#### **Exclusive Processes at Hermes**



HEP 2005, LISBOA, PORTUGAL, JULY 2005

#### Outline

- Motivation
- Deeply Virtual Compton Scattering
- DVCS Measurements at HERMES
- Summary and Outlook



#### **Motivation — Nucleon Structure**







#### **Motivation — Nucleon Structure**







)  $\cdot \bar{\mathbf{p}}$  Generalized Parton Distributions  $\Rightarrow J_q, J_g$ <u>Ji's Sum Rule</u> — Ji, PRL 78 (1997) 610  $\mathbf{J}_{q,g} = \frac{1}{2} \lim_{t \to 0} \int_{-1}^{1} dx \cdot x \cdot [H_{q,g}(x,\xi,t) + E_{q,g}(x,\xi,t)]$ 

#### **How to Access GPDs?**

- GPDs constrained by known quantities (FFs, PDFs, ...) and accessible in exclusive processes.
- At large  $Q^2$  and small t, exclusive electroproduction of real photons or mesons can be factorized into a hard, perturbative part and a soft, non-perturbative part (GPDs).

 $\mathbf{e}$ 

- Deeply Virtual Compton Scattering
  - $e + N \rightarrow e' + N' + \gamma$
  - described by GPDs  $H, E, \widetilde{H}, \widetilde{E}$ ,
  - simplest process, gluons absent in the leading order.
- Exclusive Meson Production
  - $e + N \rightarrow e' + N' + \left(\rho^0, \pi, \dots\right)$
  - vector mesons  $(\rho^0, \omega, \phi)$ : H, E,
  - **9** pseudoscalar mesons  $(\pi, \eta)$ :  $\widetilde{H}, \widetilde{E}$ ,
  - pion pairs  $(\pi^+\pi^-)$ : *H*, *E*,
  - meson distribution amplitude should be taken care of.





### **Deeply Virtual Compton Scattering**

DVCS (a) and Bethe-Heithler (b) processes have the same initial and final states:



Interference between DVCS and Bethe-Heitler:

$$d\sigma(\mathrm{eN} \to \mathrm{eN}\gamma) \propto |\mathcal{T}_{BH}|^2 + |\mathcal{T}_{DVCS}|^2 + \underbrace{\mathcal{T}_{BH}\mathcal{T}_{DVCS}^* + \mathcal{T}_{BH}^*\mathcal{T}_{DVCS}}_{\mathcal{I}}$$

**9**  $T_{BH}$  is parameterized in terms of Dirac and Pauli Form Factors  $F_1, F_2$ , calculable in QED.

- **9**  $\mathcal{T}_{DVCS}$  is parameterized in terms of Compton form factors (convolution of GPDs)  $\mathcal{H}, \mathcal{E}, \widetilde{\mathcal{H}}, \widetilde{\mathcal{E}}$ .
- At HERMES kinematics,  $\mathcal{T}^{BH} \gg \mathcal{T}^{DVCS}$ ,  $\mathcal{H}, \mathcal{E}, \widetilde{\mathcal{H}}, \widetilde{\mathcal{E}}$  are accessed through  $\mathcal{I}$ .

### **Azimuthal Asymmetries in DVCS**

 $d\sigma(\mathrm{eN} \to \mathrm{eN}\gamma) \propto |\mathcal{T}_{BH}|^2 + |\mathcal{T}_{DVCS}|^2 + \mathcal{T}_{BH}\mathcal{T}_{DVCS}^* + \mathcal{T}_{BH}^*\mathcal{T}_{DVCS}$ 

Induces azimuthal asymmetries in the cross-section:

- Beam-charge asymmetry  $A_C(\phi)$ :  $d\sigma(e^+, \phi) d\sigma(e^-, \phi) \propto \operatorname{Re}[F_1\mathcal{H}] \cdot \cos \phi$
- Beam-spin asymmetry  $A_{LU}(\phi)$ :  $d\sigma(\vec{e}, \phi) d\sigma(\vec{e}, \phi) \propto \operatorname{Im}[F_1\mathcal{H}] \cdot \sin \phi$
- Longitudinal target-spin asymmetry  $A_{UL}(\phi)$ :  $d\sigma(\stackrel{\Leftarrow}{P}, \phi) - d\sigma(\stackrel{\Rightarrow}{P}, \phi) \propto \operatorname{Im}[F_1 \widetilde{\mathcal{H}}] \cdot \sin \phi$
- Transverse target-spin asymmetry  $A_{UT}(\phi, \phi_s)$ :  $d\sigma(\phi, \phi_S) - d\sigma(\phi, \phi_S + \pi)$  $\propto \operatorname{Im}[F_2\mathcal{H} - F_1\mathcal{E}] \cdot \sin(\phi - \phi_S)\cos\phi + \operatorname{Im}[F_2\widetilde{\mathcal{H}} - F_1\xi\widetilde{\mathcal{E}}] \cdot \cos(\phi - \phi_S)\sin\phi$

 $\implies$  the only place  $\mathcal{E}$  enters in the leading order  $\implies A_{UT}^{\sin(\phi-\phi_S)\cos\phi}$  sensitive to  $J_q$ 

$$J_{q,g} = \frac{1}{2} \lim_{t \to 0} \int_{-1}^{1} dx \cdot x \cdot [H_{q,g}(x,\xi,t) + E_{q,g}(x,\xi,t)]$$



 $\mathcal{T}_{\cdot}$ 

 $\vec{k}'$ 

 $\boldsymbol{k}$ 

 $\overline{x}$ 

 $\phi_S$ 

### **Azimuthal Asymmetries in DVCS**

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 $\mathcal{T}_{\cdot}$ 

Fixed target experiment, Forward spectrometer

- Tracking:  $\delta P/P < 2\%$ ,  $\delta \theta < 1$  mrad
- Particle Identification:  $\epsilon_e > 99\%$ , hadron contamination < 1%
- Photons: calorimeter  $\delta E_{\gamma}/E_{\gamma} \sim 5\%$
- Recoiling protons not detected ⇒ missing mass technique  $(ep \rightarrow e'p\gamma)$  $M_x^2 = (P_e + P_p - P_{e'} - P_{\gamma})^2$

Background contribution  $\sim 5\%$  is determined from MC and corrected.



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Beam-Charge Asymmetry:

$$A_C(\phi) = \frac{d\sigma(e^+, \phi) - d\sigma(e^-, \phi)}{d\sigma(e^+, \phi) + d\sigma(e^-, \phi)} \propto \operatorname{Re}\left[F_1\mathcal{H}\right] \cdot \cos\phi$$

proton:  $A_C^{\cos \phi} = 0.059 \pm 0.028(stat)$ deuteron:  $A_C^{\cos \phi} = 0.061 \pm 0.018(stat)$ 





GPD Model: M.Vanderhaeghen et al. PRD 60 (1999) 094017

- *t*-dependence of BCA can be used to constrain GPD models
- Iimited by  $e^-p$  sample (L $\sim 10 \text{ pb}^{-1}$ ), HERMES is running with  $e^-$  beam in 2005.





Beam-Spin Asymmetry:

--- [HERMES, PRL 87 (2001) 182001]

$$A_{LU}(\phi) = \frac{1}{|P_B|} \cdot \frac{d\sigma(\vec{e}, \phi) - d\sigma(\overleftarrow{e}, \phi)}{d\sigma(\vec{e}, \phi) + d\sigma(\overleftarrow{e}, \phi)} \propto \operatorname{Im}\left[F_1\mathcal{H}\right] \cdot \sin\phi$$

proton:  $A_{LU}^{\sin \phi} = -0.18 \pm 0.03(stat)$ deuteron:  $A_{LU}^{\sin \phi} = -0.15 \pm 0.03(stat)$ 



## **Longitudinal Target-Spin Asymmetry in DVCS**



Longitudinal Target-Spin Asymmetry:

$$A_{UL}(\phi) = \frac{1}{|P_T|} \cdot \frac{d\sigma(\overleftarrow{P}, \phi) - d\sigma(\overrightarrow{P}, \phi)}{d\sigma(\overleftarrow{P}, \phi) + d\sigma(\overrightarrow{P}, \phi)} \propto \operatorname{Im}[F_1 \widetilde{\mathcal{H}}] \cdot \sin\phi$$

proton:  $A_{UL}^{\sin \phi} = -0.071 \pm 0.034(stat)$ deuteron:  $A_{UL}^{\sin \phi} = -0.036 \pm 0.024(stat)$ 



#### **Transverse Target-Spin Asymmetry in DVCS**



Transverse Target-Spin Asymmetry:

$$\begin{aligned} A_{UT}(\phi,\phi_s) &= \frac{1}{|P_T|} \cdot \frac{d\sigma(P^{\uparrow},\phi,\phi_s) - d\sigma(P^{\Downarrow},\phi,\phi_s')}{d\sigma(P^{\uparrow},\phi,\phi_s) + d\sigma(P^{\Downarrow},\phi,\phi_s')} \\ &\propto \quad \mathrm{Im}[F_2\mathcal{H} - F_1\mathcal{E}] \cdot \sin(\phi - \phi_S)\cos\phi + \mathrm{Im}[F_2\tilde{\mathcal{H}} - F_1\xi\tilde{\mathcal{E}}] \cdot \cos(\phi - \phi_S)\sin\phi \end{aligned}$$

#### **Transverse Target-Spin Asymmetry in DVCS**



 $A_{UT}(\phi,\phi_s) \propto \operatorname{Im}[F_2\mathcal{H} - F_1\mathcal{E}] \cdot \sin(\phi - \phi_S)\cos\phi + \operatorname{Im}[F_2\mathcal{H} - F_1\xi\tilde{\mathcal{E}}] \cdot \cos(\phi - \phi_S)\sin\phi$ 

- $A_{UT}^{\sin(\phi-\phi_S)\cos\phi}$  sensitive to  $J_u$  and not to GPD model parameters (hep-ph/0506264)
- $\implies$  allows extraction of  $J_u$  within these GPD models
- More data is coming (HERMES 2005  $e^-p^{\uparrow\uparrow}$ , about the same statistics as here)

#### **Summary and Outlook**

- Measurements of exclusive processes can increase our knowledge on the nucleon structure by determining the Generalized Parton Distributions.
- Measurement of the Transverse Target-Spin Asymmetry in DVCS will allow the first determination of  $J_u$  through certain GPD models.
- Dedicated study on exclusive processes at HERMES with the new recoil detector starts at the end of 2005 (BSA, BCA in DVCS):
  - Allows to detect the recoiling proton
  - Background 'free' DVCS: Background  $\sim 5\% \Rightarrow < 1\%$
  - $\Rightarrow$  Talk by Nils Pickert (404)



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#### **Backup Slides!**

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#### **Nucleon Structure**

#### Nucleon Form Factors

well known, measured by e.g. elastic scattering:

 $e + N \rightarrow e' + N$ 

- provide the 1<sup>st</sup> direct knowledge about the internal structure of the nucleon <sup>[Hofstadter1955-61]</sup>
- Parton Distribution Functions
  - measured through e.g. deep inelastic scattering:

 $e+N \to e'+h+X$ 

- unpolarized quark density q(x)
- Iongitudinal spin density  $\Delta q(x) = q^{\Rightarrow}(x) q^{\Leftarrow}(x)$
- transverse spin density  $\delta q(x) = q^{\uparrow \uparrow \uparrow}(x) q^{\uparrow \Downarrow}(x)$
- gluon polarization  $\Delta G/G$
- Generalized Parton Distributions
  - accessible in exclusive processes, e.g.:

 $e + N \rightarrow e' + \gamma + N$ 

- provide a 3D picture of the nucleon structure
- ${}_{igstacesisesistic}$  access the total angular momentum of quark  ${\sf J}_q$







#### **Generalized Parton Distributions**



 $GPDs \Rightarrow Form Factors:$ 

 $\int_{-1}^{1} dx \cdot H_{q}(x,\xi,t) = F_{1}^{q}(t),$  $\int_{-1}^{1} dx \cdot E_q(x,\xi,t) = F_2^q(t),$  $\int_{-1}^{1} dx \cdot \tilde{H}_{q}(x,\xi,t) = G_{A}^{q}(t),$  $\int_{-1}^{1} dx \cdot \tilde{E}_{q}(x,\xi,t) = G_{P}^{q}(t).$ 

- $GPDs \Rightarrow PDFs$  :
  - $H_{q}(x,0,0) = q(x), \tilde{H}_{q}(x,0,0) = \Delta q(x).$  $H_{q}(x,0,0) = q(x), H_{q}(x,0,0) = \Delta q(x).$
- $GPDs \Rightarrow impact parameter dependent PDFs$ :

 $H_q(x,0,-\Delta_{\perp}^2) \rightarrow q(x,b_{\perp}),$  $\tilde{H}_{q}(x,0,-\Delta_{\perp}^{2}) \rightarrow \Delta q(x,b_{\perp}).$ 

 $GPDs \Rightarrow$  Total Angular Momentum of Partons  $J_{q,q} = \frac{1}{2} \int_{-1}^{1} dx \cdot x [H_{q,q}(x,\xi,0) + E_{q,q}(x,\xi,0)]$ 

#### **Exclusive Meson Production**





### **TTSA in** $\rho^0$ **Production**



Transverse Target-Spin Asymmetry:

$$A_{UT}(\phi, \phi_s) = \frac{1}{|P_T|} \cdot \frac{d\sigma(P^{\uparrow}, \phi, \phi_s) - d\sigma(P^{\Downarrow}, \phi, \phi_s)}{d\sigma(P^{\uparrow}, \phi, \phi_s) + d\sigma(P^{\Downarrow}, \phi, \phi_s)}$$
  
 
$$\propto E \cdot H \sin(\phi - \phi_S)$$

✓ Large negative asymmetry at low x and large t ✓  $A_{UT}^{\sin(\phi-\phi_S)}$  sensitive to  $J_u$  (hep-ph/0506264), no direct theoretical comparison yet



#### $\pi^+$ Cross-Section Measurement



Background estimated from  $\pi^-$  yield.



#### $\pi^+$ Cross-Section Measurement



GPD Model: M.Vanderhaeghen et al.

- $$\begin{split} \sigma_{tot} &= \sigma_T + \epsilon \sigma_L, \, \text{L/T separation not} \\ \text{possible, but:} \\ \sigma_T \text{ suppressed by } 1/Q^2 \\ \text{At HERMES kinematics, } 0.8 < \epsilon < 0.96 \end{split}$$
- At large  $Q^2$ ,  $\sigma_L$  dominates

- $\square$  Q<sup>2</sup> dependence is in general agreement with the theoretical expectation
- Power corrections ( $k_{\perp}$  and soft overlap) calculations overestimate the data

