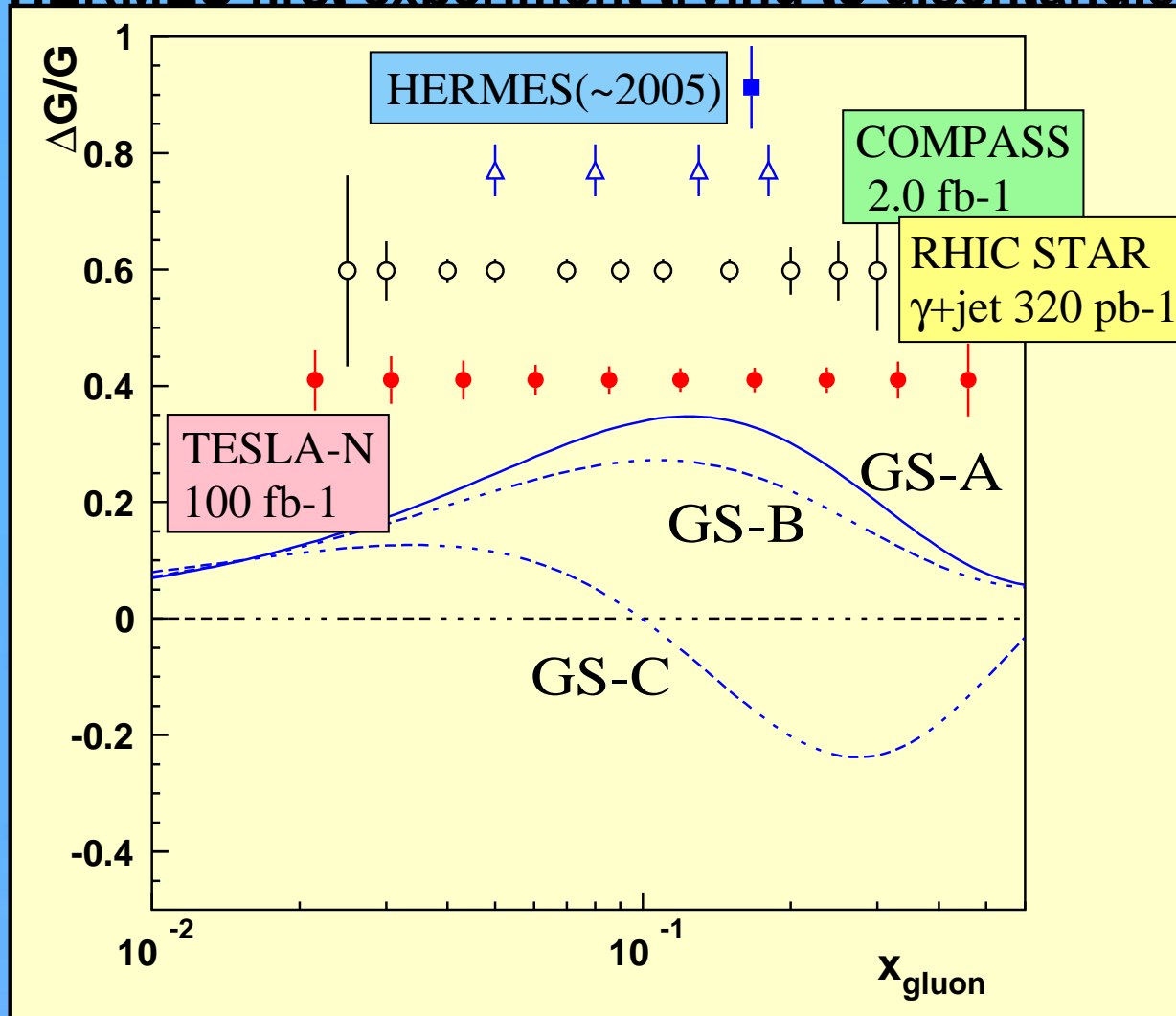
- **Inclusive and Semi-Inclusive**
 - $g_1(x)$ high precision data on proton, deuteron and neutron
 - first time complete flavor separated quark spin distribution functions

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- $\Delta G(x)/G(x)$
 - first indication of sign from
 - ⇒ scaling violation of $g_1(x)$ & isolating PGF (pairs of high p_T hadrons)
 - $\Delta G(x)/G(x)$ needs results from RHIC and COMPASS

- HERMES first experiment trying to disentangle all



$\Delta G + L_g$

on and neutron

spin distribution functions

F (pairs of high p_T hadrons)

COMPASS

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- exclusive reactions with different final states are experimentally established
- need Recoil Detector to ensure exclusivity and improve t-resolution

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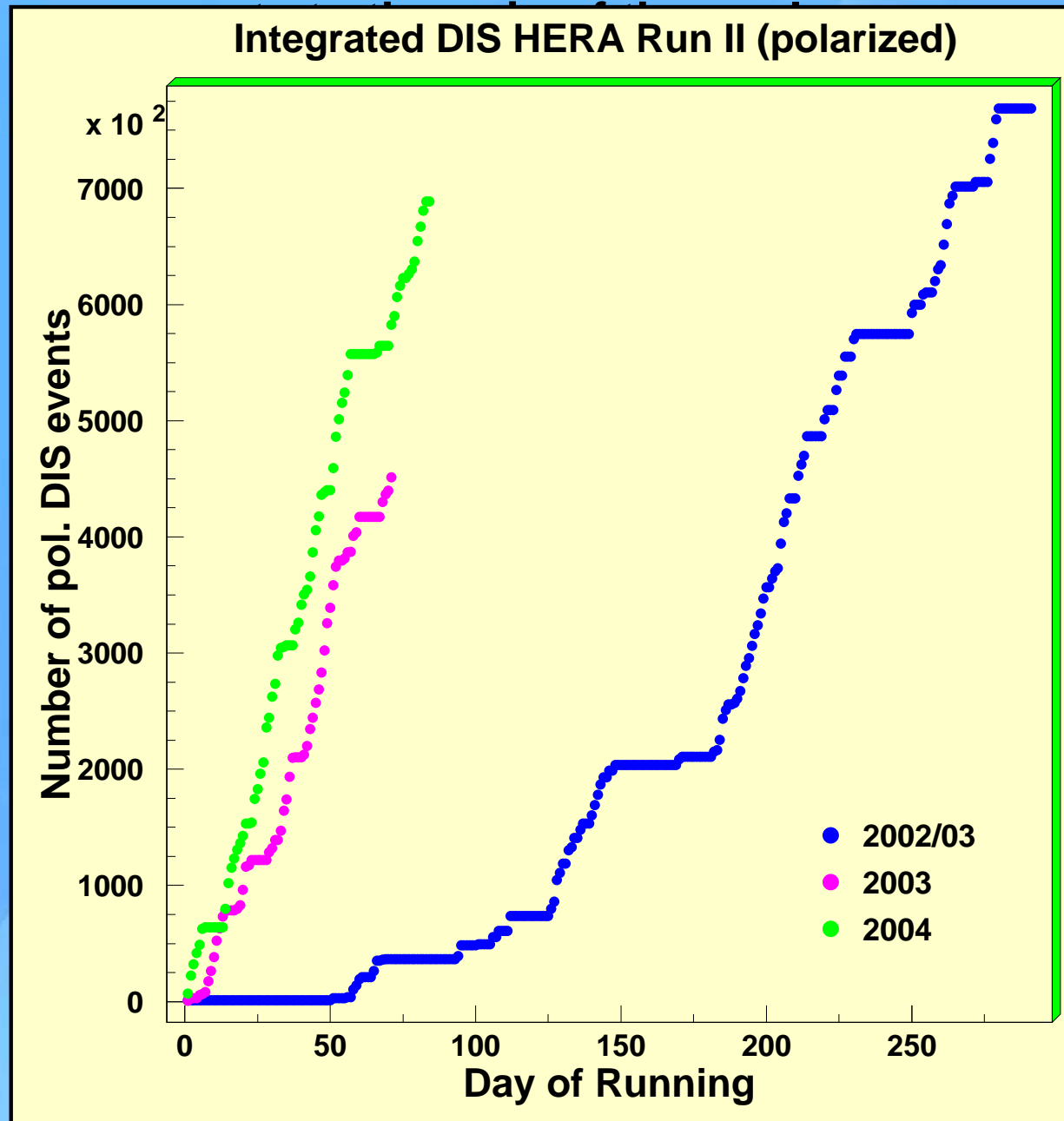
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- The **transverse** spin structure of the nucleon

- first observation of non-zero Sivers effect
- sizeable Collins asymmetries measured for $\pi^{0,\pm}$;

- HERMES first experiment trying to disentangle all



$\Delta G + L_g$

on and neutron
spin distribution functions

F (pairs of high p_T hadrons)
COMPASS

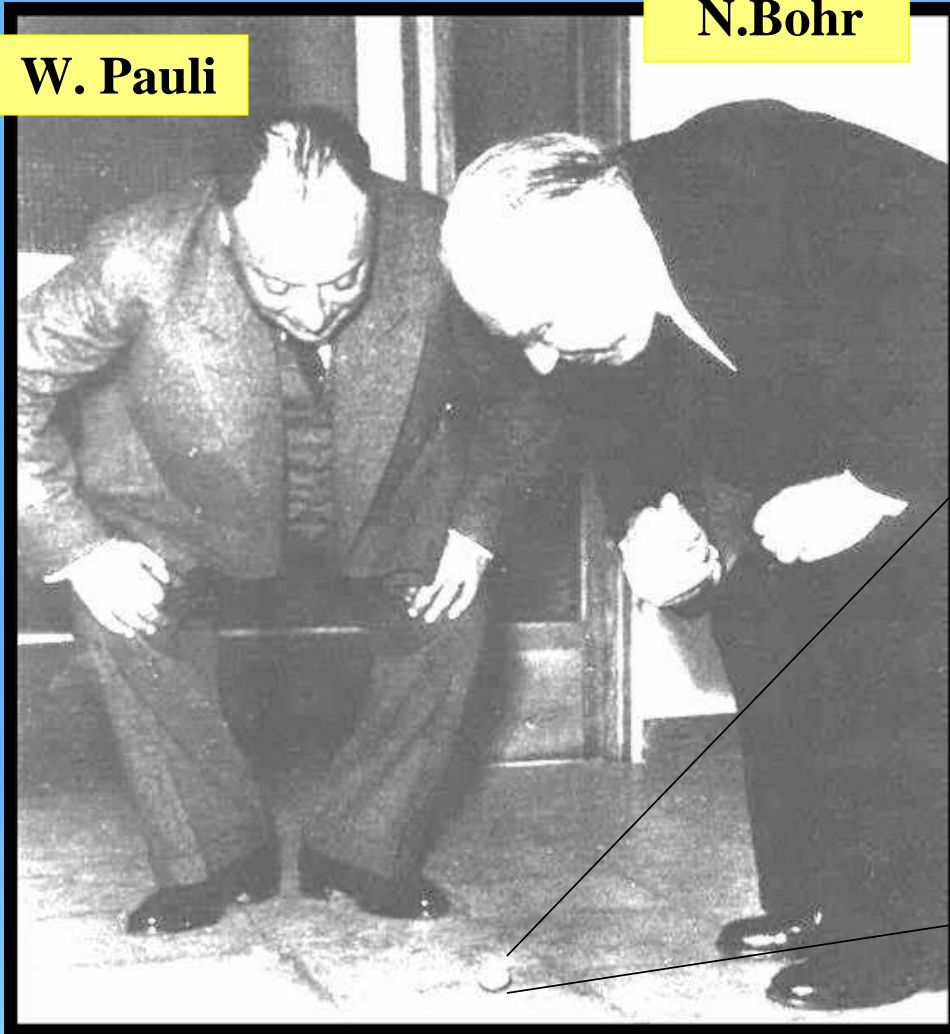
the nucleon
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$\pi^{0,\pm};$

Fascinated by Spin ?

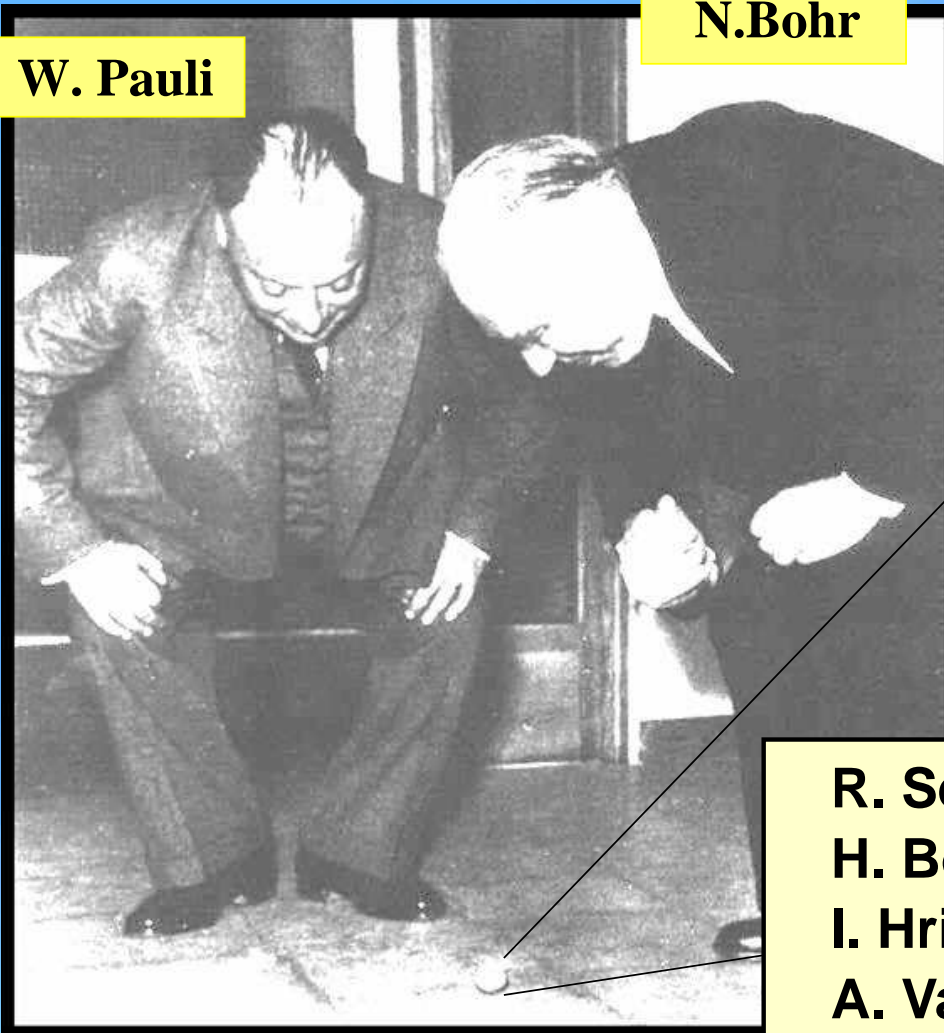
W. Pauli

N. Bohr



Fascinated by Spin ?

W. Pauli



N.Bohr



R. Seidl Mo. 17.30 T107.7
H. Böttcher Mo 17.45 T107.8
I. Hristova Tu. 17.45 T301.8
A. Vandenbroucke We. 14:00 T401.1
Z. Ye We. 14:00 T401.5
W.D. Nowak We. 18.30 T506.10